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- Introduction and set-up
- Reconstruction of initial distribution
- Comparison of measurements and simulations
 - moderate mismatch
 - small mismatch
- 4th-order space charge driven resonance
- Summary

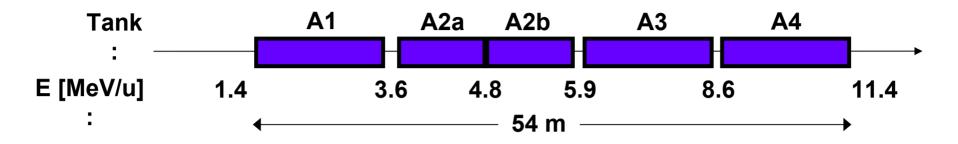
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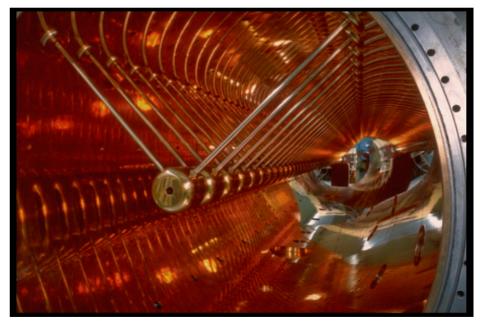
GSI



Case to Benchmark: Emittance Growth along UNILAC Alvarez DTL at GSI

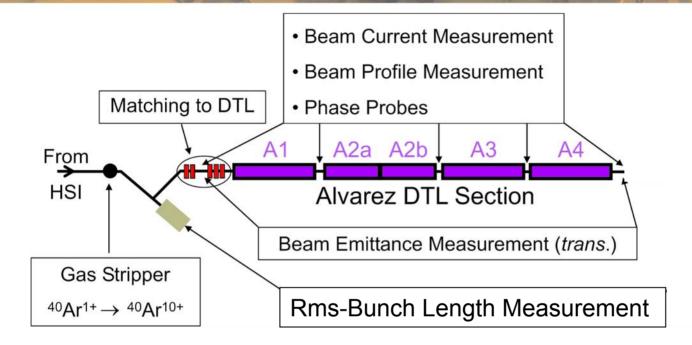


- 5 independent rf-tanks
- 108 MHz
- 192 rf-cells
- F-D-D-F focusing
- Inter-tank focusing : F-D-F
- Synchr. rf-phases -(30°,30°,30°,25°,25°)



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Experimental Set-up & Procedure

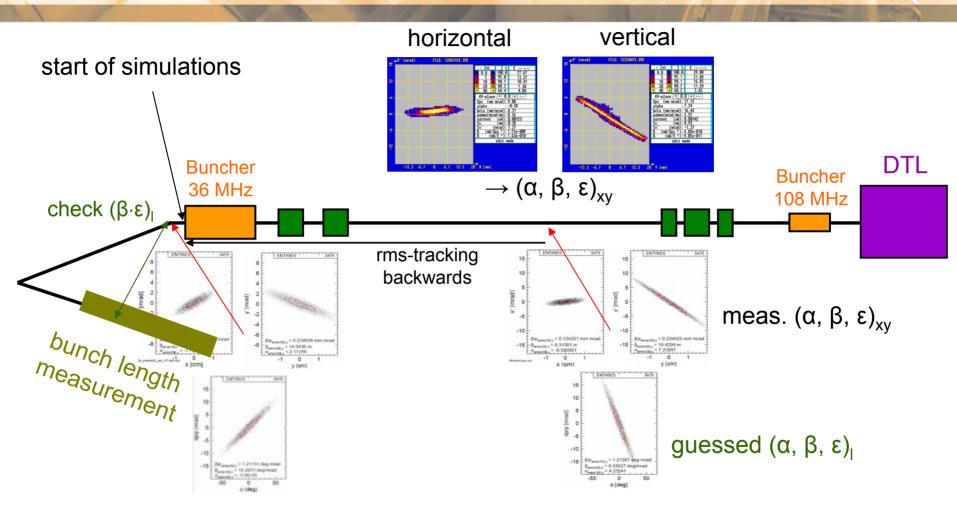


• set beam current to 7.1 mA of ⁴⁰Ar¹⁰⁺

- measure hor., ver. emittance, and long. rms-bunch length at DTL entrance
- set DTL transverse phase advance to values from 35° to 130° (undepressed)
 - tune depression varied from 14% (130°) to 43% (35°)
- measure transmission, hor., and ver. rms-emittance at DTL exit



