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# NSLS-II DESIGN: A NOVEL APPROACH TO LIGHT SOURCE DESIGN

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# NSLS-II Design Team

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The NSLS-II Design Team is a large diverse group of technical people

Under the leadership of: S. Dierker, S. Ozaki, and J. Hill.

The Accelerator Systems Team was pulled together under the leadership of Satoshi Ozaki:

J. Beebe-Wang, J. Bengtsson, M. Blaskiewicz, A. Blednykh,  
W. Guo, R. Heese, V. N. Litvinenko, A. Luccio, Y. Luo,  
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N. Simos, J. Skaritka, T. Tanabe, D. Trbojevic, D. Wang, F. Wang,  
J. Wei, L. H. Yu, and a large number of users, technical and support  
staff from the NSLS and CAD Departments at Brookhaven National Lab.

# Design Parameters

Beam Property	Required Goal	Challenge Goal
Beam Energy	3 GeV	3.6 GeV
Ultra low horizontal emittance	$\leq 1.0$ nm (achromatic)	$\leq 0.5$ nm <b>@3 GeV</b>
Vertical emittance diffraction limited at 12 KeV	10 pm	< 8 pm
Stored currents	500 mA	750 mA @ 3 GeV
ID straights for undulators	$\geq 21$	$\geq 25$
Electron beam stability	<1 $\mu$ m	<0.3 $\mu$ m
Top-off injection current stability	<1% ( $\Delta t \geq 1$ min)	<0.1% ( $\Delta t \geq 1$ min)

# Lattice Choices

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Minimum emittance for TBA and DBA with bend angle per period  $\theta_p = \frac{2\pi}{N_p}$  given by

$$\varepsilon_{METBA} = \frac{C_q \gamma^2}{4\sqrt{15} J_x} \frac{\theta_p^3}{40.7}$$

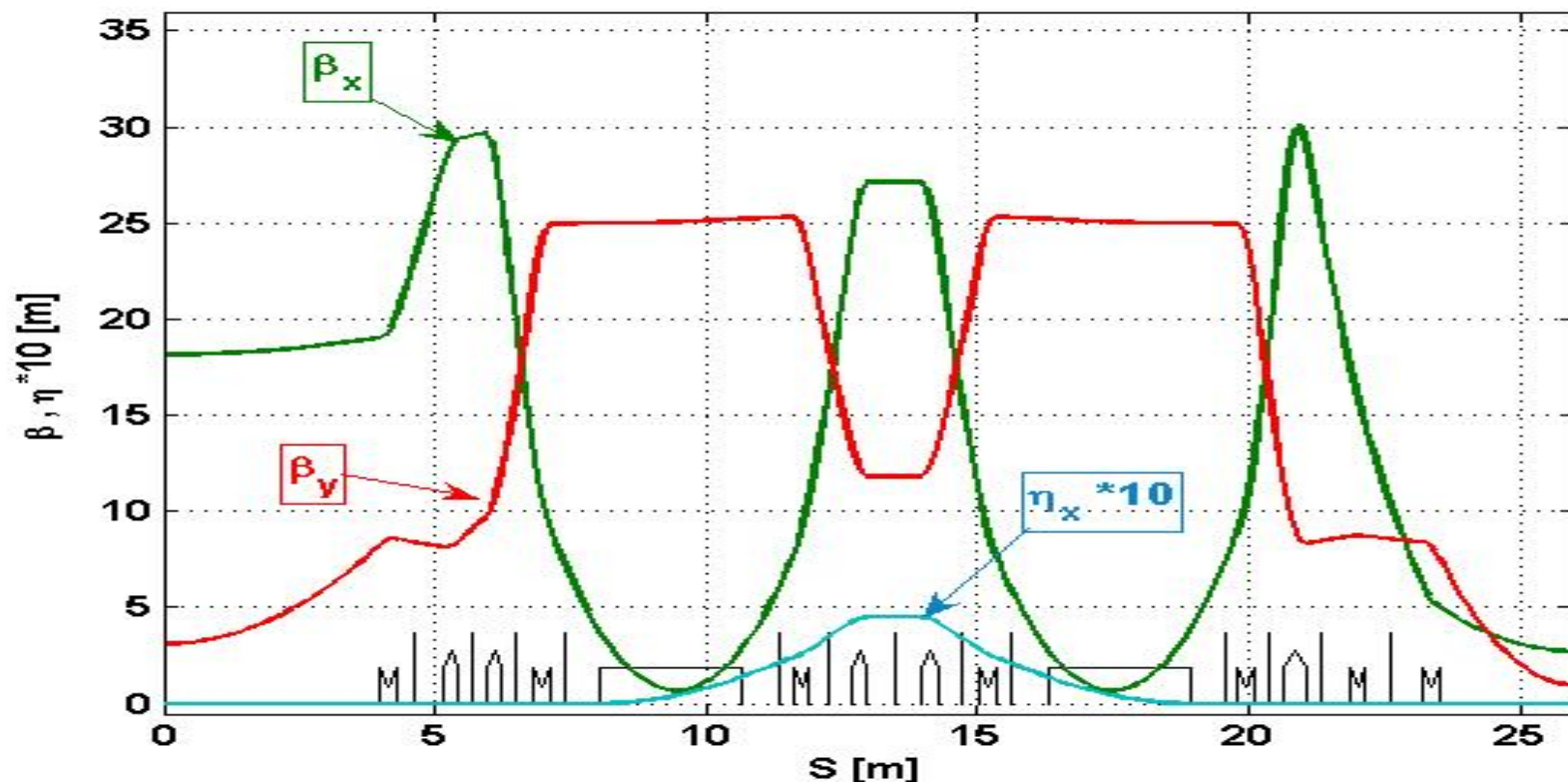
$$\varepsilon_{MEDBA} = \frac{C_q \gamma^2}{4\sqrt{15} J_x} \frac{\theta_p^3}{8}$$

