



Universität Hamburg

DER FORSCHUNG | DER LEHRE | DER BILDUNG

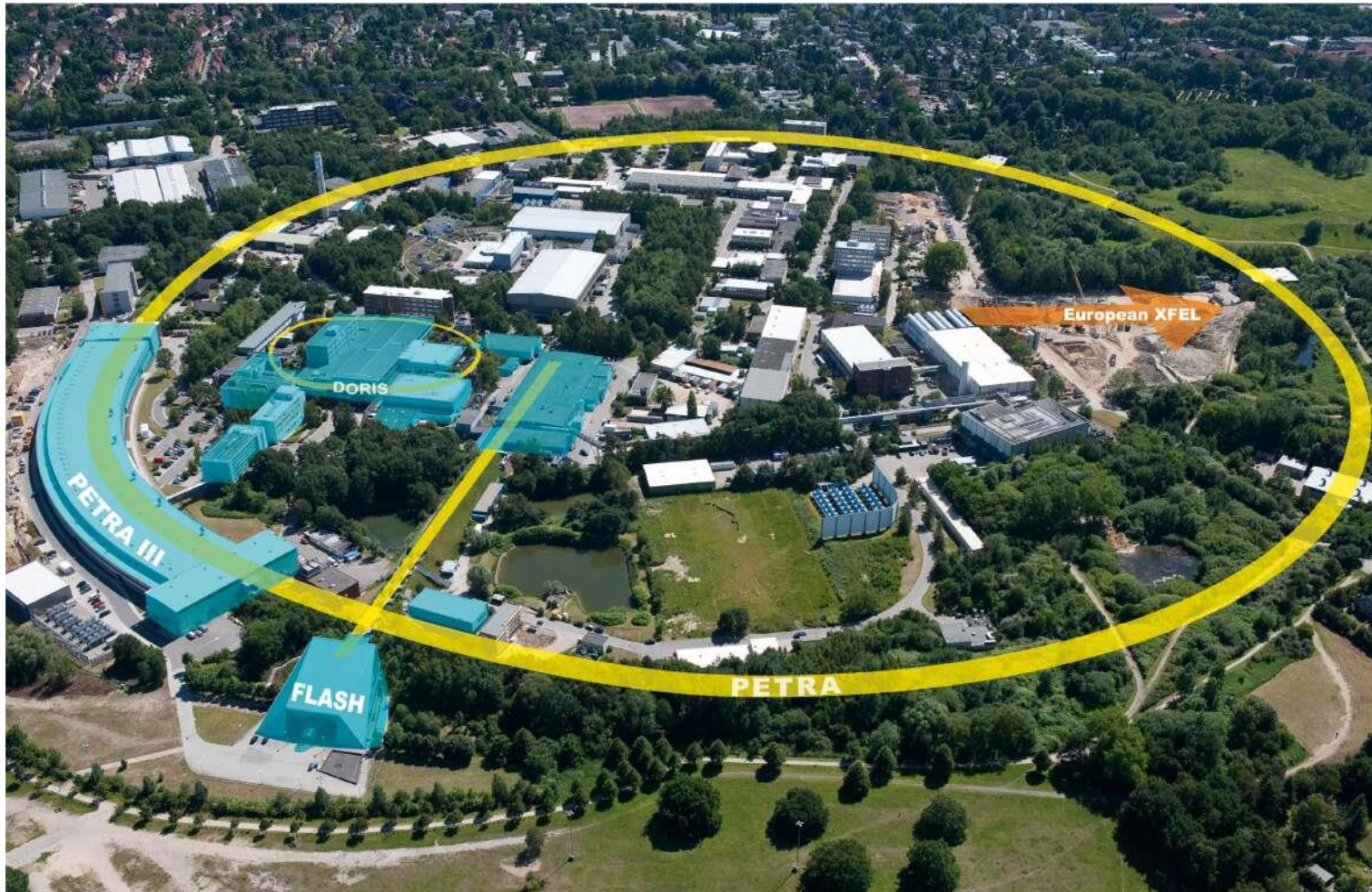
ANALYSIS OF THE ELECTRO-OPTICAL FRONT END FOR THE NEW 40 GHz BUNCH ARRIVAL TIME MONITOR*

IBIC2012, Tsukuba, Japan, Oct 1-4, 2012

*The work is supported by Federal Ministry of Education and Research of Germany (BMBF) within FSP 301 under the contract numbers 05K10GU2 and 05K10RDA.

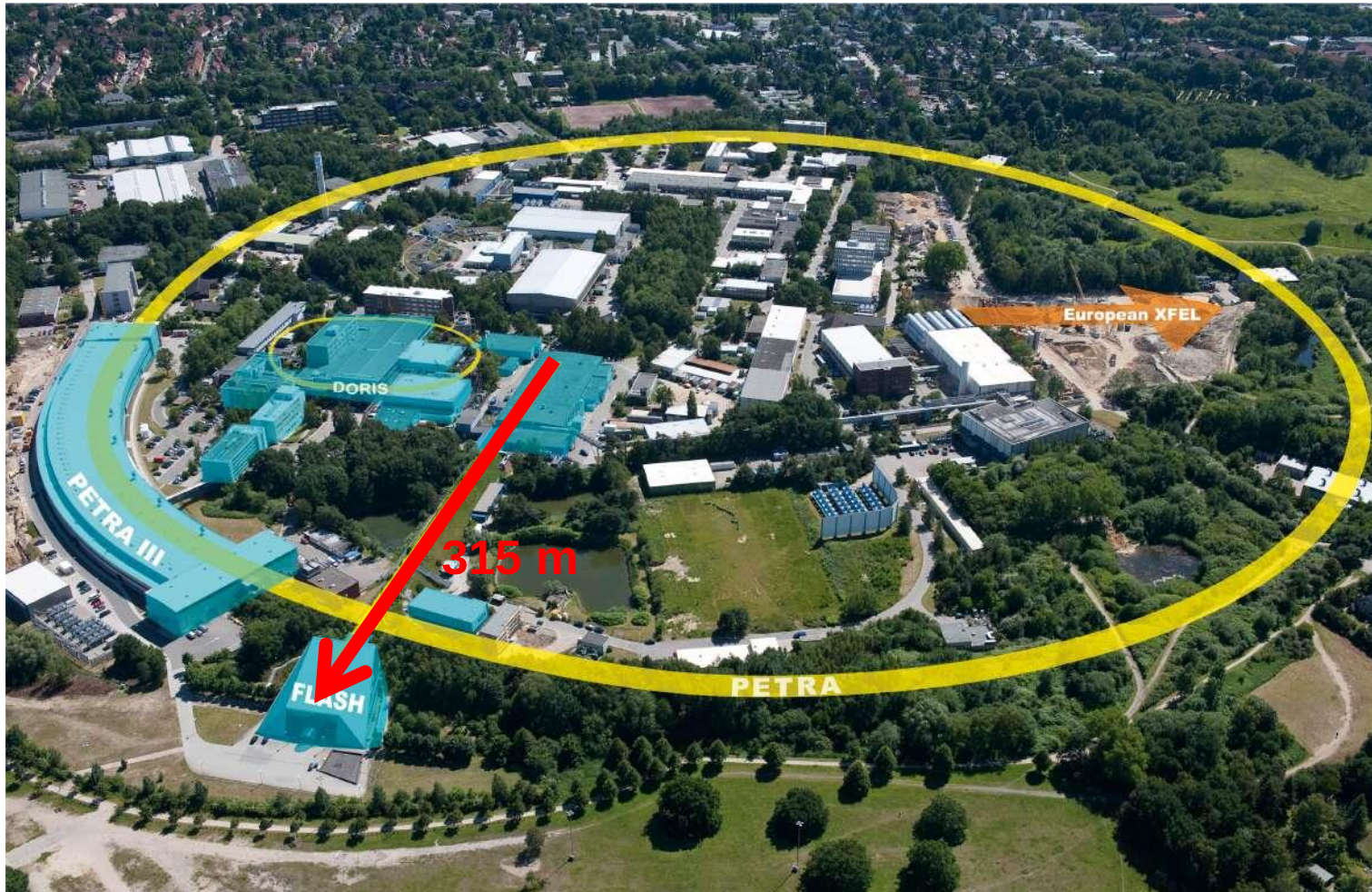
- Introduction
- Synchronization of FLASH
- BAM system
- Old and new Pickup
- RF calculation
- Monte Carlo Simulation
- Results
- Outlook