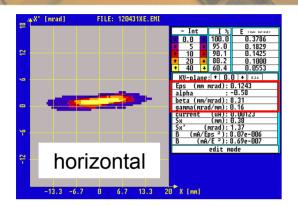
Reconstruction of Initial rms-Parameters



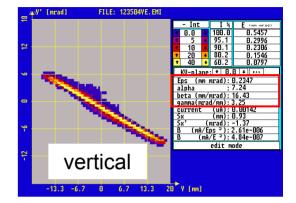
- 1. selfconsistent KV-backtracking, i.e. finding $(\alpha,\beta,\epsilon)_{I}$ that fit to measured bunch length
- 2. verification whether applied machine settings give full transmission w/o tails



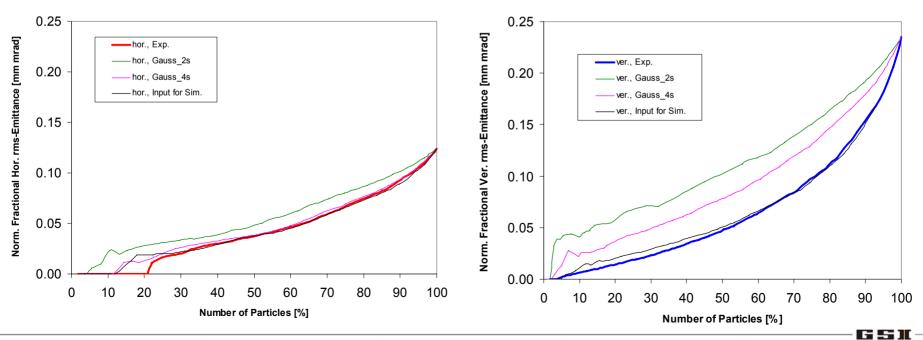
Reconstruction of Initial Type of Distribution



measured in front of DTL



measured initial distribution inhabits different amount of halo horizontally and vertically



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- Gauss, Lorentz, Waterbag, KV distributions do not fit the measured amount of halo
- Several functions tried in order to fit halo in both planes
- Function found as:

$$\frac{dN}{dV} = f(X, X', Y, Y', \Phi, \delta P/P)$$

$$\tilde{R}^2 = X^2 + X'^2 + Y^{1.2} + \Phi^2 + (\delta P/P)^2$$

$$f(\tilde{R}) \; = \; \frac{a}{2.5 \cdot 10^{-4} \, + \, \tilde{R}^{10}}, \ \, \tilde{R} \leq 1$$

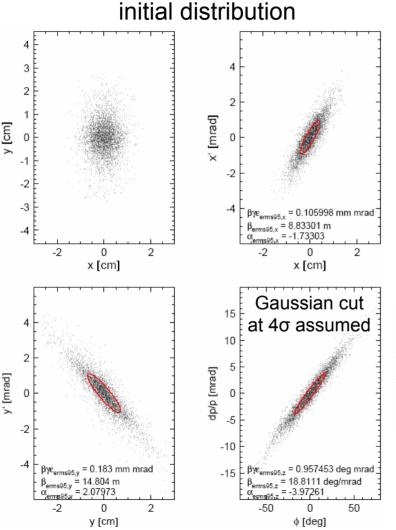
$$f(\tilde{R}) = 0, \qquad \qquad \tilde{R} > 1,$$

applying different powers for different planes, the amount of halo can be reproduced in each plane separately

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Initial Distribution and Codes