A 3 GeV 24 period TBA  $\varepsilon_{METBA} \approx 0.38 nm$

Need  $\geq 32$  periods for DBA lattice

# Optimized DBA-30 Lattice

Low emittance(2.05nm), large  $\rho_o \rightarrow$  large  $\eta_y$ , small  $\beta_y$  in IDs, large  $\beta_x$  in injection ID, space for coils and correctors, tunes and beta function optimized for: reduced COAF and large DA



Long 8m ID

Short 5m ID

# DBA-30 Lattice Parameters

<b>Energy [GeV]</b>	<b>3</b>
<b>Circumference [m]</b>	<b>780.3</b>
<b>DBA Cells</b>	<b>30 (15x2)</b>
<b>Bending Radius, <math>\rho_o</math> [m]</b>	<b>25.019</b>
<b>Energy Loss / Turn, <math>U_o</math> [keV]</b>	<b>286.5</b>
<b>Momentum Compaction</b>	<b>0.000368</b>
<b>Tunes (<math>Q_x, Q_y</math>) / per cell</b>	<b>(32.35, 16.28) (1.078, 0.543)</b>
<b>Chromaticity (<math>\xi_x, \xi_y</math>) /per cell</b>	<b>(-100, -41.8) (-3.34, -1.39)</b>
<b>Peak Dispersion [m]</b>	<b>0.45</b>
<b>Long 8m ID (<math>\beta_x, \beta_y</math>) [m]</b>	<b>18/3.1</b>
<b>Short 5m ID (<math>\beta_x, \beta_y</math>) [m]</b>	<b>2.7/0.95</b>

# Damping Wigglers for Emittance Control

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Reduction of lattice emittance due to wiggler ( $\rho_w, L_w$ )

$$\frac{\varepsilon_w}{\varepsilon_o} = \frac{1 + f}{1 + \frac{L_w}{4\pi \rho_o} \left( \frac{\rho_o}{\rho_w} \right)^2} \approx \frac{U_o}{U_o + U_w}$$

