

A.H. Lumpkin<sup>1</sup> W.J. Berg<sup>2</sup>, J. Dooling<sup>2</sup>, Y. Sun<sup>2</sup>, K.P. Wootton<sup>2</sup>  
D.W. Rule<sup>3</sup>, A. Murokh<sup>4</sup>, P. Musumeci<sup>5</sup>

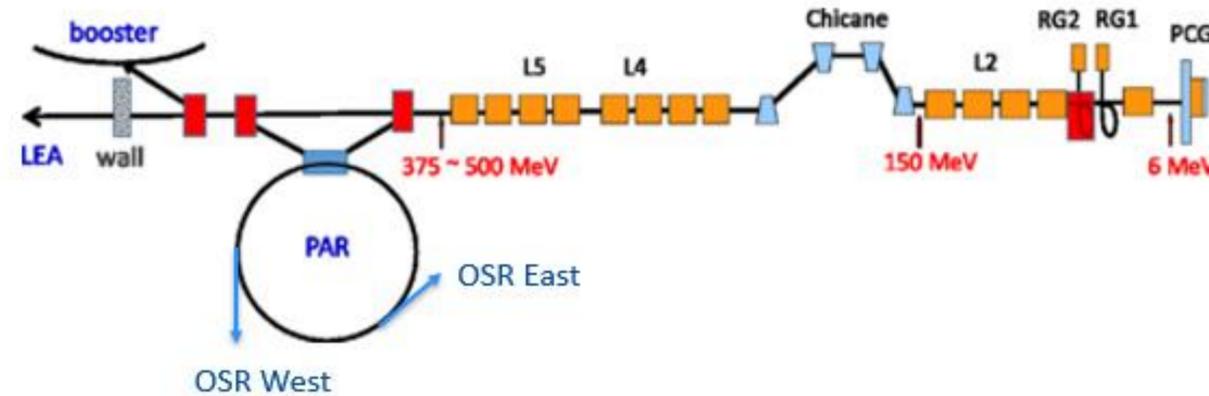
**ABSTRACT**

Significant microbunching of an electron beam at 266 nm is projected with the co-propagation of electrons at 375 MeV and a UV laser pulse through a 3.2-cm period prebuncher undulator. Such microbunched beams will generate coherent optical transition radiation (COTR) at a metal screen surface boundary or coherent optical diffraction radiation (CODR) from a nearby metal surface. With a 10% microbunching fraction, coherent enhancements of more than 7 million are modelled for a 300-pC charge. Diagnostic plans are described for beam size (100 μm), divergence (sub-mrad), electron micro-bunching fraction, spectrum, and bunch length (sub-ps) on a single shot at the Argonne National Laboratory Linac Extension Area (LEA) facility.

<sup>1</sup>Argonne Associate, Argonne National Laboratory, Lemont, IL, 60439 USA

<sup>2</sup>Argonne National Laboratory, Lemont, IL 60439 USA

<sup>3</sup>Silver Spring, MD, <sup>4</sup>RadiaBeam Technologies LLC, <sup>5</sup>UCLA, Los Angeles, CA 90095 USA



Schematic of the APS linac showing the path to the PAR or to the LEA tunnel.

The number of OTR photons emitted by a single electron per unit frequency  $\omega$  per unit solid angle  $\Omega$ ,

$$\frac{d^2W_1}{d\omega d\Omega} = \frac{e^2}{hc} \frac{1}{\pi^2\omega} \frac{(\theta_x^2 + \theta_y^2)}{(\gamma^{-2} + \theta_x^2 + \theta_y^2)^2}$$

$$\frac{d^2W}{d\omega d\Omega} = |r_{\parallel,\perp}|^2 \frac{d^2W_1}{d\omega d\Omega} [NI(k) + N_B(N_B - 1)J(k)],$$

$$I(k) = 4 \sin^2\left[\frac{kL}{4}(\gamma^{-2} + \theta_x^2 + \theta_y^2)\right],$$

Schematic of the proposed seed laser, modulator, dispersive section, and diagnostics chamber in the LEA tunnel.