Introduction



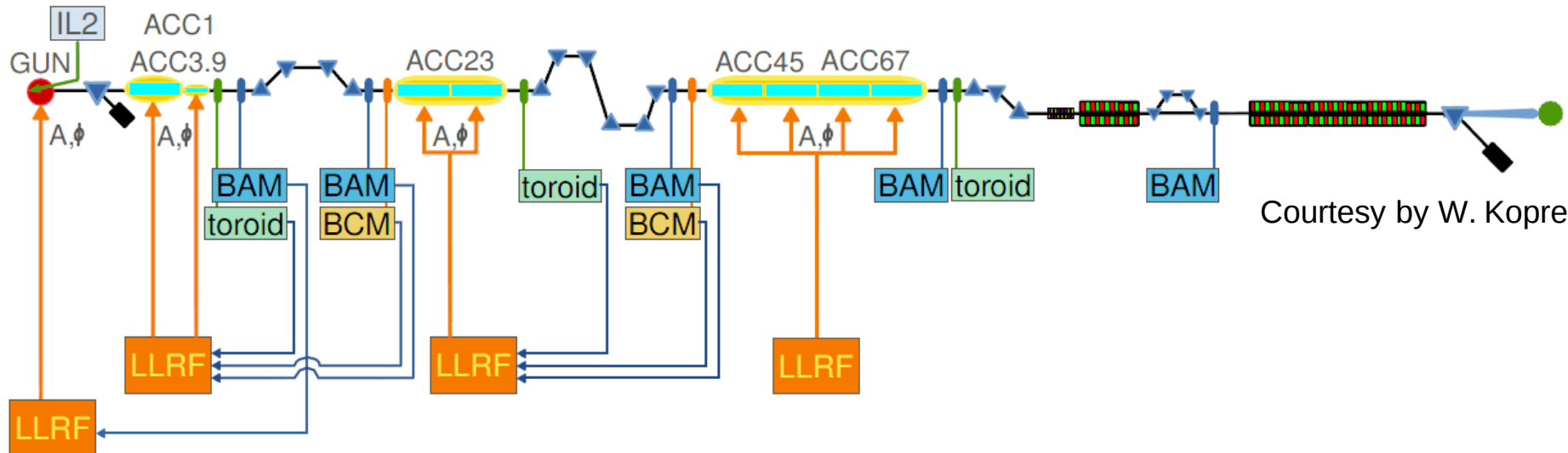
Picture: www.desy.de

Introduction



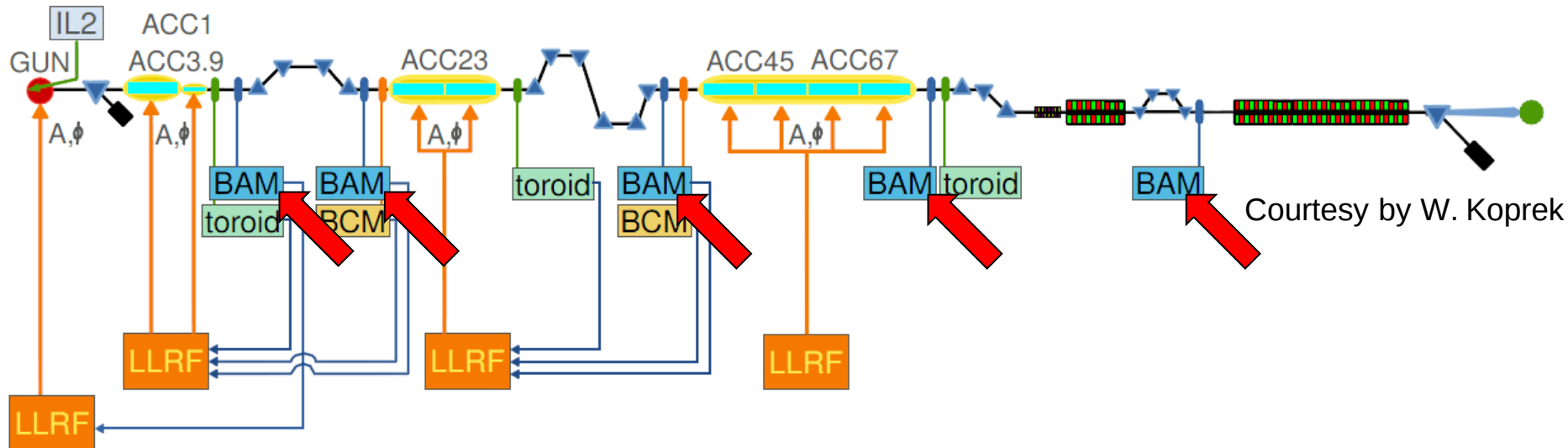
Picture: www.desy.de

The FLASH Accelerator

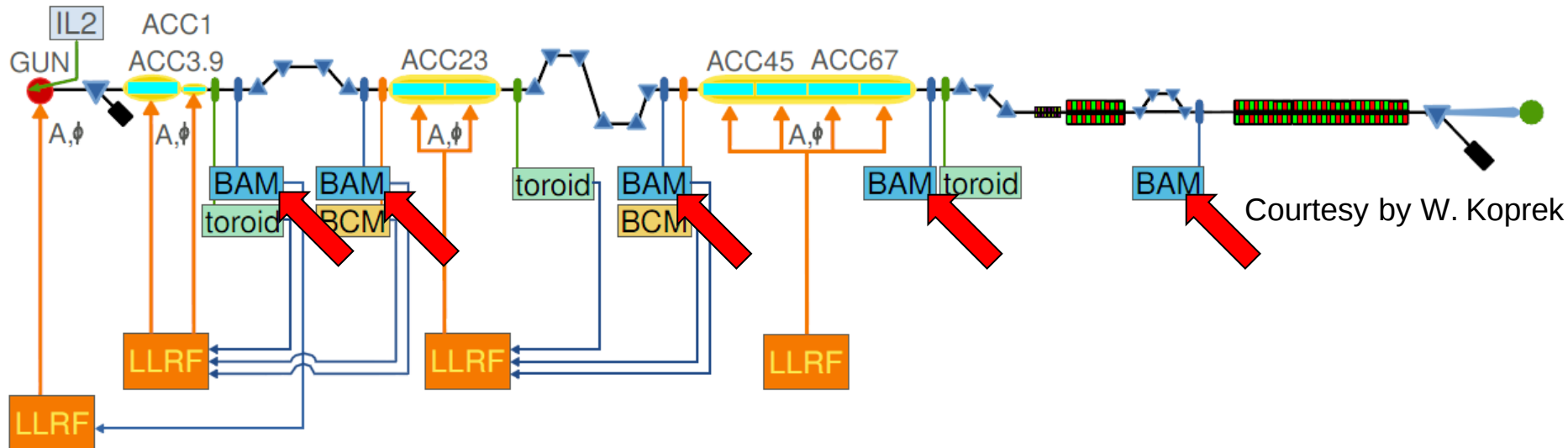


Courtesy by W. Koprek

The FLASH Accelerator



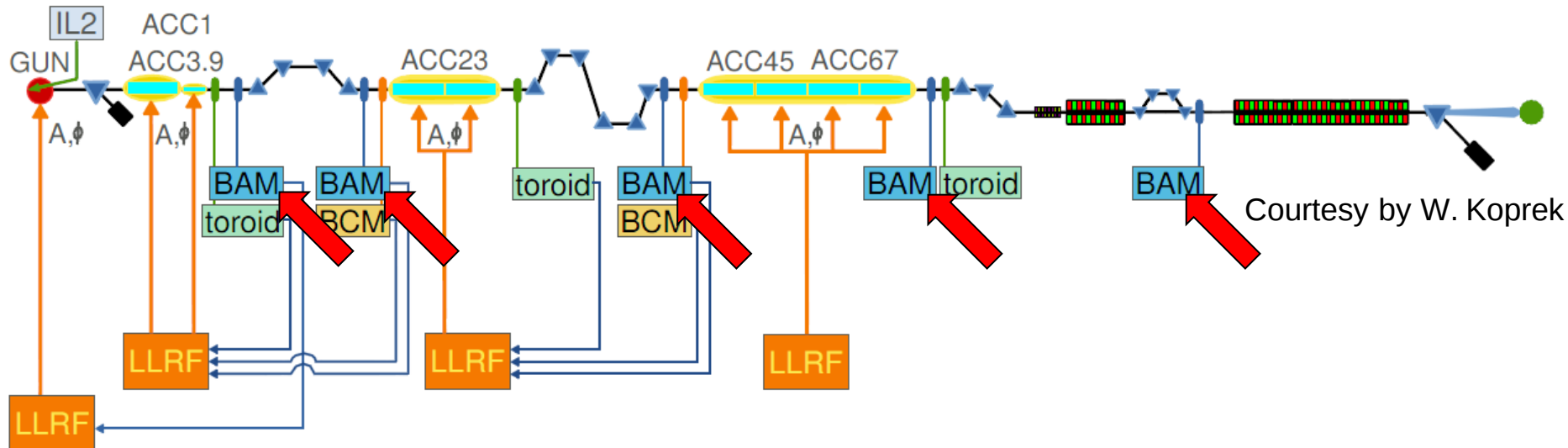
The FLASH Accelerator



Accuracy of arrival time measurement: $< 10 \text{ fs}$
 Reachable beam stability with feedback: $< 25 \text{ fs}$

Bunch charge $> 500 \text{ pC}$

The FLASH Accelerator



Courtesy by W. Koprek

Accuracy of arrival time measurement: < 10 fs

Reachable beam stability with feedback: < 25 fs

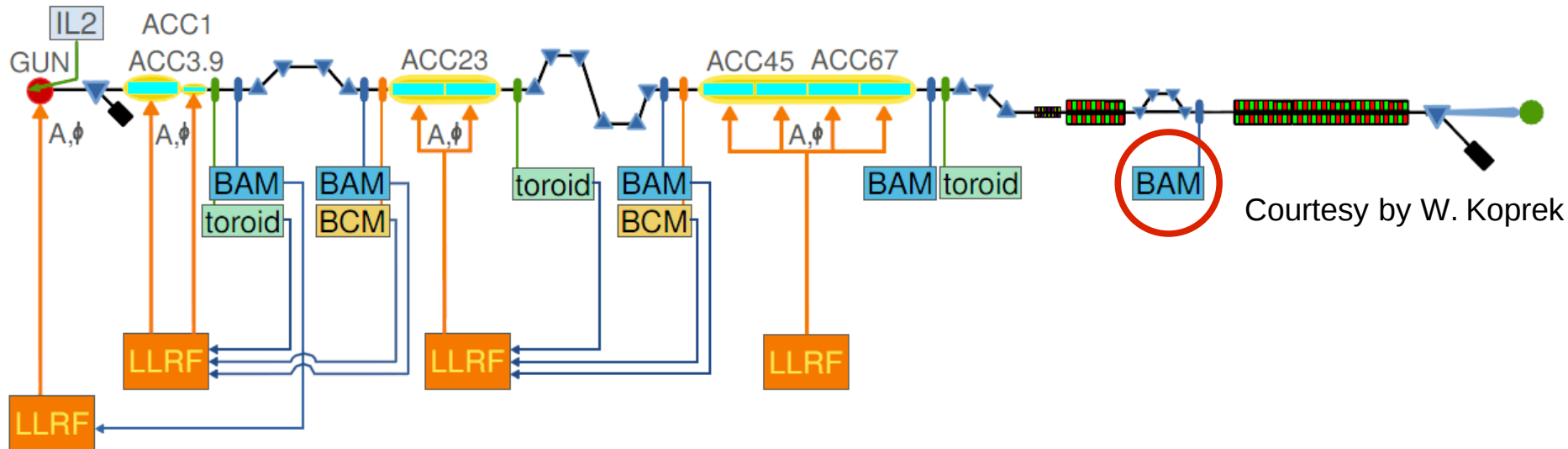
Bunch charge > 500 pC



New requirement:

Accuracy of arrival time measurement = 10 fs with 20 pC bunch charge

The FLASH Accelerator



Courtesy by W. Koprek

Accuracy of arrival time measurement: $< 10 \text{ fs}$

Reacheble Beam stability with feedback: $< 25 \text{ fs}$

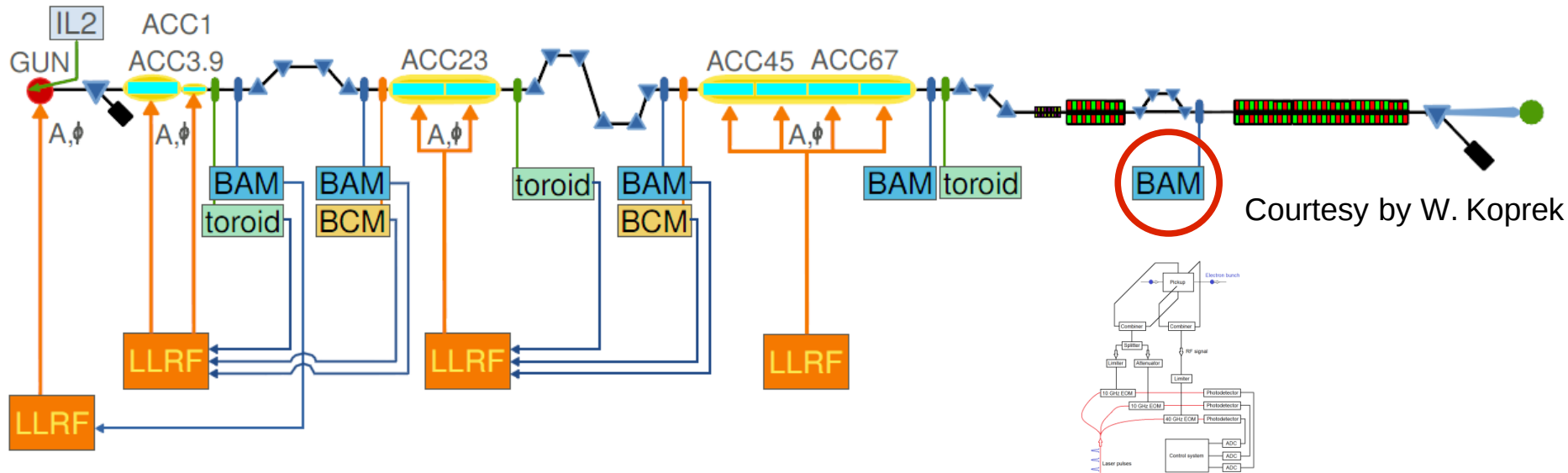
Bunch charge $> 500 \text{ pC}$



New requirement:

Accuracy of arrival time measurement = 10 fs with 20 pC bunch charge

The FLASH Accelerator



Courtesy by W. Koprek

Accuracy of arrival time measurement: < 10 fs

Reacheble Beam stability with feedback: < 25 fs

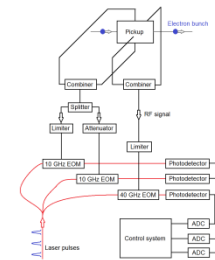
Bunch charge > 500 pC

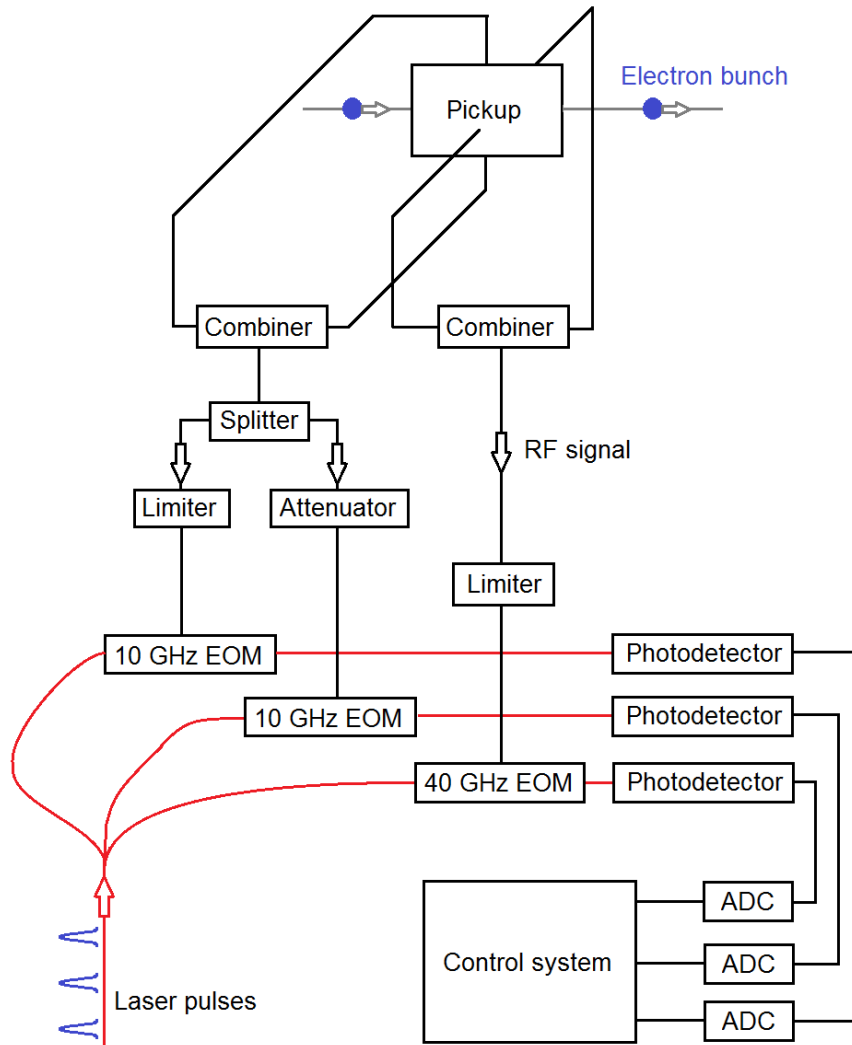


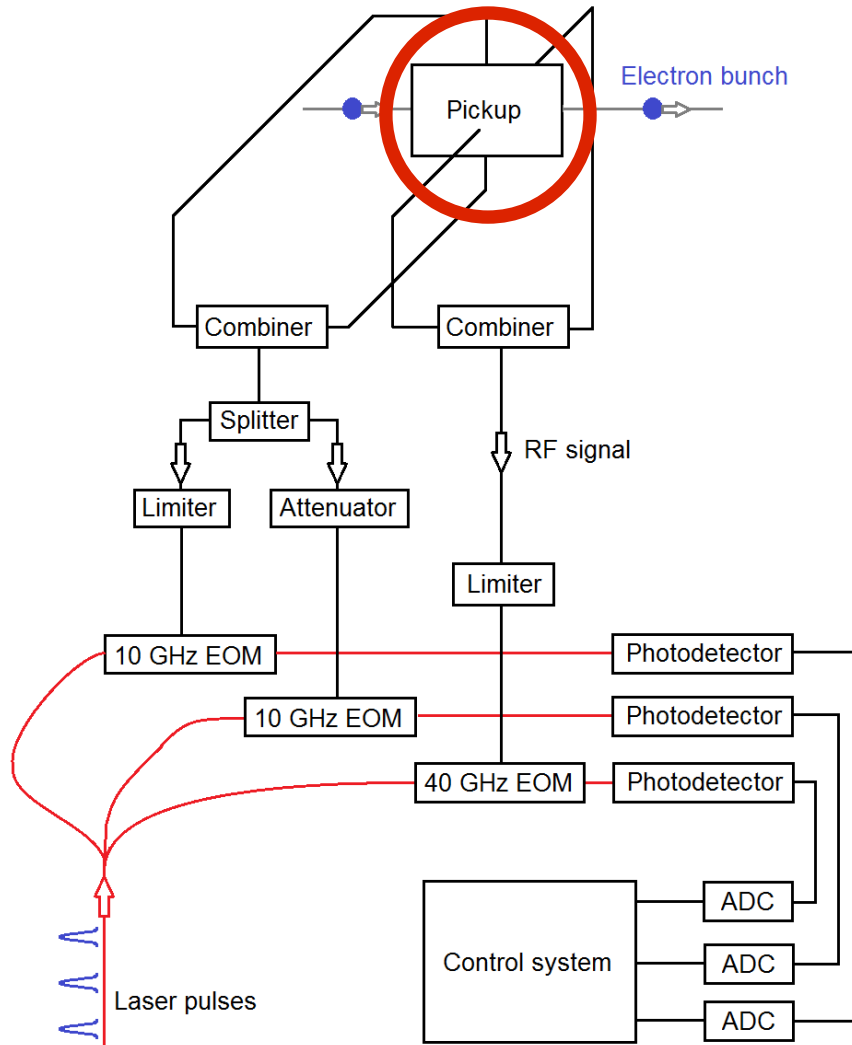
New requirement:

Accuracy of arrival time measurement = 10 fs with 20 pC bunch charge

BAM system

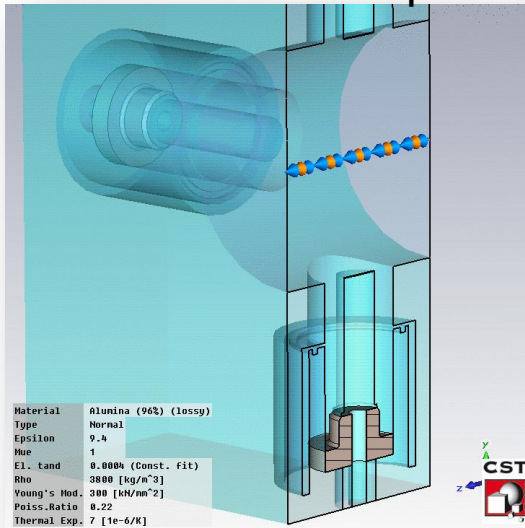




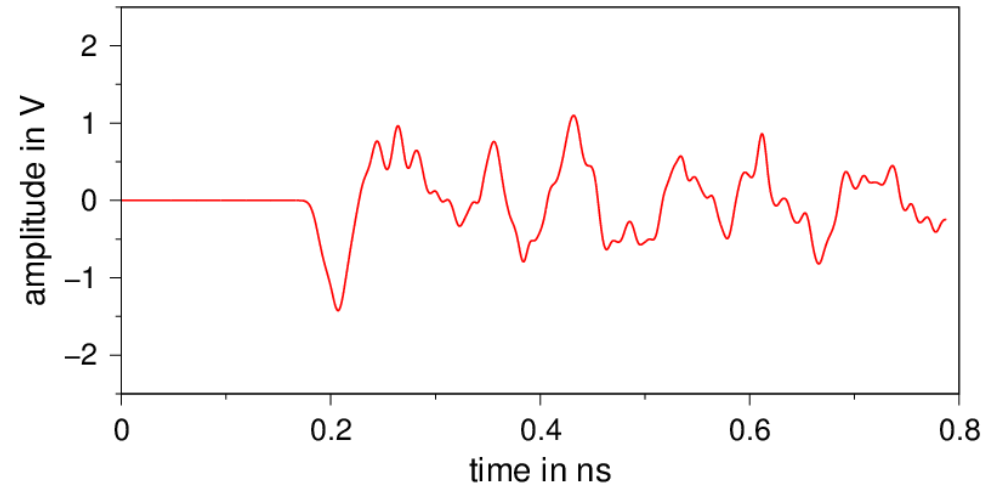


Old and new Pickup

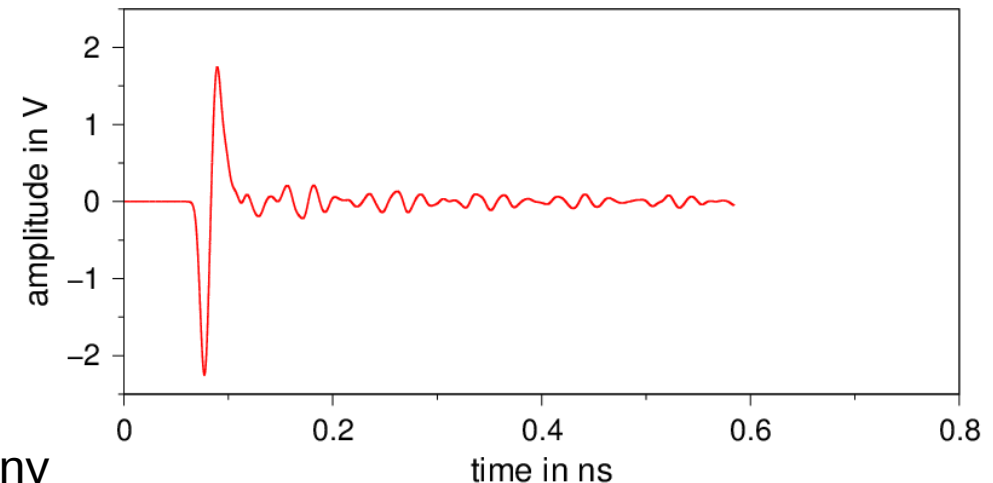
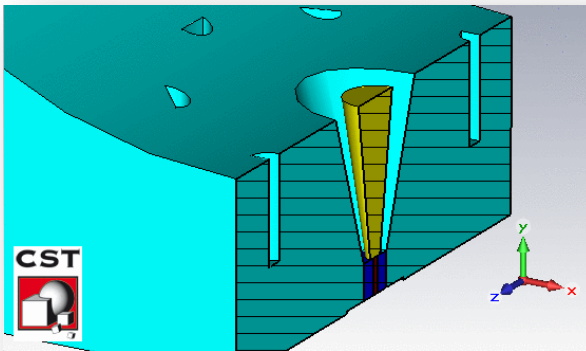
Old 10 GHz Pickup



Simulation with 20 pC bunch charge



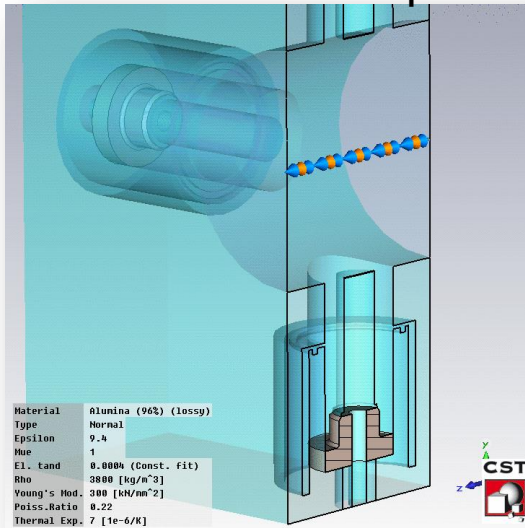
New 40 GHz Pickup



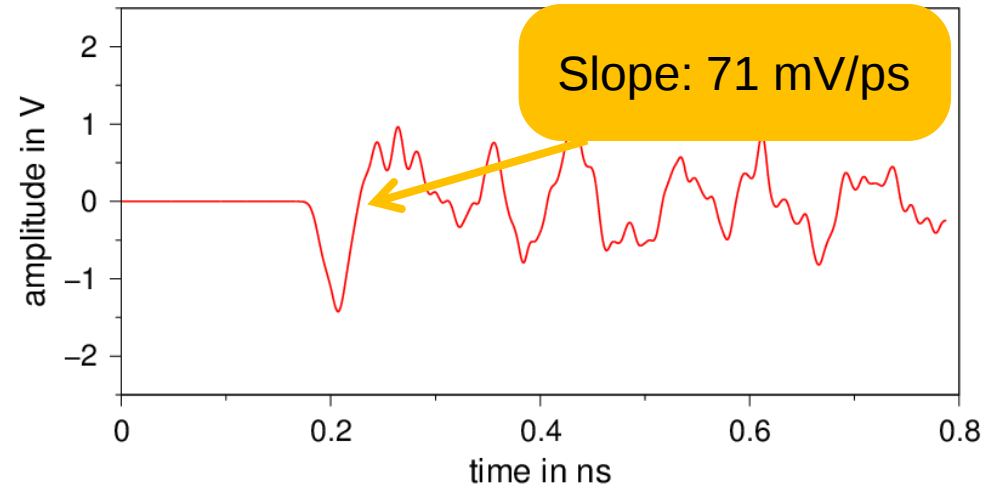
Design at TU Darmstadt, Germany

Old and new Pickup

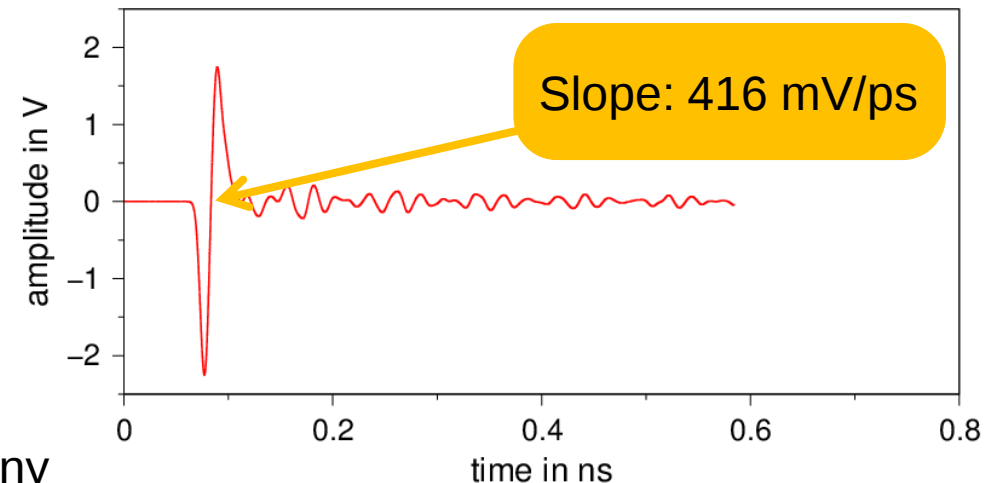
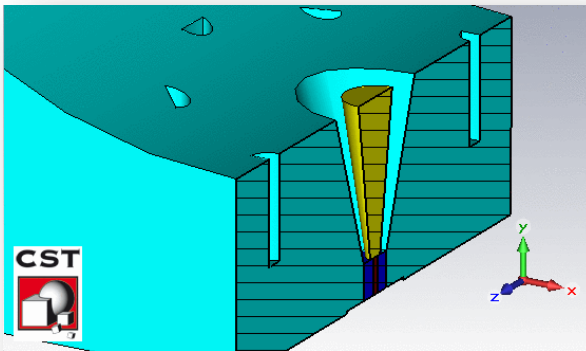
Old 10 GHz Pickup