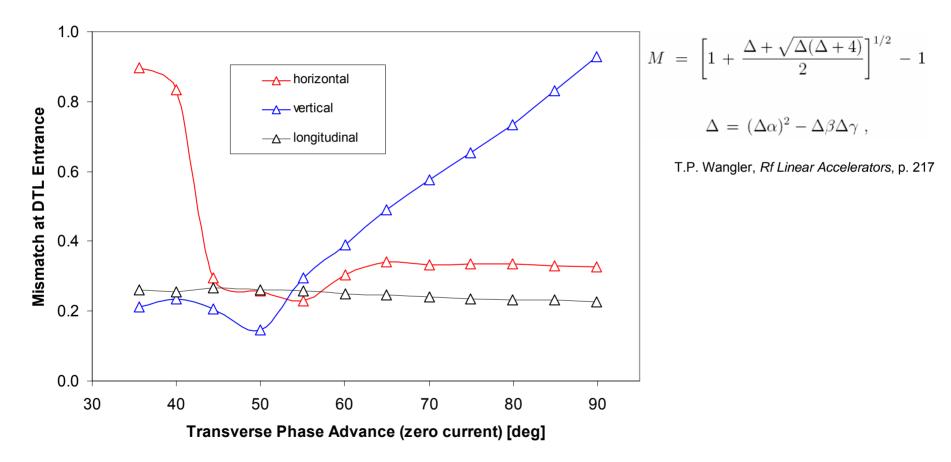
Simulations with four different codes as used by the participating labs:

DYNAMION (GSI) PARMILA (SNS) TraceWin (CEA/Saclay) LORASR (Univ. of Frankfurt)

	Solver	Boundaries	No. of Part.	CPU Time	Rf-Gap
DYNAMION	3D-partpart.	open	$4.3\cdot 10^3$	20 h	tracking
PARMILA	PICNIC-3D	open	$2\cdot 10^5$	30 min.	non-linear kicks
TraceWin	PICNIC-3D	open	$2 \cdot 10^5$	30 min.	non-linear kicks
LORASR	PICNIC-3D	open	$2\cdot 10^5$	1 h	tracking

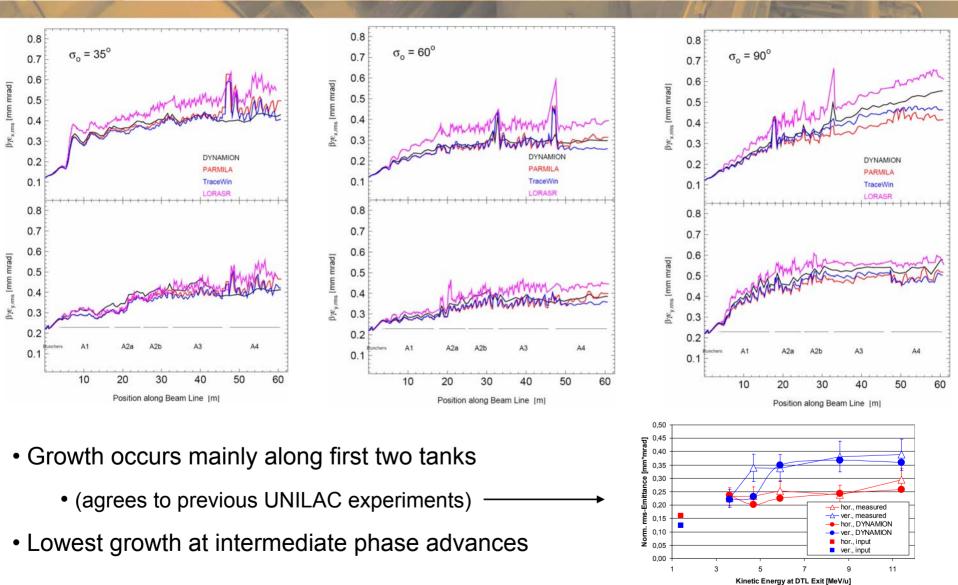


rms-tracking algorithm for reconstruction of initial distribution was used to estimate mismatch to DTL





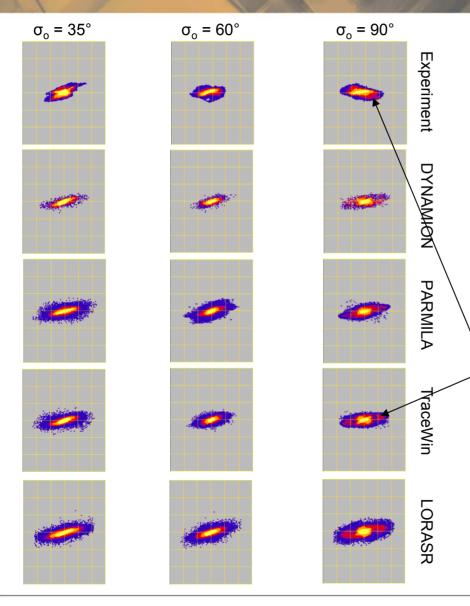
Evolution of Simulated rms-Emittances



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Shapes of Final Distributions (Horizontal)