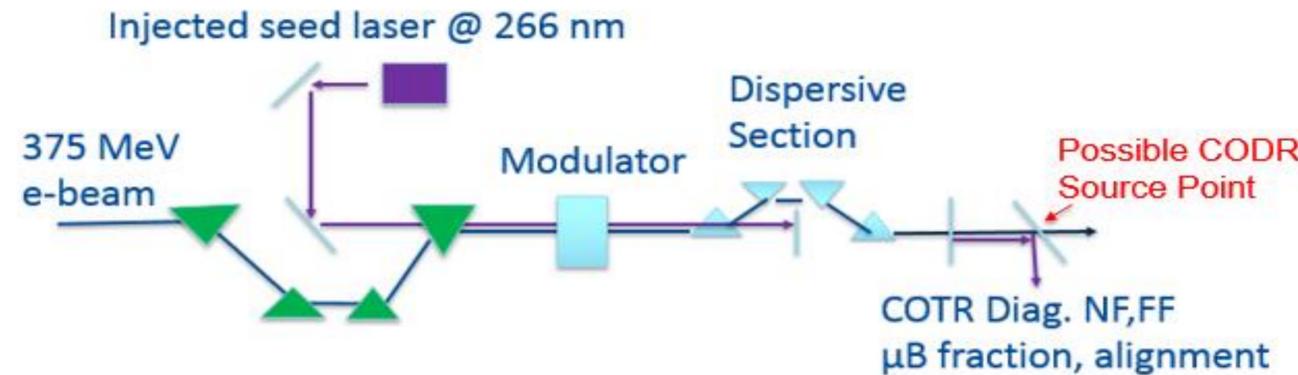
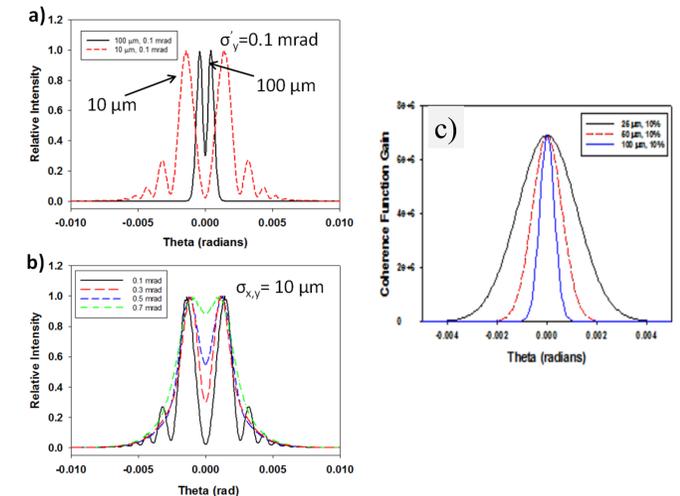


Table 1: Linac Parameters for PC Gun Beam Used in the Proposed Tests

Parameter	Units	Value
Energy	MeV	375
Charge	pC	100-300
Emittance	mm mrad	2-4
Bunch length	ps	0.5-2.0

COTRI model results a) beam size effects at 10 and 100 μm (b) divergence effects c) Coherence function gain at 7 million for small angles.

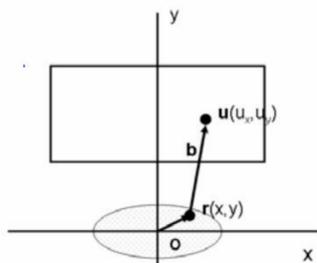


**SUMMARY**

In summary, we have described the potential for measuring a comprehensive set of microbunched electron beam properties on a single shot using COTR and potentially extending the basic techniques to CODR imaging. We presented the new NF ODR model for the first time that will guide future experiments.

where  $N_B$  of the total number  $N$  are microbunched, i.e., the bunching fraction,  $bf = N_B / N$ . Here  $|r_{\parallel,\perp}|^2$  is the reflection coefficient for parallel or perpendicularly polarized OTR

The geometry for the simulation,  $u$  is the observation point of ODR.  $r$  is the location of an electron of the beam. The shaded area represents the passing beam.



Incoherent near field ODR equation where  $b$  is the impact parameter,  $\alpha = 2\pi/\gamma\lambda$ , and  $N$  is the number of particles.  $K_1$  is the modified Bessel function.

$$\sum_{i=1}^{N_B} |E_y^i|^2 \rightarrow \langle |E_y(u, \omega)|^2 \rangle = N \frac{e^2 \alpha^2}{\pi^2 v^2} \iint dx dy \frac{b_y^2}{b^2} K_1^2(\alpha b) F_{\perp}(x, y)$$

The NF CODR equations then become the following, where  $N_B$  is the number of microbunched electrons. The  $N_B$  squared term gives the large coherent enhancement of CODR.

$$N_B(N_B - 1) \langle E_y^1(u, \omega) \rangle \langle E_y^2(u, \omega) \rangle^* = N_B(N_B - 1) \frac{e^2 \alpha^2}{\pi^2 v^2} e^{-(\sigma_z k_z)^2} \left| \iint dx dy \frac{b_y}{b} K_1(\alpha b) F_{\perp}(x, y) \right|^2$$