Simulation with 20 pC bunch charge



New 40 GHz Pickup



Design at TU Darmstadt, Germany

and new Pickup

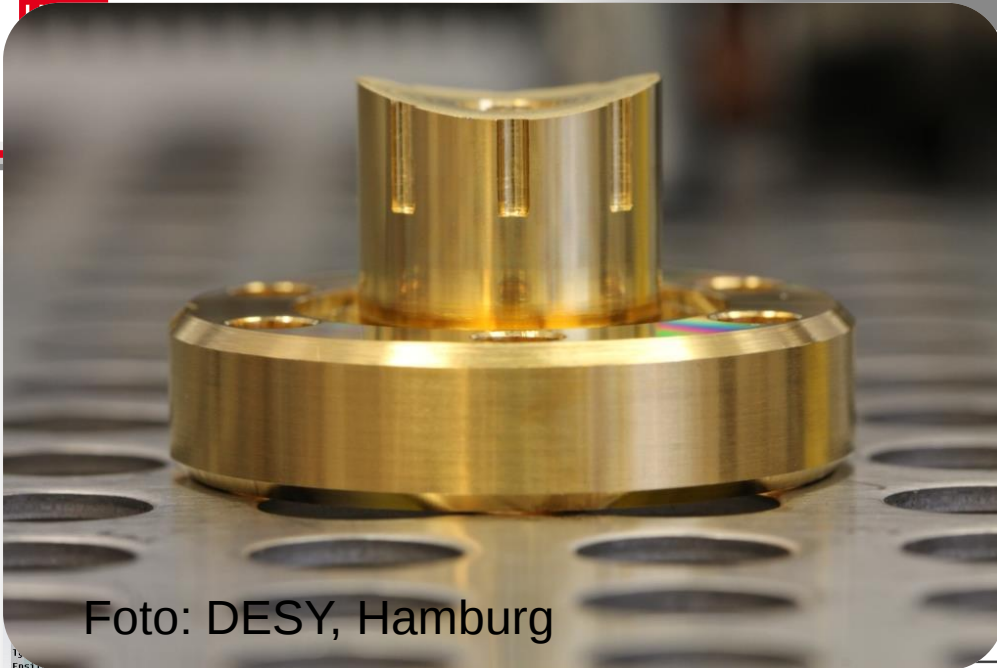
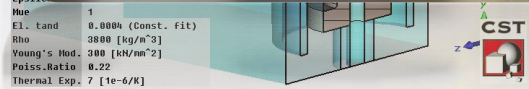
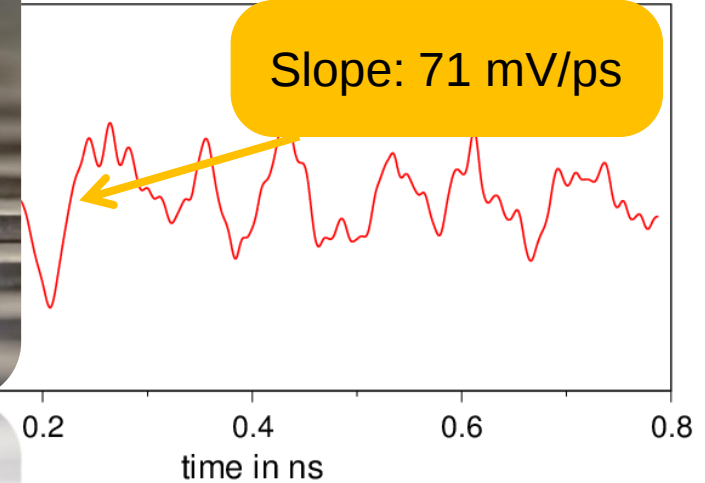


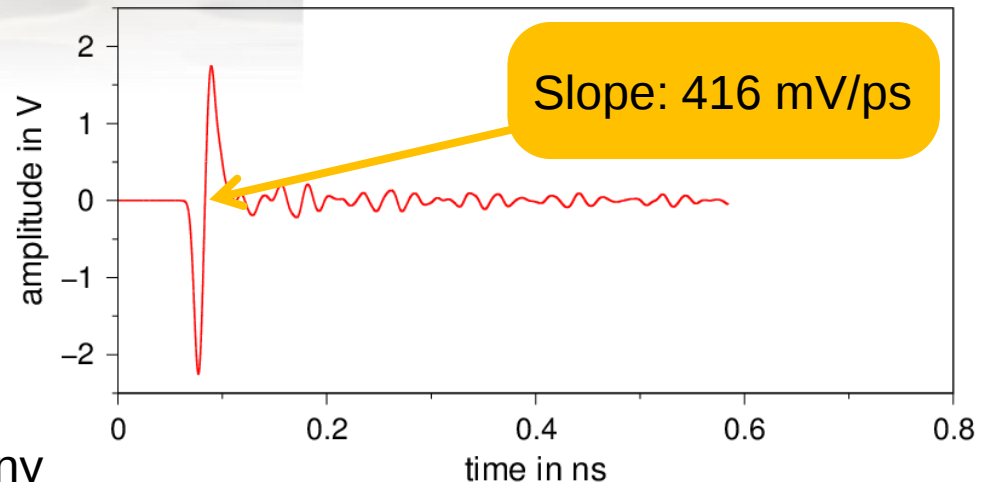
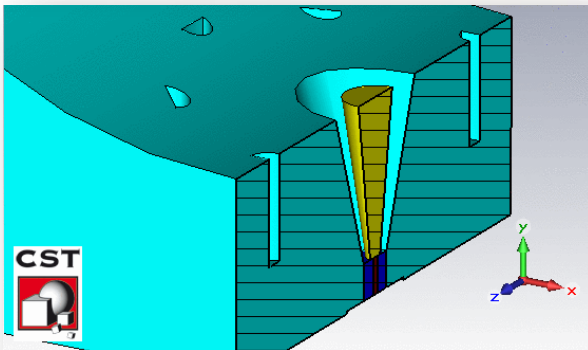
Foto: DESY, Hamburg



on with 20 pC bunch charge



New 40 GHz Pickup



Design at TU Darmstadt, Germany

and new Pickup

on with 20 pC bunch charge

Slope: 71 mV/ps

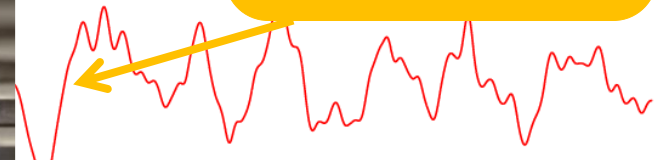
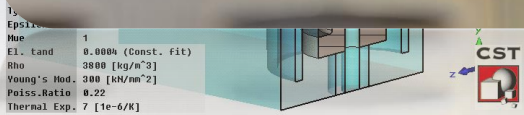


Foto: DESY, Hamburg



New 40 GHz Pickup

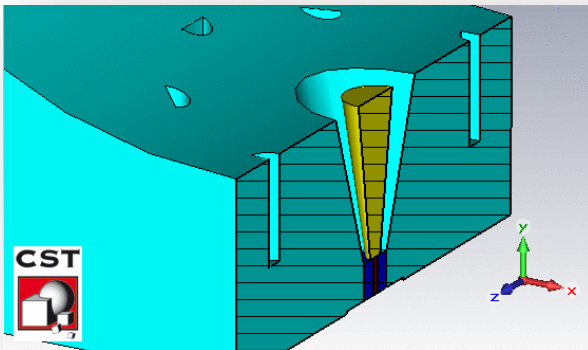
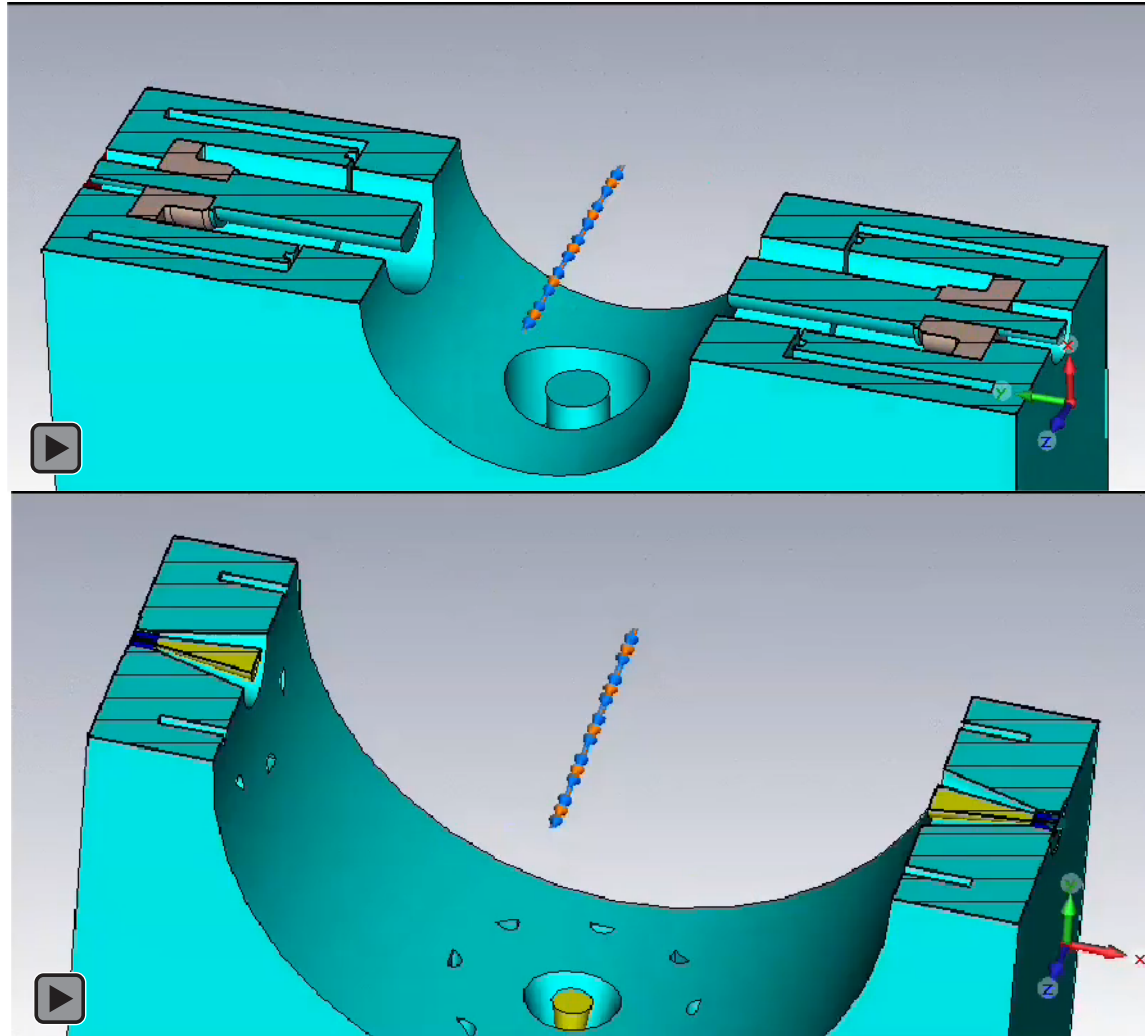