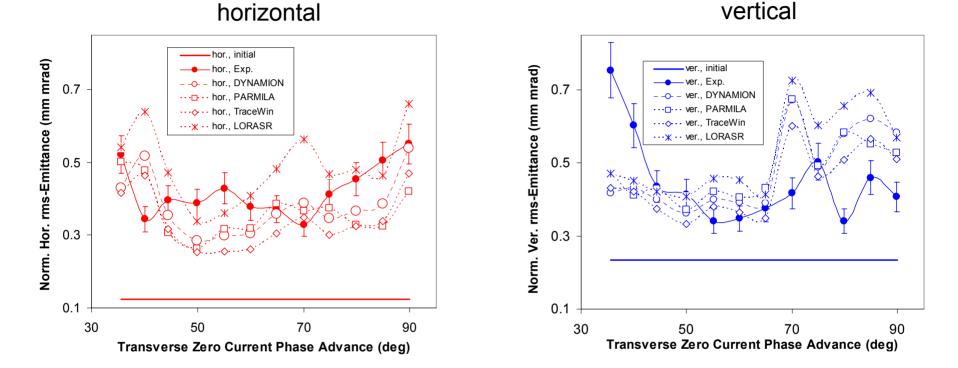


PACOS

Int / Int_max [%]
0 – 5
5 – 10
10 – 20
20 - 40
40 -100

- Core: good agreement (ex. 35°)
- 90°: "wings" seen in exp. & sims
- Deviations at lowest densities

Emittances as Function of Phase Advance



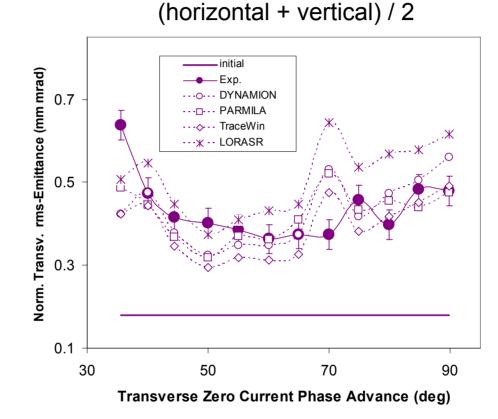
• Codes reproduce the dependence on phase advance qualitatively

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• Differences w.r.t. to absolute final emittance values

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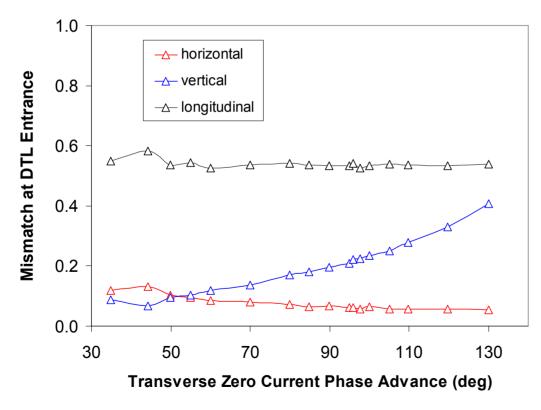
- Quantitative agreement among codes better for the sum of transverse emittances
- Reduced fluctuation of data points w.r.t. average behavior
- Experimental data within bandwidth of codes



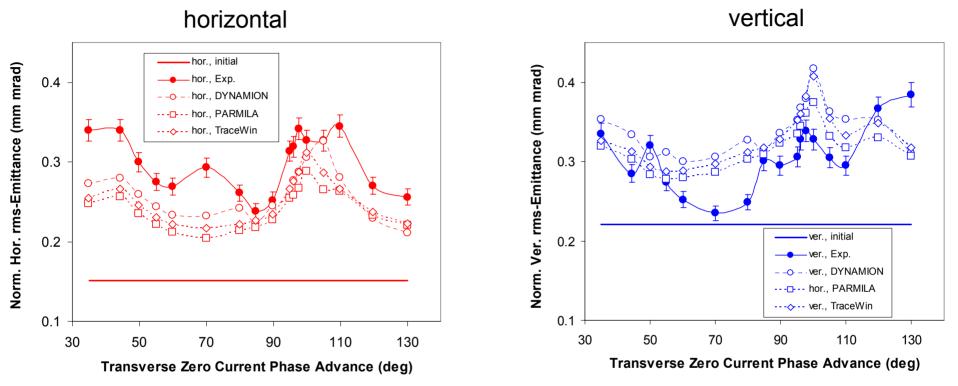
• D. Jeon found that UNILAC DTL might allow to measure 4th-order space charge resonance