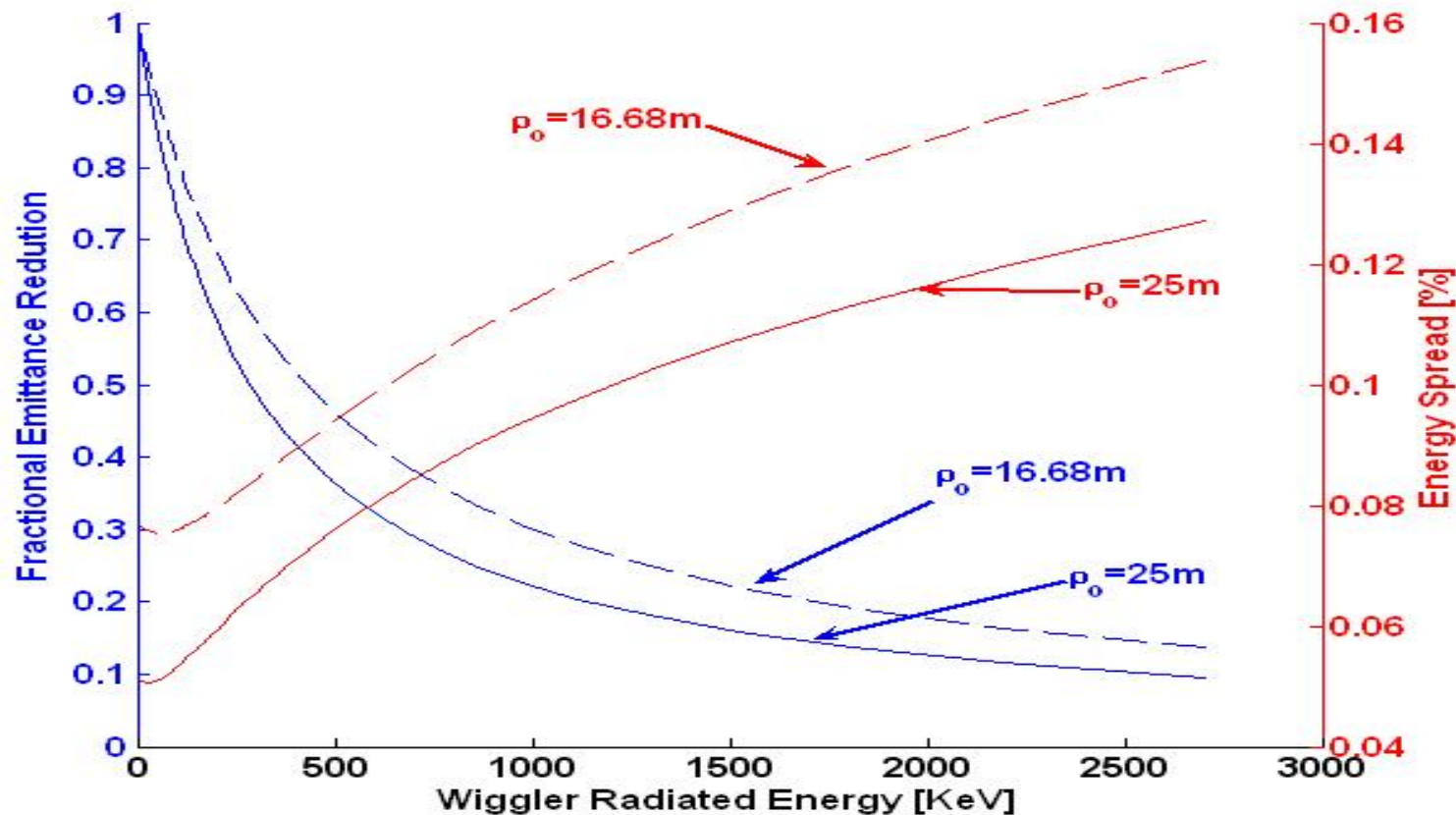
where 
$$f = \frac{2C_q \gamma^2}{3\pi^2 \varepsilon_0} \frac{L_w \rho_0}{\rho_w^3} \left[ \frac{K_w^2}{5\gamma^2} \langle \beta_x \rangle + \frac{\eta_0^2}{\beta_{x0}} + \beta_{x0} \eta_0'^2 \right]$$