Foto: DESY, Hamburg

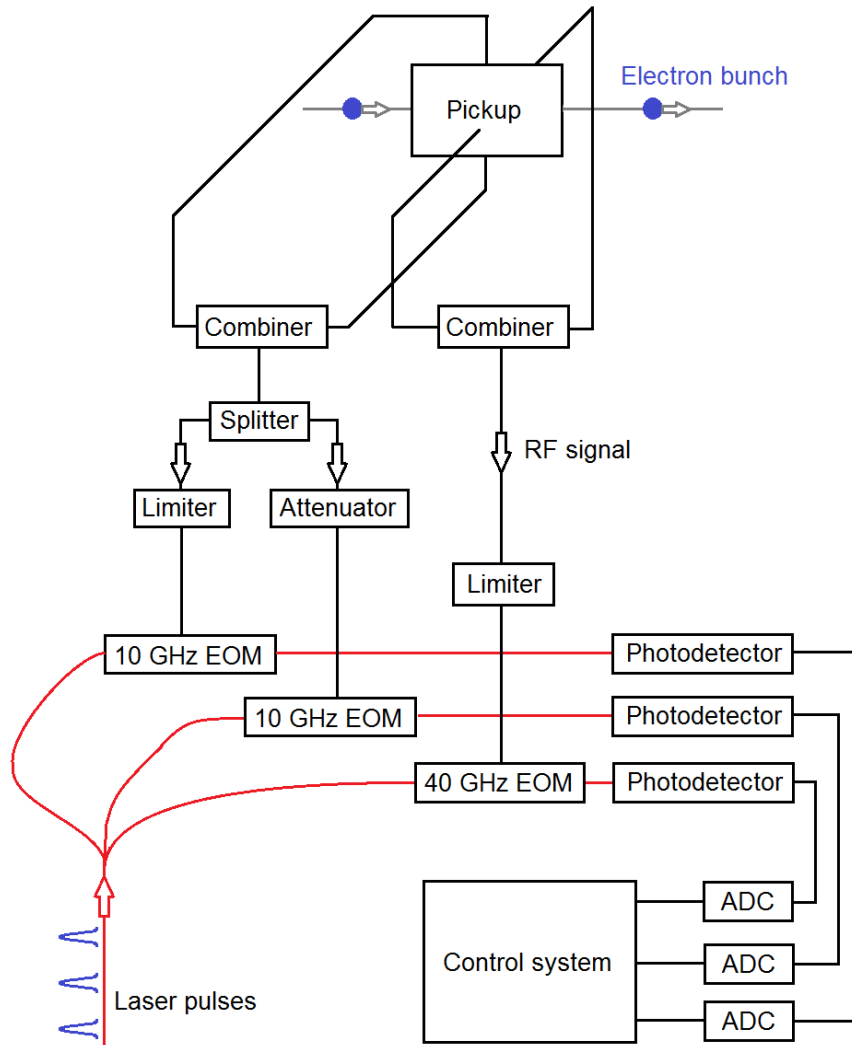
Design at TU Darmstadt, Germany

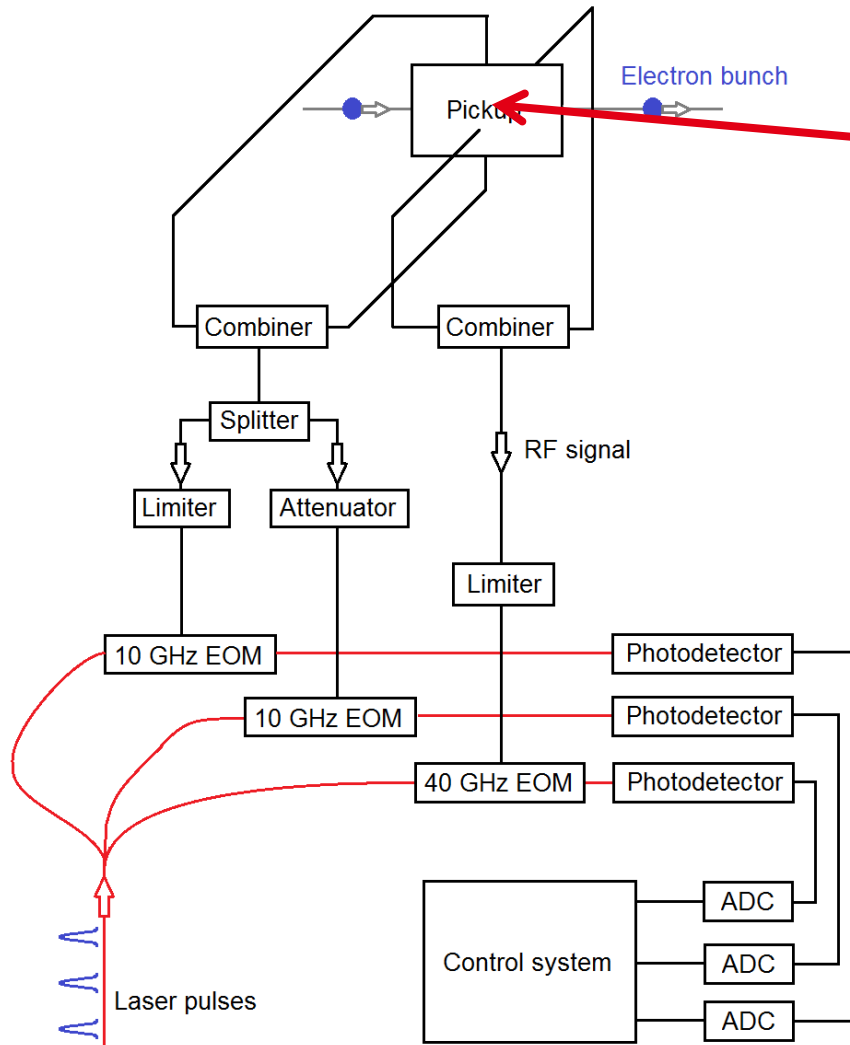
0 0.2 0.4 0.6 0.8
time in ns

Old and new Pickup

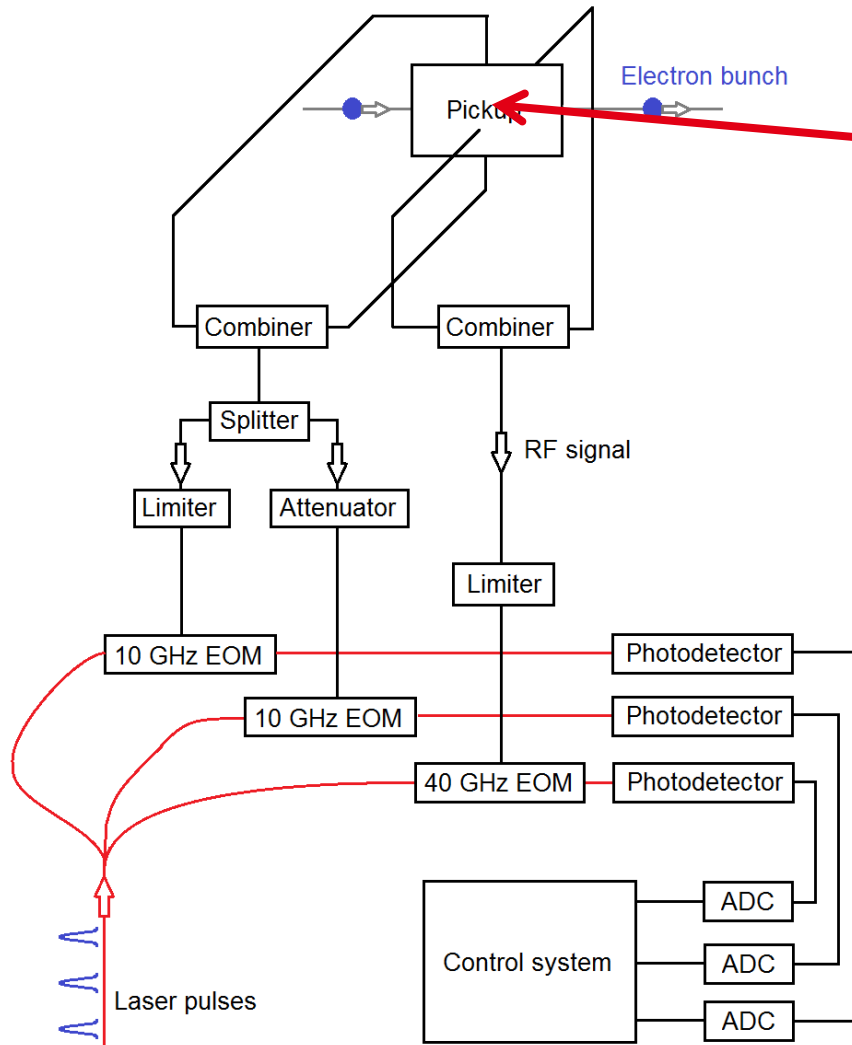


RF calculation



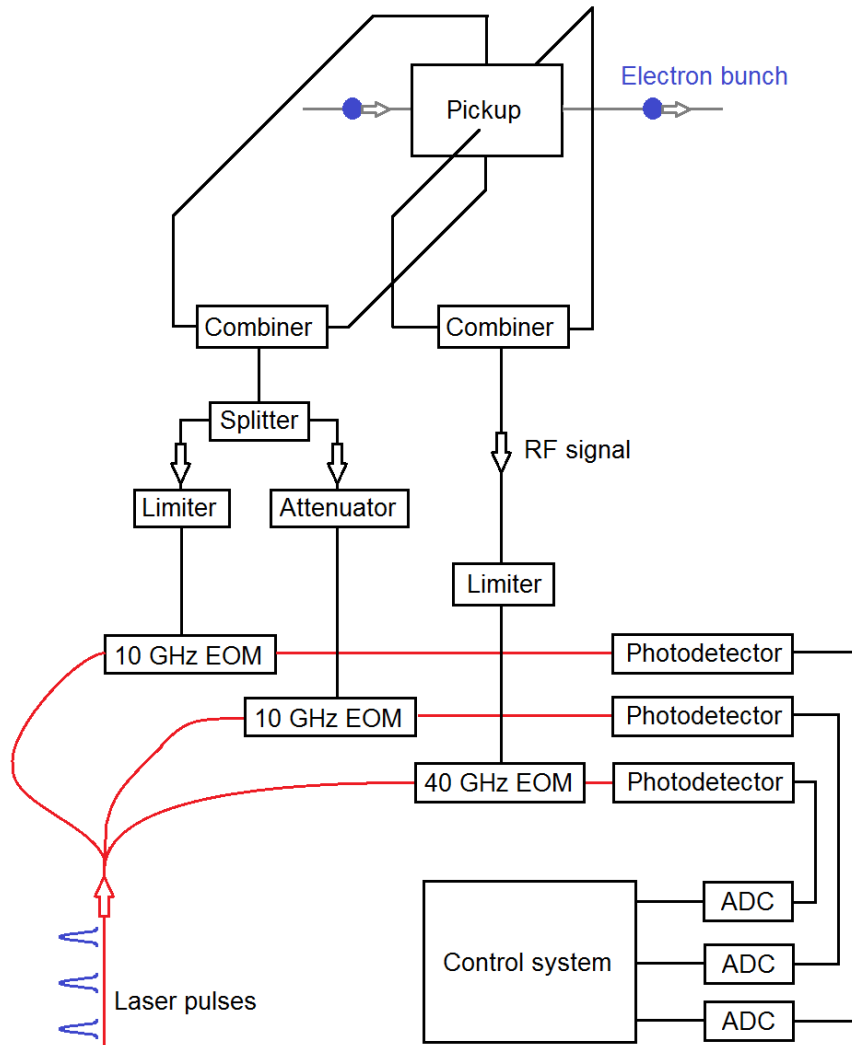


Simulation

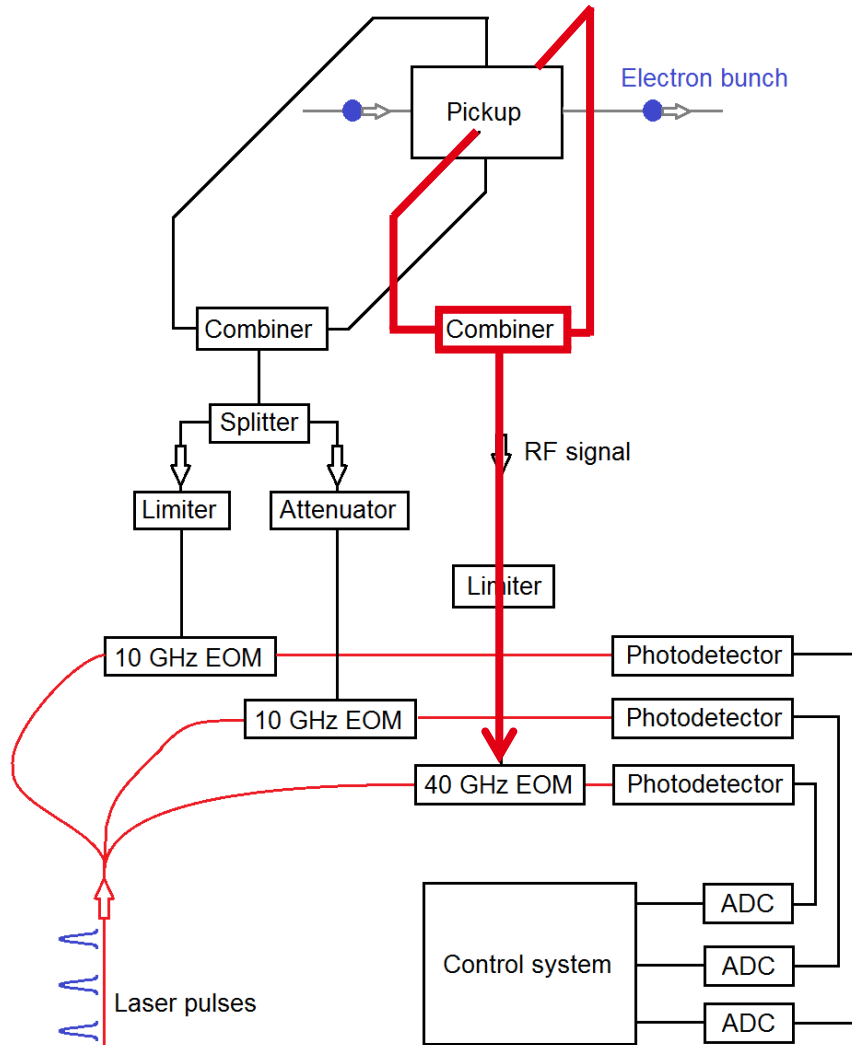


Simulation

IBIC 2012 - MOPA46
A. Angelovski et. al.