-> Poster FR5REP078 & LINAC2008

- second campaign used just 1st DTL tank to avoid inter-tank mismatch
- algorithm for reconstruction of initial distribution used to minimize mismatch to DTL



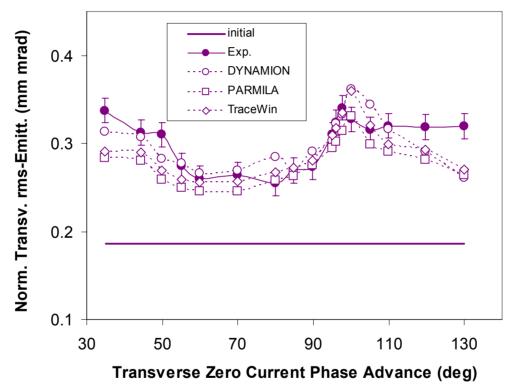




- Codes generally underestimate horizontal emittance
- Codes generally overestimate vertical emittance
- Codes reproduce peak at about 100°

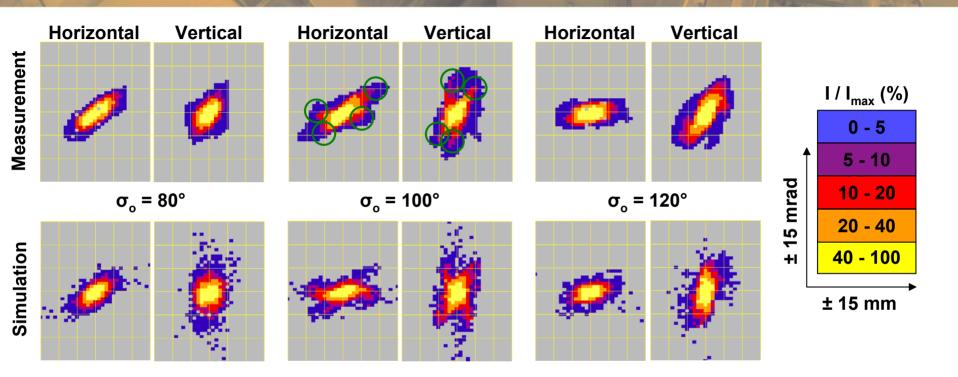


(horizontal + vertical) / 2



- Very good agreement with codes below 100°
- Codes reproduce beginning of stop-band at 90°
- Beyond 100°: codes predict decreasing emittances

Phase Space Distributions after 1st DTL Tank



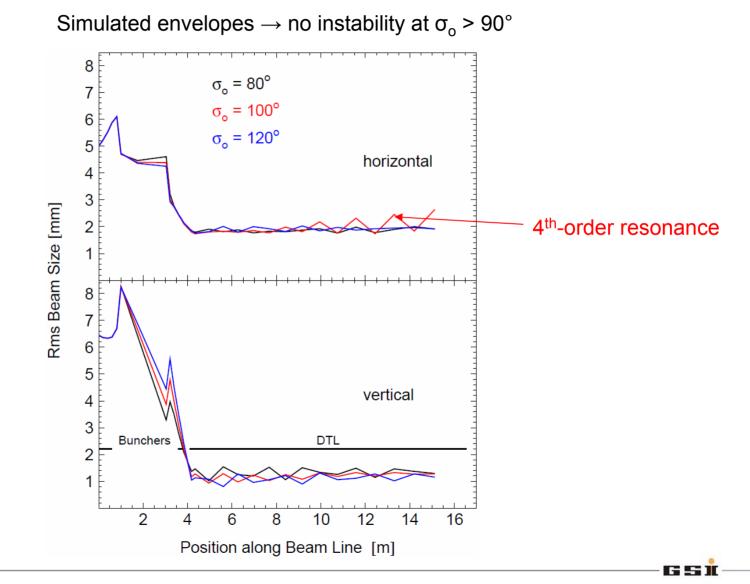
Evidence for 4th-order resonance

- driving force is beam space charge
- resonance dominates over envelope instability
 - \rightarrow as predicted by D. Jeon, Poster FR5REP078 & LINAC2008

