Recent Developments at the NSCL Small Isochronous Ring

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Main Topics

- Brief Introduction to Small Isochronous Ring (SIR)
- Beam Instability
- Design of Energy Analyzer
- Energy Spread Measurement

Space Charge Effects



• Why are we interested in space charge forces in isochronous accelerators?

•Longitudinal space charge forces increase energy spread

•Adjacent turns overlap, reducing the turn separation at extraction, increasing losses

The Small Isochronous Ring was started as a PhD dissertation work by E. Pozdeyev and J. A. Rodriguez to study space charge effects in Isochronous accelerators.

Small Isochronous Ring(SIR) of NSCL/MSU





Diagnostic box

Beam Instability of SIR



30 cm

Simulations of beam breakup by CYCO [1] shows the onset of the instability and its dependence on the beam current.

Experimental results obtained at SIR showing the breakup of the beam[2]

[1]E.Pozdeyev, Ph.D thesis, MichiganState University(2003)[2] J.A.Rodriguez, Ph.D thesis,Michigan State University(2004)

Beam Instability of SIR^[1]



• Initial charge modulation induces energy modulation, then radius oscillation.

• The dispersion function changes and so does the slip factor.

• Working point is raised above transition, then instability takes place

 \bullet Growth rate of instability is proportional to Beam current $~{\rm I_0}$ instead of ${\rm I_0}^{1/2}$

[1] E. Pozdeyev et al. FR5RFP036 of this conference and PRSTAB to be published.

Importance of Energy Spread

- Energy spread is key to the long-term beam distribution and instability
- Particle distribution function^[1]

$$\mathsf{f}=\mathsf{f}_{0}(\varepsilon,\mathsf{t})+\mathsf{f}_{1}(\varepsilon,\theta,\mathsf{t})=\mathsf{f}_{0}(\varepsilon,\mathsf{t})+\mathsf{Re}[\sum_{n\neq 0}h_{n}(\varepsilon,t)e^{i(n\theta-\Omega_{n}t)}]$$

Where $\varepsilon = E - E_0$ is energy shift Ω_n is only a function of energy shift ε by dispersion relation

[1]Yongho Chin et al. Physics Review D, Volume 28 Number 9 (1983)

Design Parameters of Energy Analyzer for SIR





Comparison of Analyzers Between UMER and SIR (1) -300 V Coll



[1] Y.Cui,Y.Zou, et al. Review of Scientific Instruments Volume 75 Number 8 (2004)









Field Model of Real Mesh (SIMION 8.0)







- The potential on the retarding plane is not uniform
- we set up a small piece of field model which can move along the retarding plane to represent the whole real mesh in simulation .

Performance of Analyzer with Coarse Grid

(Lines Per Inch(LPI)=100 Transmission Rate=72%)



[1] G.Machicoane et. al Rev. Sci. Instrum. 77, 03A322 (2006)

Performance of Analyzer with Fine Mesh (LPI=1000,Transmission rate=50%)



Retarding voltage=20 kV

Performance of Analyzer Tested at SIR (DC beam, LPI = 1000)

Δ E/E=1.3 e-3



Future Work

- Improve Signal to Noise ratio for pulsed beam in SIR
- Measure energy spread of pulsed beam in SIR
- Solve Nonlinear Vlasov Equations numerically in which slip factor:

$$\eta = \eta_{s.c} + \eta_0 + \eta_1 \frac{\varepsilon}{\beta^2 E} + O(\varepsilon^2)$$

• Compare measurement results with analytical solution to explain the Growth Rate of Instability, Saturation of energy spread, etc.

Acknowledgement

- Supervisor: Felix Marti
- E. Pozdeyev, Tom Wangler.
- John Oliva : Mechanical Design
- Guillaume Machicoane: Experiments
- Technician of NSCL Workshop
- Special thanks for generous help from colleagues of University of Maryland



It shows that the change of beam current and emittance has little effects on resolution of analyzer during measurement [1]Stanley Humphries, *<Charged Particle Beams>,*John Wiliey&Son,1990 **Importance of Energy Spread**

- Particle distribution function^[1]
- f=f₀(ε,t)+f₁ (ε,θ,t) =f₀(ε,t)+Re[$\sum_{n \neq 0} h_n(ε,t)e^{i(nθ-Ω_nt)}$] Where ε =E-E₀ is energy shift
- Dispersion relation^[1]:

$$1 - \frac{(e\omega_0)^2}{2\pi} i Z_n \int_{-\infty}^{\infty} \frac{\partial f_0(\varepsilon, t) / \partial \varepsilon}{\Omega_n - n(\omega_0 + k_0 \varepsilon)} d\varepsilon = 0$$

$$k_0 = -\eta \frac{\omega_0}{\beta^2 E}, \quad \eta = \eta_{s.c} + \eta_0 + \eta_1 \frac{\varepsilon}{\beta^2 E} + O(\varepsilon^2)$$

Where Ω_n is only a function of energy shift ϵ [1]Yongho Chin et al. *Physics Review D*, Volume 28 Number 9 (1983)

Comparison of Analyzers Between UMER and SIR(2)

	UMER	SIR
Extraction	Single pass	Variable Turn
Beam Species	e-	H ₂ +
e- Suppressor	No	Yes
Entrance Hole	1mm hole	14mm*1mm slit
Electrodes and Housing	Cylindrical	Rectangular
Working Mode	, Static	Scanning
Beam Intensity	mA	nA