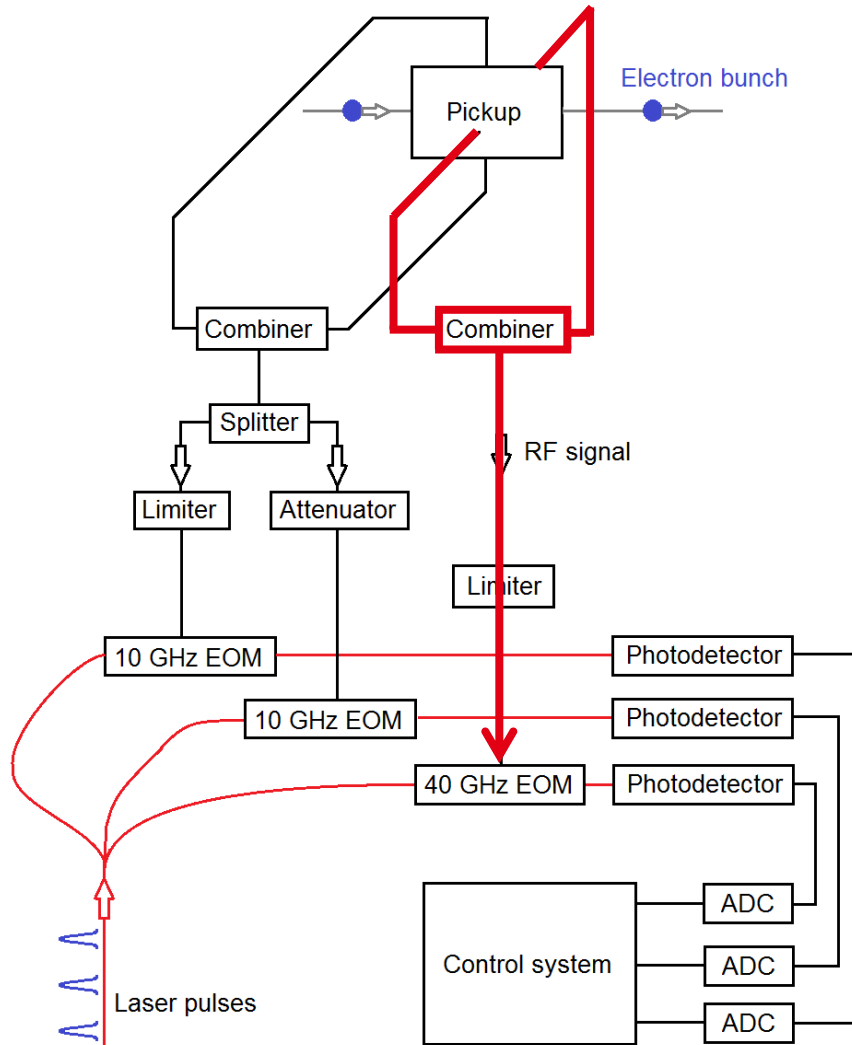
Simulation



Simulation

Signal extrapolated by
using S-parameters

- Cable
- Combiner



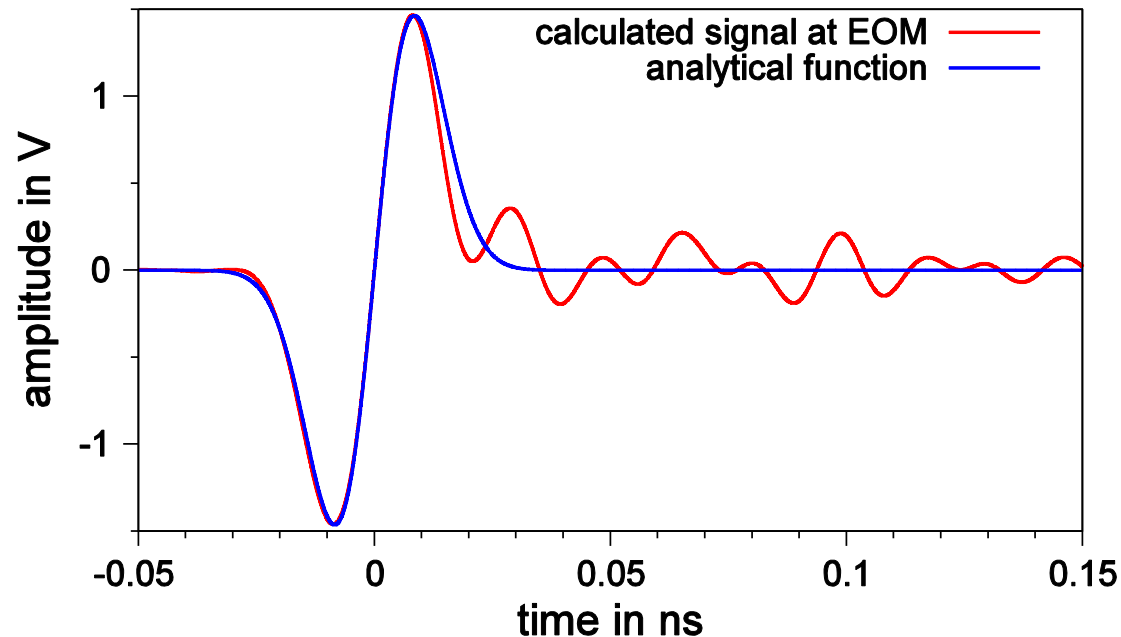
Simulation

Signal extrapolated by using S-parameters

- Cable
- Combiner

IBIC 2012 - MOPA43
 A. Penirschke et. al.