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PACO9



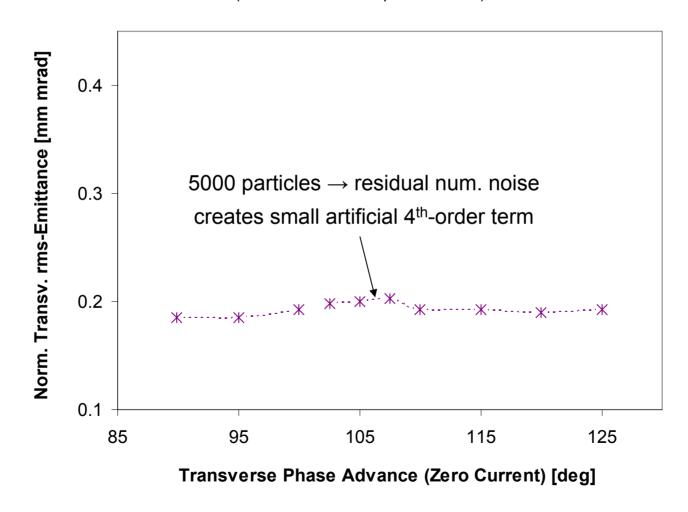


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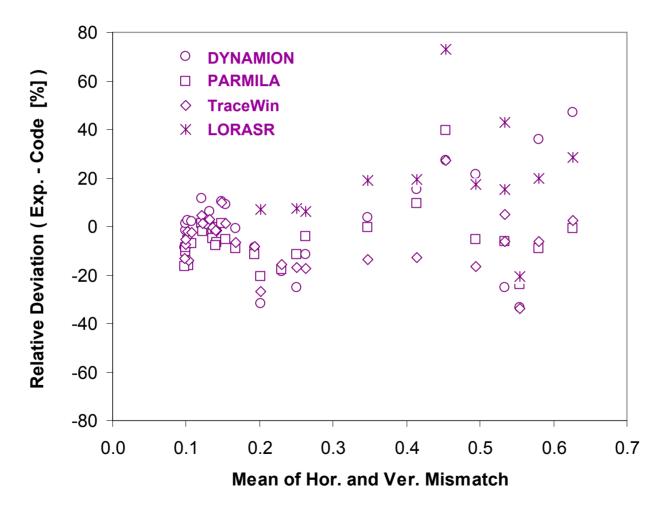
Impact of Envelope Instability II

Simulation with KV distribution \rightarrow no significant growth (KV has no 4th-order potential term)





Relative Difference of measured and simulated mean transverse rms-emittances



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- Codes describe well the behavior of sum of hor. and ver. emittances
- Within single planes agreement between measurments and codes is fair
 → Might be due to missing knowledge on initial inter-plane correlations
- Reliability of codes decreases with mismatch
- Differences among codes increase with mismatch
- Experimental evidence for 4th-order space charge resonance in linear accelerator
- Resonance dominates over the envelope instability

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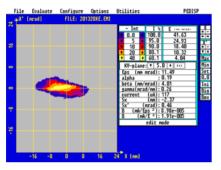
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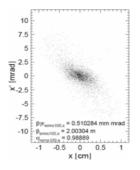
Data Reduction

Measurement



- projection of 6-dim to 2-dim plane
- matrix of pixels
- pixel size 0.8 mm / 0.5 mrad
- evaluation based on pixel contents