Limited by energy spread increase of the wigglers

$$\frac{\delta_w}{\delta_o} = \sqrt{\left[ U_o + \frac{8U_w}{3\pi} \left( \frac{\rho_o}{\rho_w} \right) \right] [U_T]^{-1}}$$

# Emittance and Energy Spread vs Dipole $\rho_0$

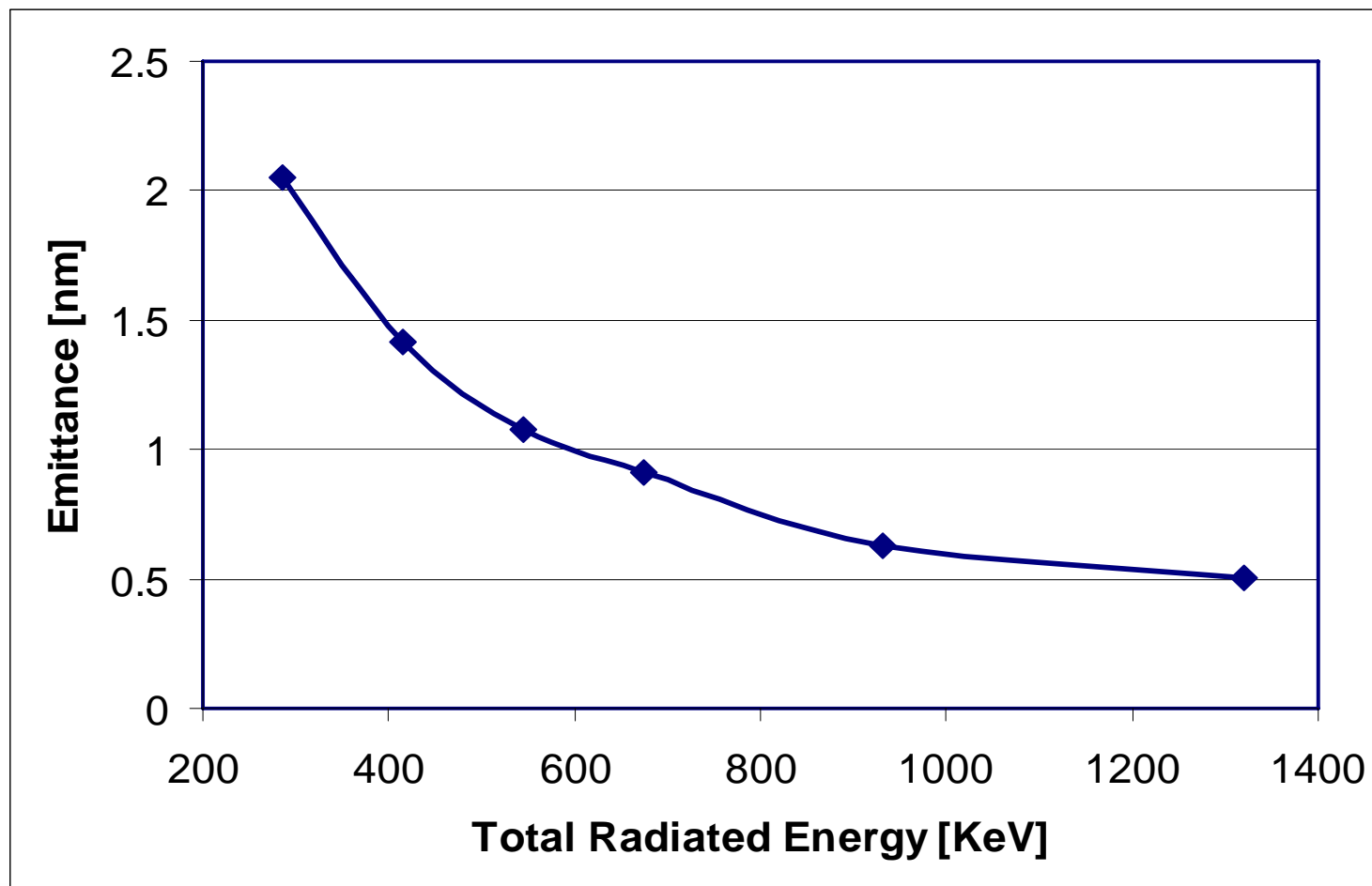
Reduction of emittance limited by increase in energy spread and energy loss or available RF power (cost)