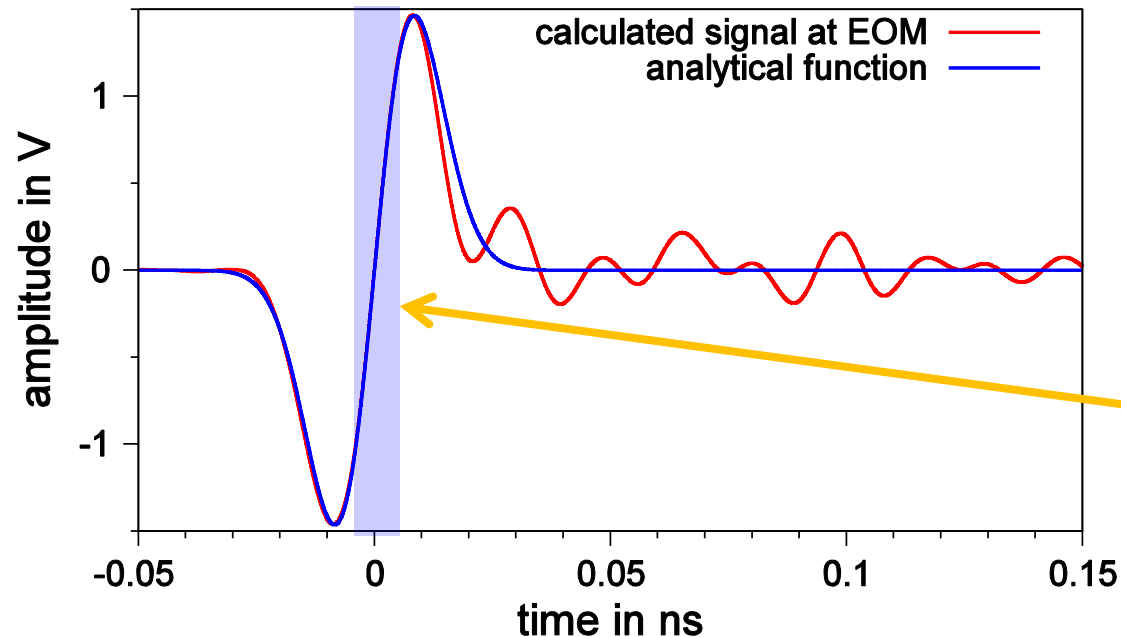
Signal at the 40 GHz EOM



$$U(t) = t S e^{-\left(\frac{t S}{A e^{0.5}}\right)^2}$$

S Slope: 286 mV/ps
A Amplitude: 1.463 V

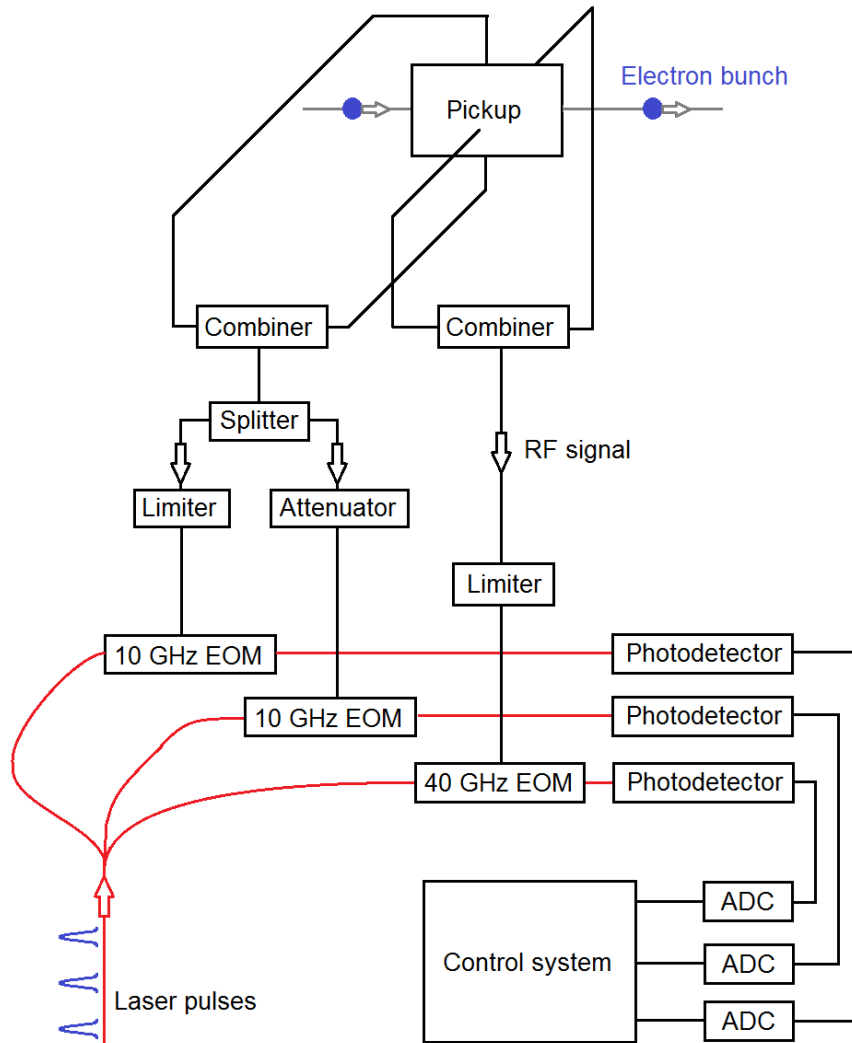
Signal at the 40 GHz EOM



interesting range

$$U(t) = t S e^{-\left(\frac{t S}{A e^{0.5}}\right)^2}$$

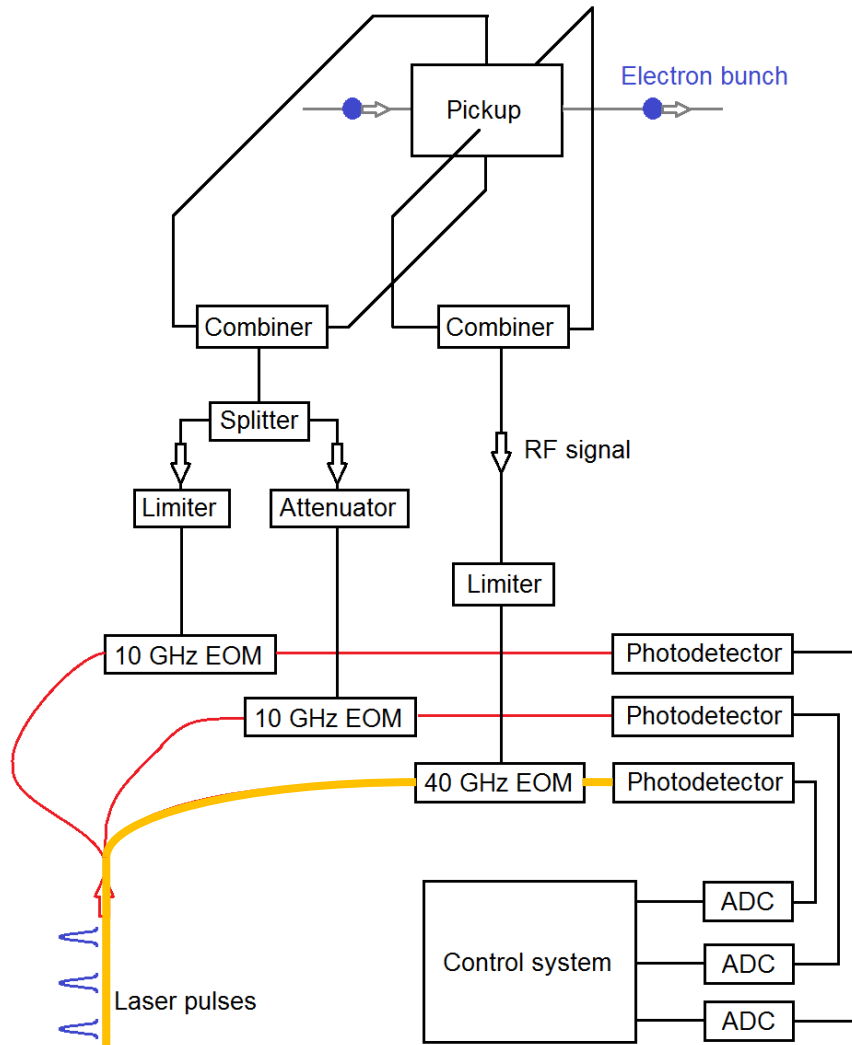
S	Slope:	286 mV/ps
A	Amplitude:	1.463 V



Simulation

Signal extrapolated by
using S-parameters

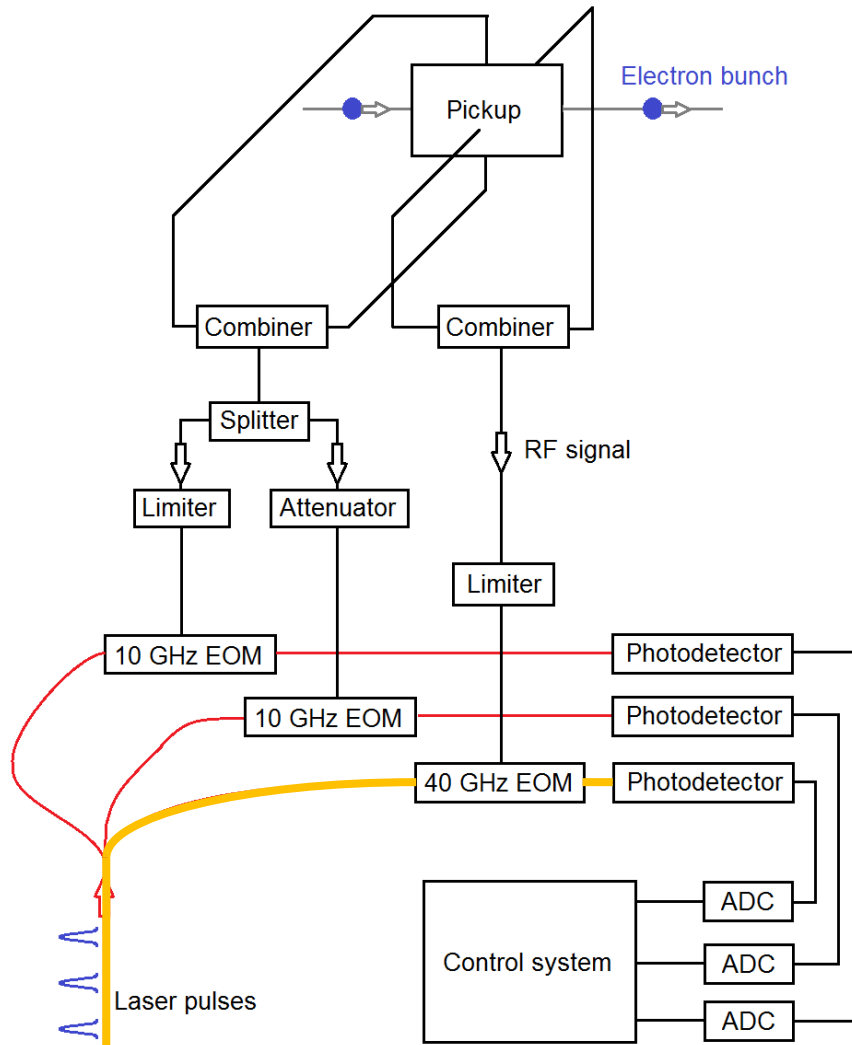
- Cable
- Combiner

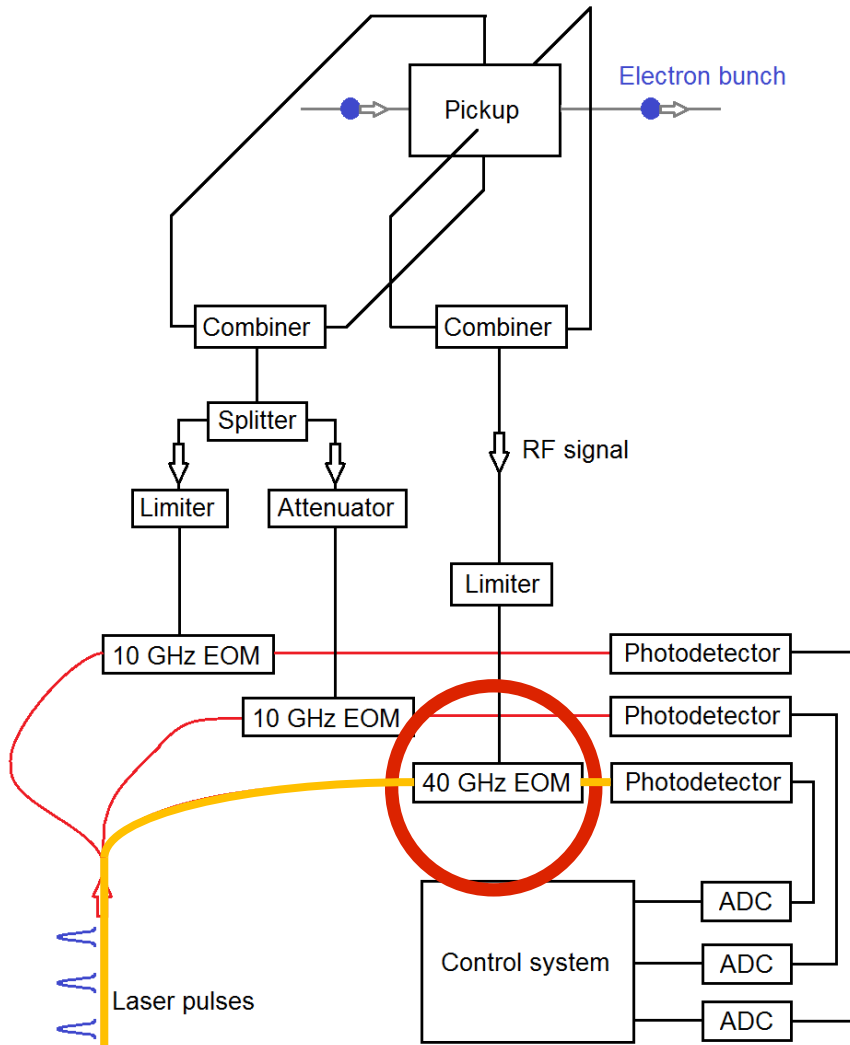


Simulation

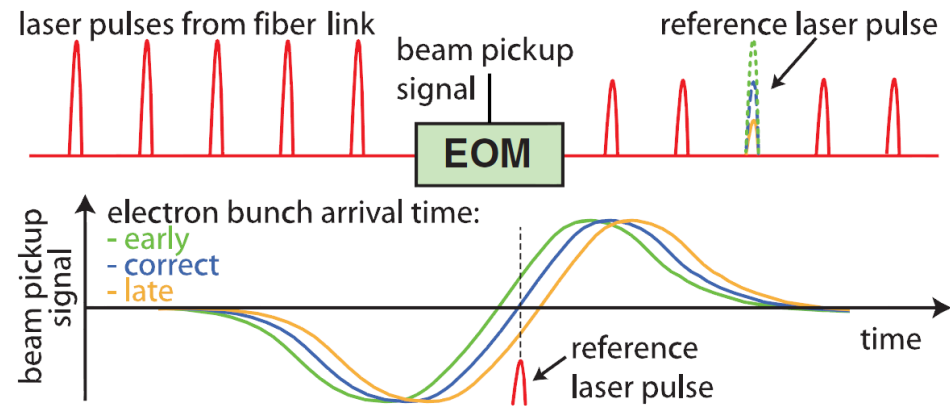
Signal extrapolated by using S-parameters

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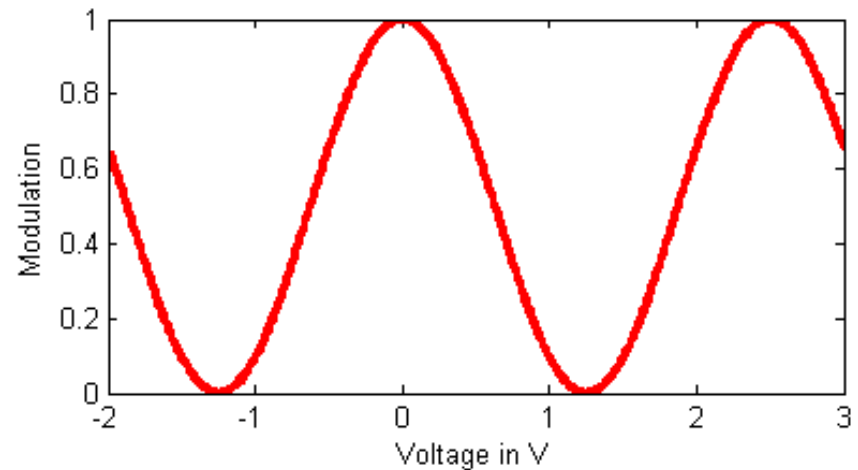




Principle of measurement



Courtesy by F. Löh



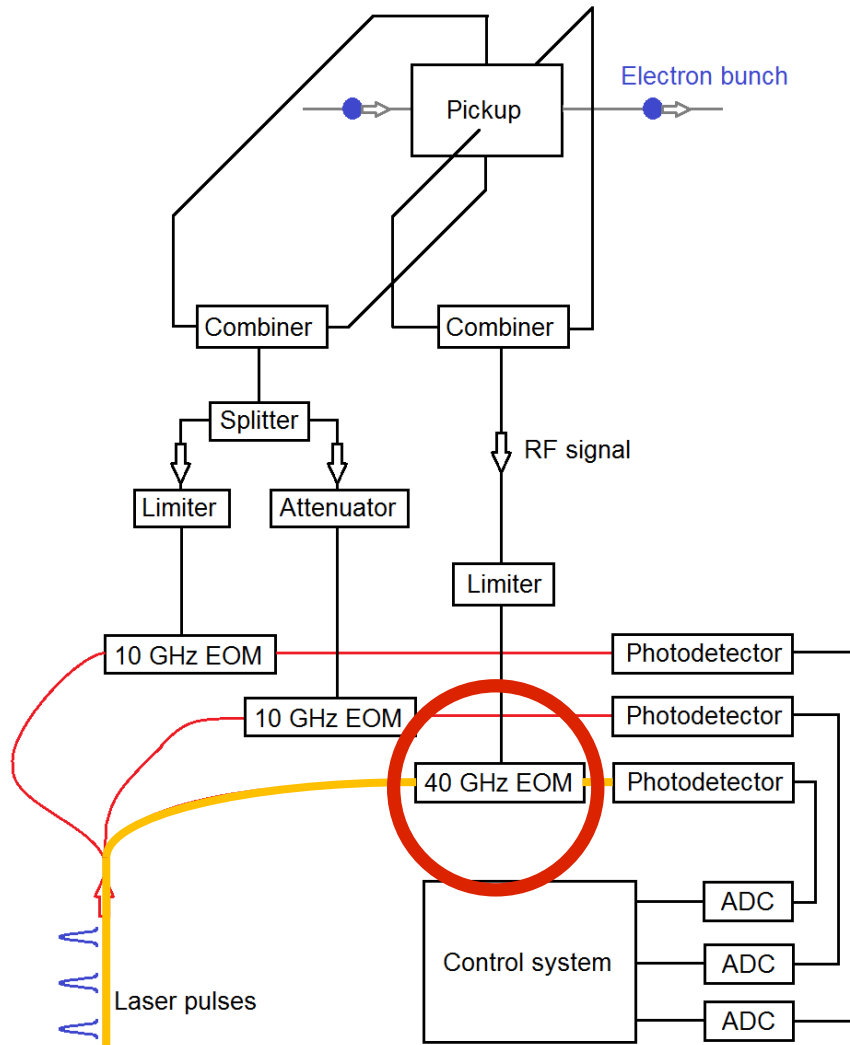
$$M = \frac{I_{out}}{I_{in}} = \frac{1}{2} + \frac{1}{2} \cos \left(\delta_0 + \frac{\pi}{U_\pi} U(t_m) \right)$$

M = Modulation

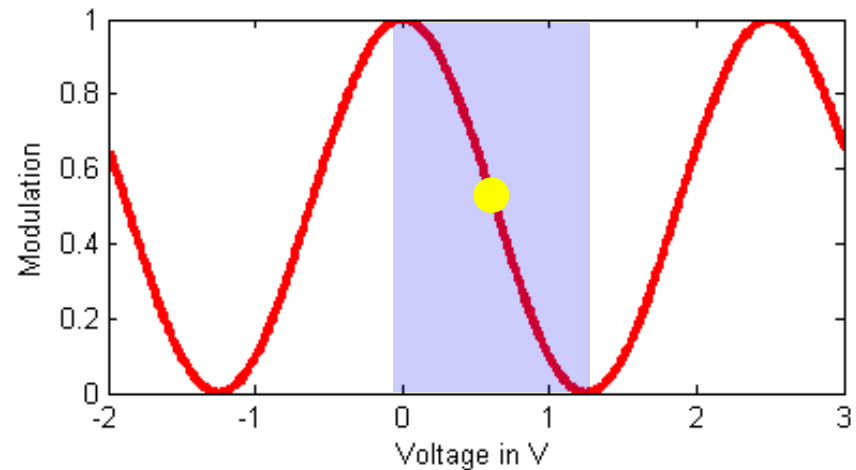
I = Laser amplitude

 δ_0 = intrinsic operation point

U_{π} = Voltage to change M from 0 to 1



Modulation of the laser pulse



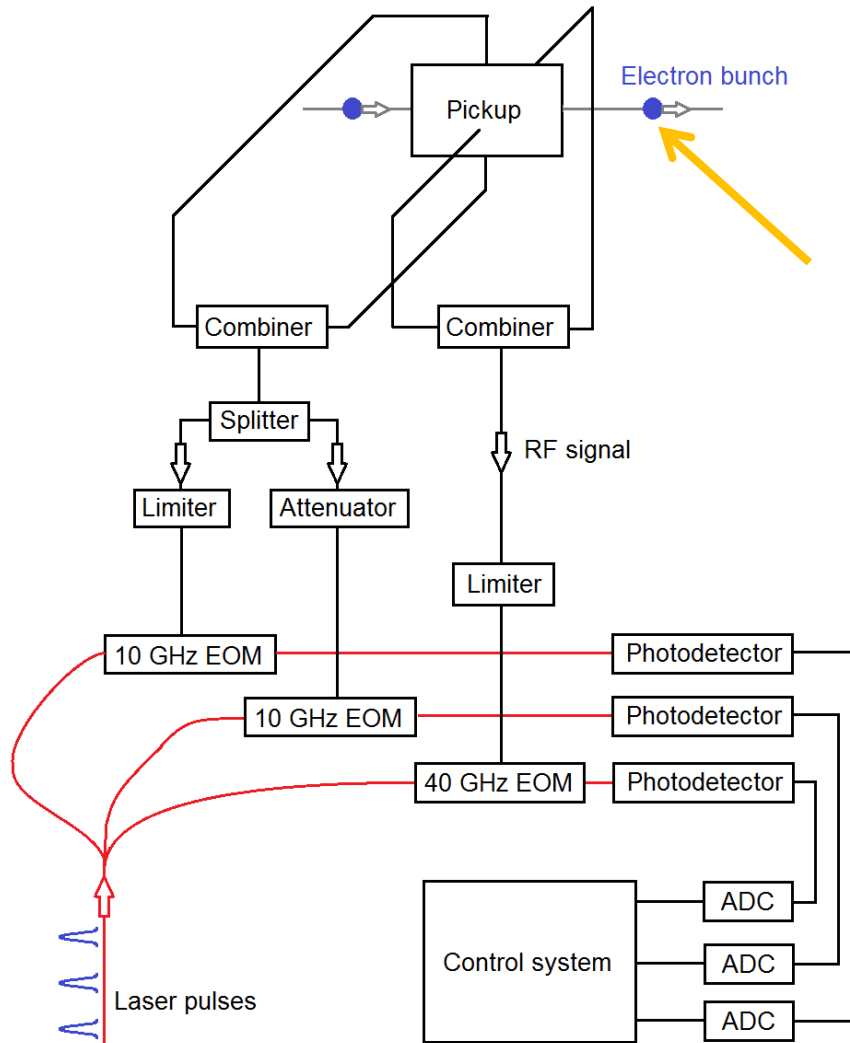
$$M = \frac{I_{out}}{I_{in}} = \frac{1}{2} + \frac{1}{2} \cos \left(\delta_0 + \frac{\pi}{U_\pi} U(t_m) \right)$$