Simulations

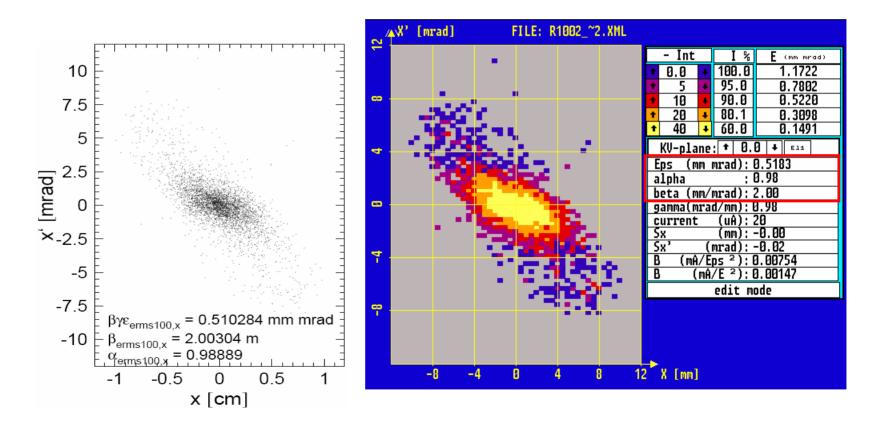


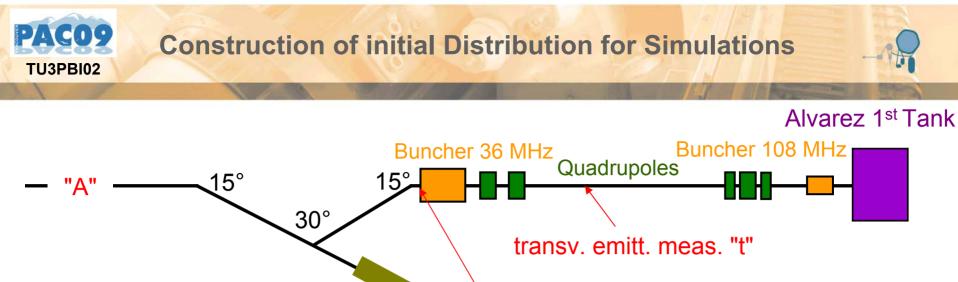
• full 6-dim information available

to compare measurement and simulation adequately, the evaluation procedures must be identical



- particle coordinates from simulations are projected onto virtual meas. device
- projection is evaluated as a measurement





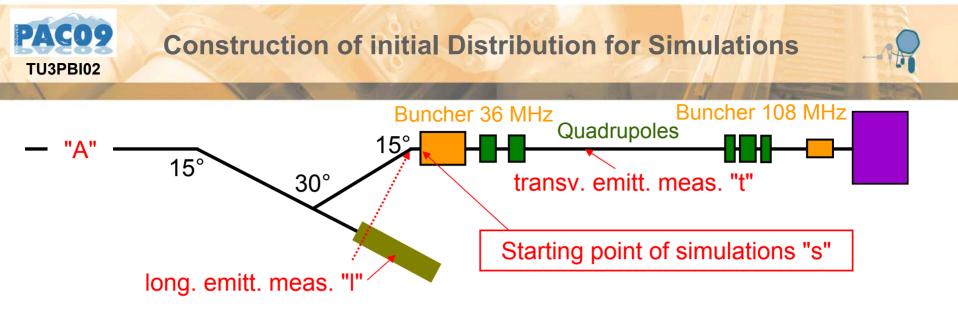
starting point of

simulations "s"

- measured long. rms-Twiss parameters seemed not realistic, just bunch length ok
- DTL transmission is very sensitive to 36 MHz buncher setting, i.e. long. mismatch
- applied buncher settings resulted in full DTL transmission and minimized low energy tails
- -> useful in re-constructing the long. input distribution by simulations
- transv. and long. emittance were measured at different locations, i.e. at "t" & "l"
- distances from "I" and "s" to point "A" differ by 0.4 m

long. emitt. meas. "I"

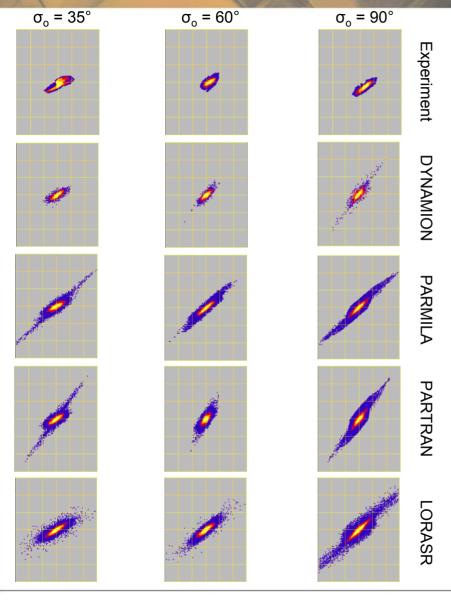
• to merge transv. & long. measurements together some approximations (tricks) were used