# Emittance Reduction for 7m 1.8T DWs

Natural emittance with 0, 1, 2, 3, 5 and 8 DWs added



# Optimizing the Lower Dipole Field

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Reduction of Natural Emittance to zero becomes less efficient for non-zero current due to Intra-Beam Scatter (IBS)

Total emittance is equilibrium between SR and IBS

$$\varepsilon_{x,tot} = \tau_x \langle H \cdot D_{\delta,SR} \rangle + \tau_x \langle H \cdot D_{\delta,IBS} \rangle$$

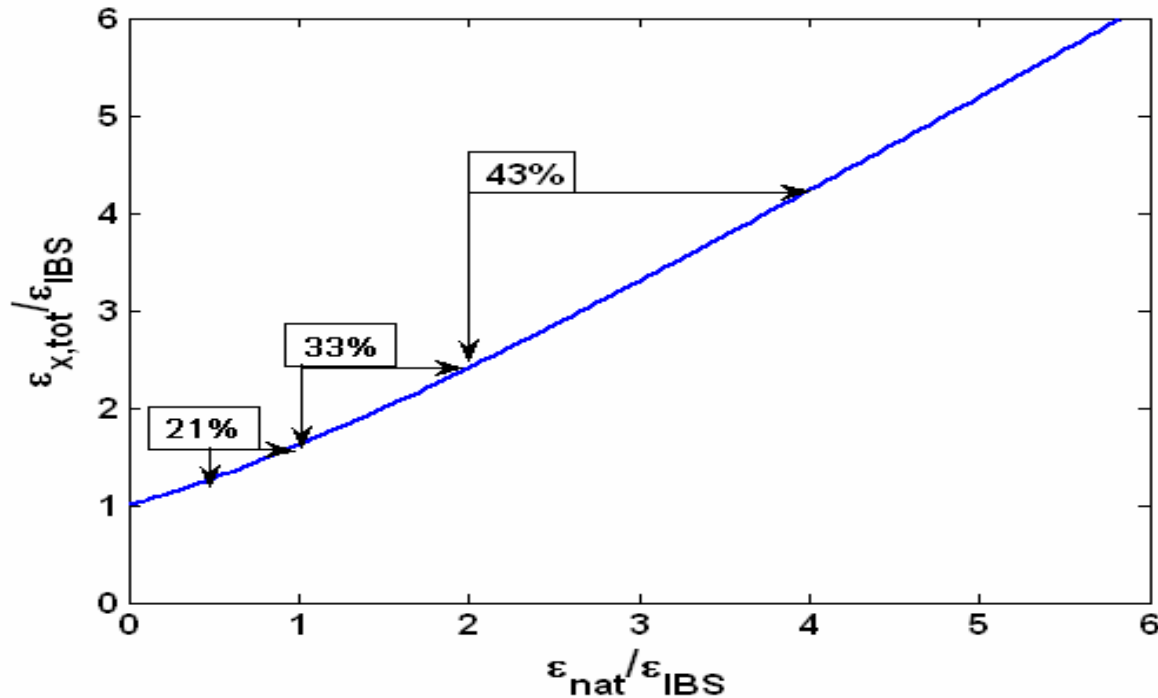
$\tau_x$  is the horizontal SR damping time,  $H$  the invariant dispersion amplitude  
 $D_{\delta,SR}$  and  $D_{\delta,IBS}$  are the SR and IBS energy diffusion coefficients.