- to merge measurements together some approximations (tricks) were used :
 - "transport" from "I" to "s" approximated by drift of 0.4 m (with space charge)
 - at "t": combine measured x&y-rms-Twiss parameters with guessed long. rms-Twiss parameters
 - rms-tracking with space charge from "t" to "s-0.4m", using applied machine settings
 - if bunch length at "s-0.4m" agrees reasonably with measured one at "I": -> ok
 - if not: -> do different guess on long. Twiss parameters at "t"
 - put "s"-rms-Twiss parameters (x,y,l) into matching routine
 - · compare suggested 36 MHz-buncher settings with those used during experiment
 - agreement: -> ok, distribution reconstructed
 - no agreement: -> do different guess on long. Twiss parameters at "t"



Shapes of Final Vertical Distributions



Int / Int_max [%]		
0 – 5		
5 – 10		
10 – 20		
20 – 40		
40 -100		

- core: good agreement
- deviations at lowest densities



density of beam core with octupolar component:

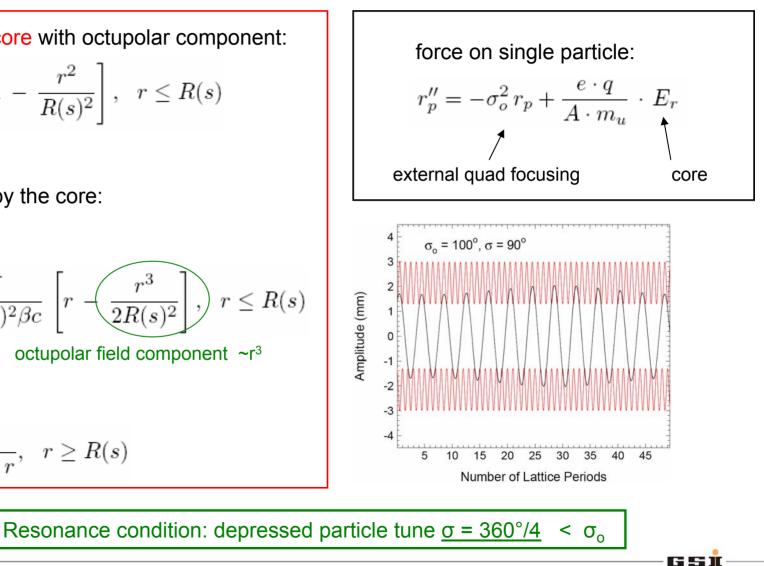
$$\rho(r) = \rho_o(s) \cdot \left[1 - \frac{r^2}{R(s)^2}\right], \quad r \le R(s)$$

the field caused by the core:

inside core:

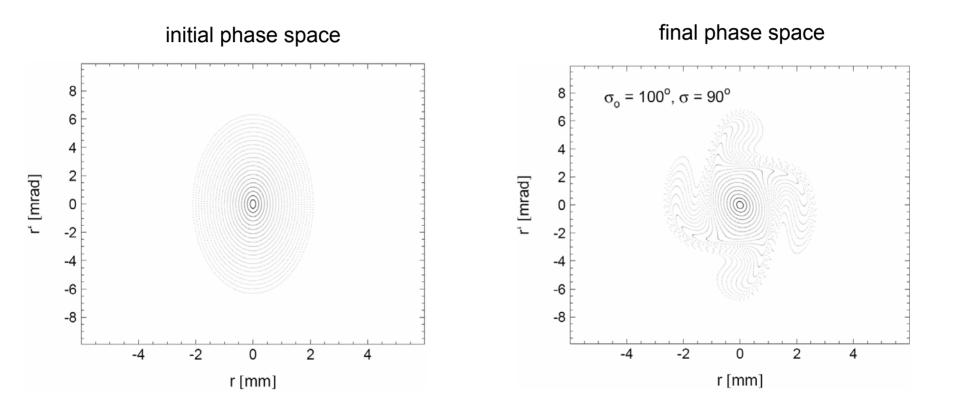
$$E_{r} = \frac{18 \cdot I}{\pi \epsilon_{o} \cdot R(s)^{2} \beta c} \left[r - \frac{r^{3}}{2R(s)^{2}} \right], r \leq R(s)$$

octupolar field component ~r^{3}
outside core:
$$E_{r} = \frac{9 \cdot I}{\pi \epsilon_{o} \cdot \beta c \cdot r}, r \geq R(s)$$





tracking many particles using particle-core model



Four wings are the characteristic feature of a 4th-order resonance

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