Simplified solution  $\rightarrow$

$$\frac{\varepsilon_{x,tot}}{\varepsilon_{IBS}} = \left[ \frac{\varepsilon_{nat}}{2 \varepsilon_{IBS}} + \sqrt{\left( \frac{\varepsilon_{nat}}{2 \varepsilon_{IBS}} \right)^2 + 1} \right]$$

For  $I=500\text{mA}$  in 1000 bunches in NSLS-II,  $\varepsilon_{IBS} \sim 0.2 - 0.25 \text{ nm}$

# Limiting Emittance from IBS Limits



If Total Energy Loss,  $U_T$ , is Fixed by RF Power  $\epsilon_{\text{nat}} \propto U_o \propto 1/\rho_o$

$$\epsilon_{\text{nat}} \approx (2 \text{ to } 3) \epsilon_{\text{IBS}} \Rightarrow (U_o/U_T) \approx (2 \text{ to } 3) (\epsilon_{\text{IBS}}/\epsilon_o)$$

$U_T = 1 \text{ MeV}$  and  $\epsilon_{\text{IBS}} = 0.25 \text{ nm}$ , then  $\rho_o \sim (20-30) \text{ m} \rightarrow \rho_o = 25 \text{ m NSLS-II}$

# Matching Optics to Undulators and Wigglers

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**Large DA due to careful cancellation of nonlinear driving terms**

**IDs will break the linear optics (Beta Function and Phase beating)**

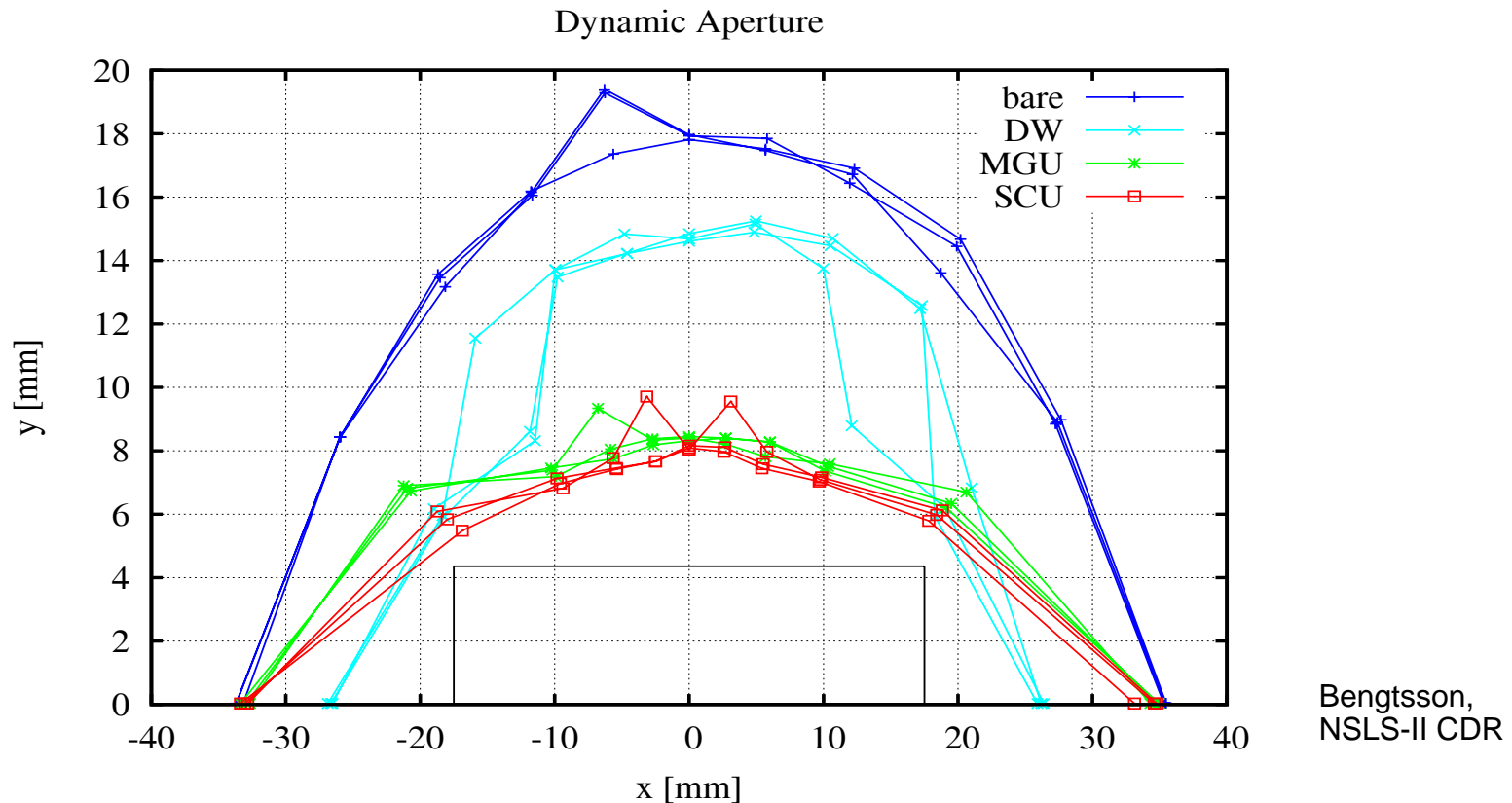
**IDs will also introduce nonlinear terms, tune shift with amplitude**

$$\Delta \nu_y = \frac{\langle \beta_y \rangle L_w}{8\pi \rho_w^2} \qquad \frac{d\nu_y}{dJ} = \frac{\pi \langle \beta_y^2 \rangle L_w}{4\lambda_w^2 \rho_w^2}$$

**DWs have large tune and beta function distortion, need to correct 2-phases and 2- Beta functions → 4-Quadrupoles in ID straight (3-Q's?)**

**Short period undulators have large nonlinear tune shift, not corrected**

# Four Quad Correction Maintains DA



DA with alignment errors corrected with BBA BPMs for:

5- 7m DWs(1.8T), or 15 -3m PM-MGU(19mm) or 15- 2m SCU(14mm)

# Advantage of Achromatic DBA Lattice

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- **DWs and IDs will damp emittance more effectively**  
 $\eta_x \sim 1\text{cm}$  increases DW damped emittance by  $\sim 15\%$
- **No effective emittance growth due to dispersion in ID or with energy spread growth from DWs or current**

$$\varepsilon_{eff} = \varepsilon_x \sqrt{1 + \frac{(\eta_x \delta)^2}{\beta_x \varepsilon_x}}$$

- No synchro-beta coupling from IDs or Longitudinal Coupled Bunch Instability increase of effective emittance
- Higher momentum compaction, less distortion of RF buckets, also advantage of lower dipole field
- Clear separation of chromatic and geometric sextupoles

# Advantages Low Field Dipole Lattice

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- Larger dispersion for reduced sextupole strength(DA)
- DWs and IDs will damp emittance more effectively.
- Smaller energy spread and larger momentum compaction factor.
- Lower RF power from dipoles, less heating issues.
- Lower critical energy from dipoles, easier to separate from ID radiation in X-ray BPMs.
- Lower thermal power in IDs from up-stream dipole, serious problem for SCU cryo-coolers.
- Dipole beams are diffraction limited <200 eV in H & V

## Disadvantages:

- Larger circumference lattice, cost risk less than technical
- No hard X-rays from dipole beams

# Summary

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- DBA-30 design takes novel approach to ultra-low emittance lattice
  - Damping wigglers provide evolution of emittance as users learn how to use such low emittance and high power levels
  - Damping wigglers make high flux/brilliance hard X-ray beams
  - RF power not wasted on dipole radiation
  - VUV dipole beam lines have easily handled power levels
- Further optimization of number of quadrupoles in ID straight sections should yield increased ID lengths
- Reduction of number BPM/correctors and borrowed BPMs from booster will reduce cost.