M = Modulation

I = Laser amplitude

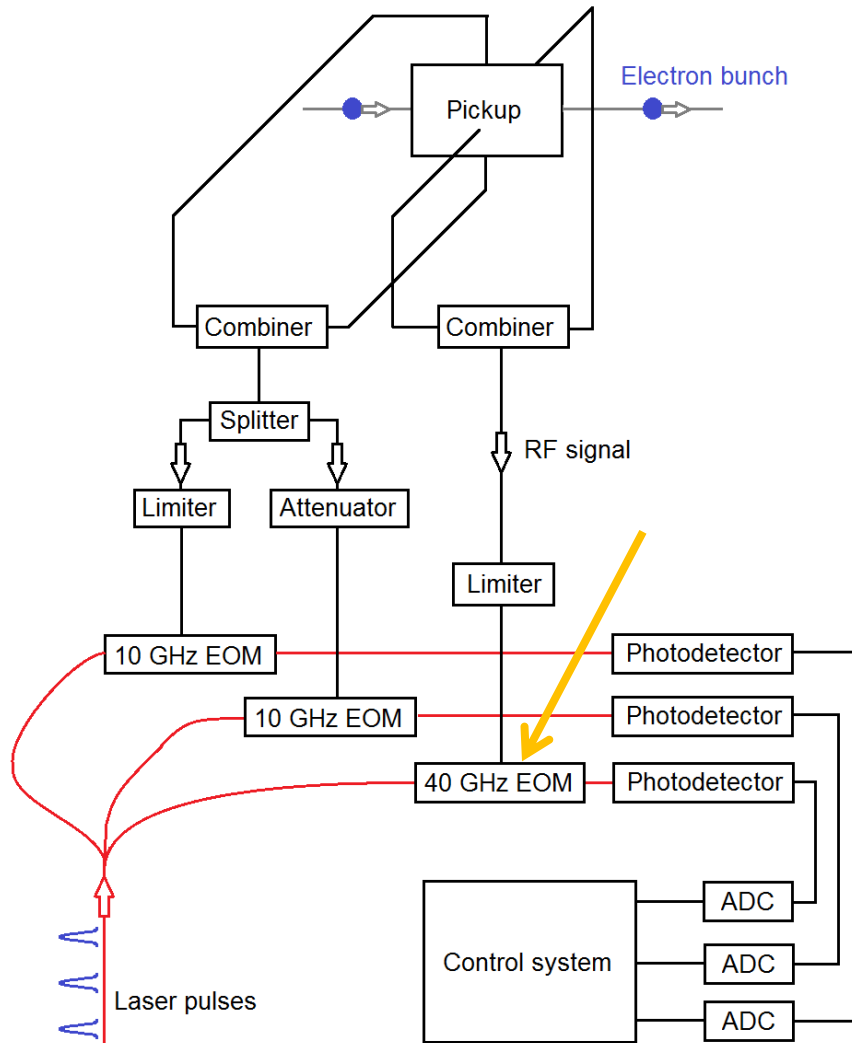
δ_0 = intrinsic operation point

U_π = Voltage to change M from 0 to 1



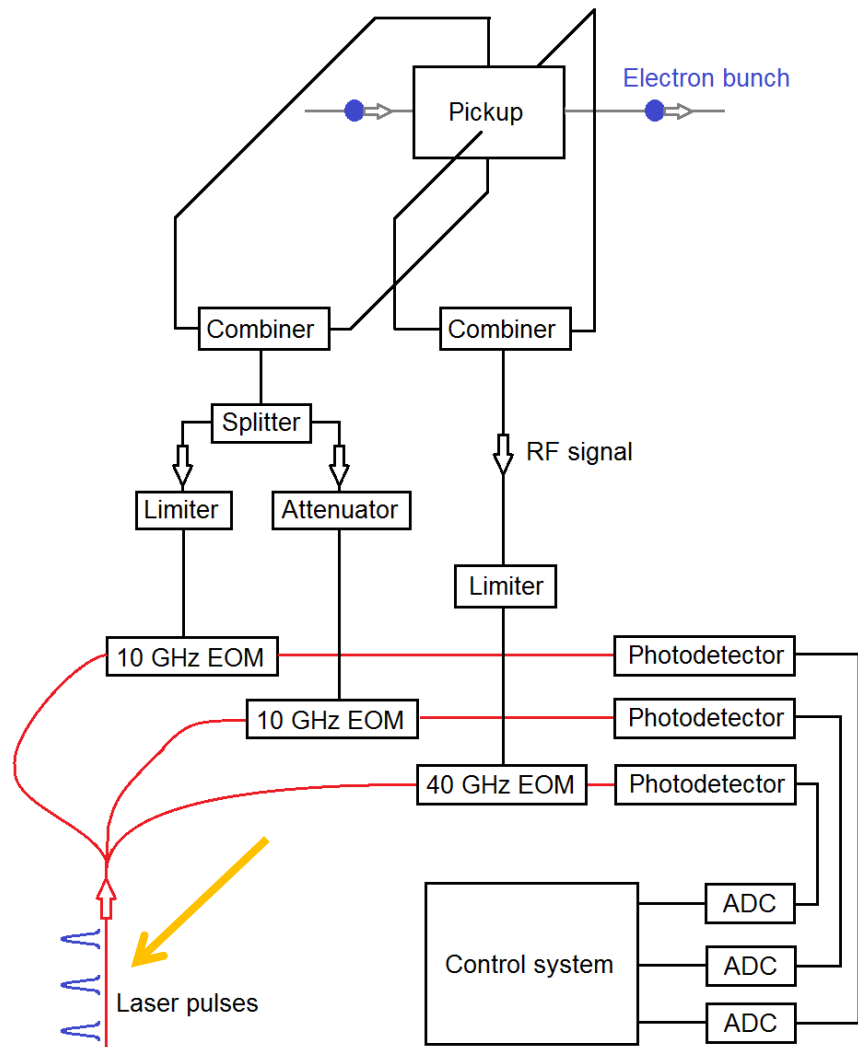
Influence of different jitter sources on the arrival time measurement

Parameter	Assumed RMS values
Bunch charge	1 %



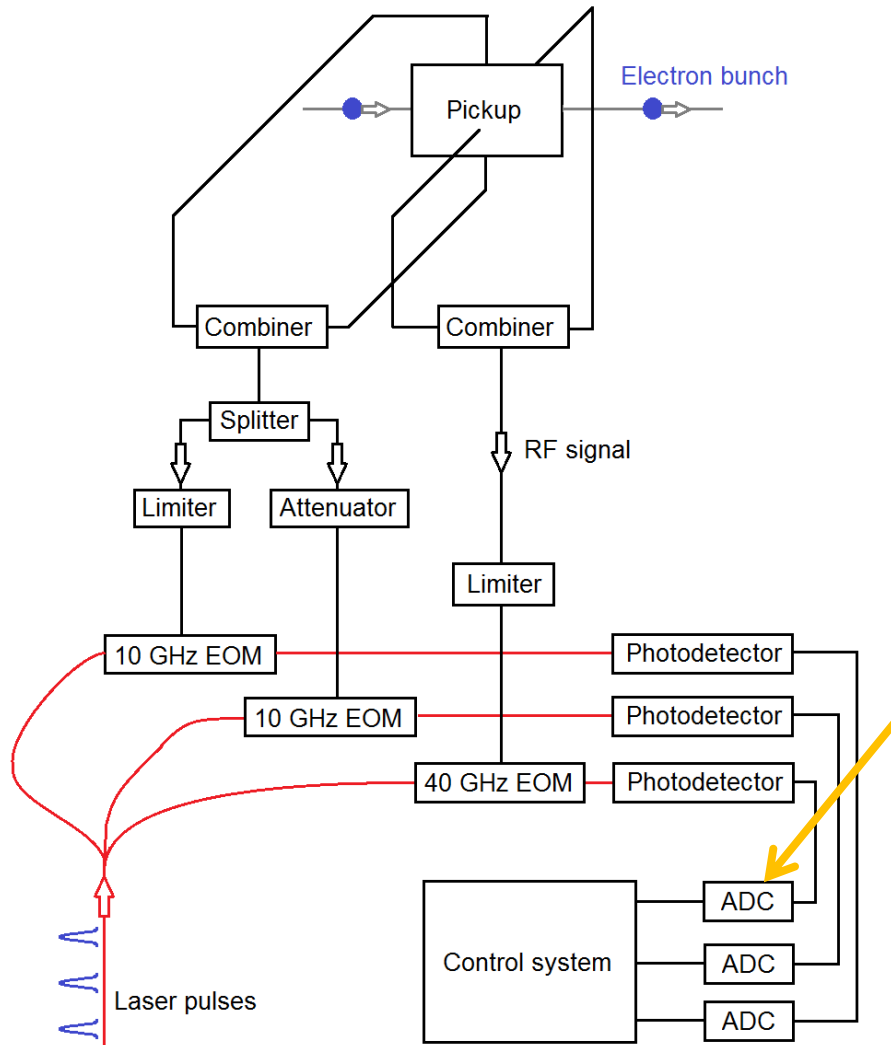
Influence of different jitter sources on the arrival time measurement

Parameter	Assumed RMS values
Bunch charge	1 %
Bias voltage	0.5 mV
RF voltage	0.5 mV



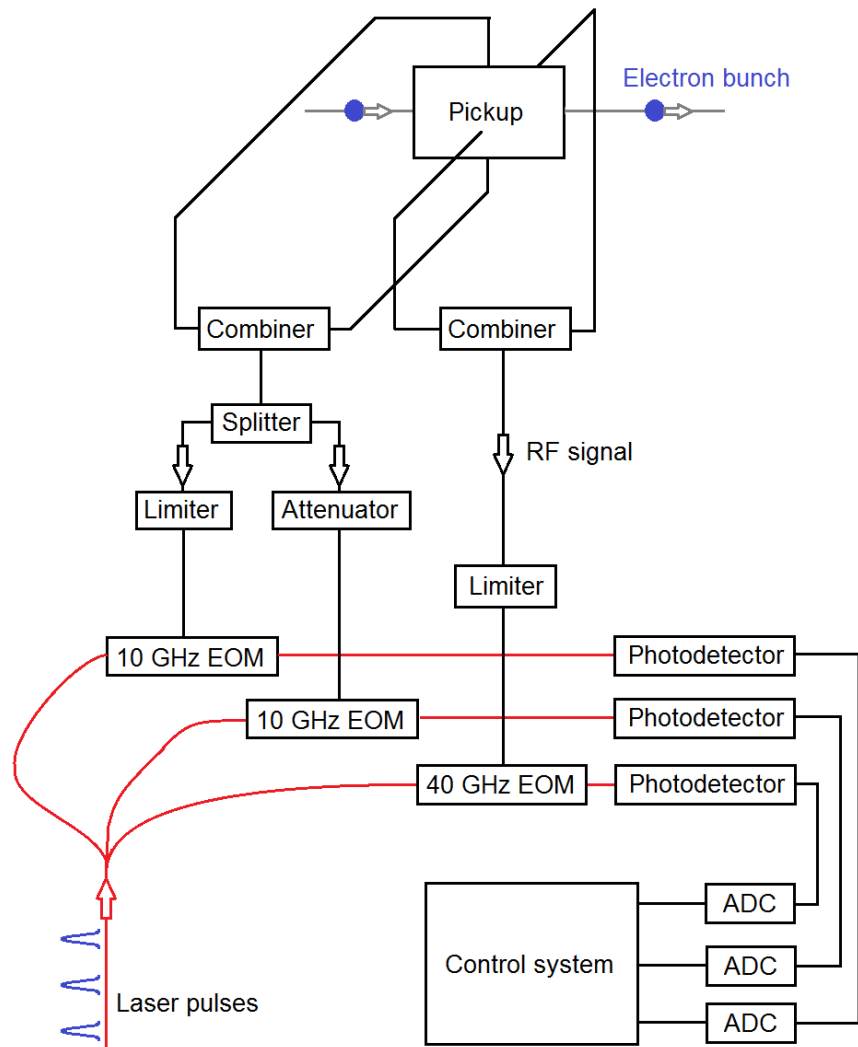
Influence of different jitter sources on the arrival time measurement

Parameter	Assumed RMS values
Bunch charge	1 %
Bias voltage	0.5 mV
RF voltage	0.5 mV
Laser amplitude	0.35 %
Laser timing	2.5 fs



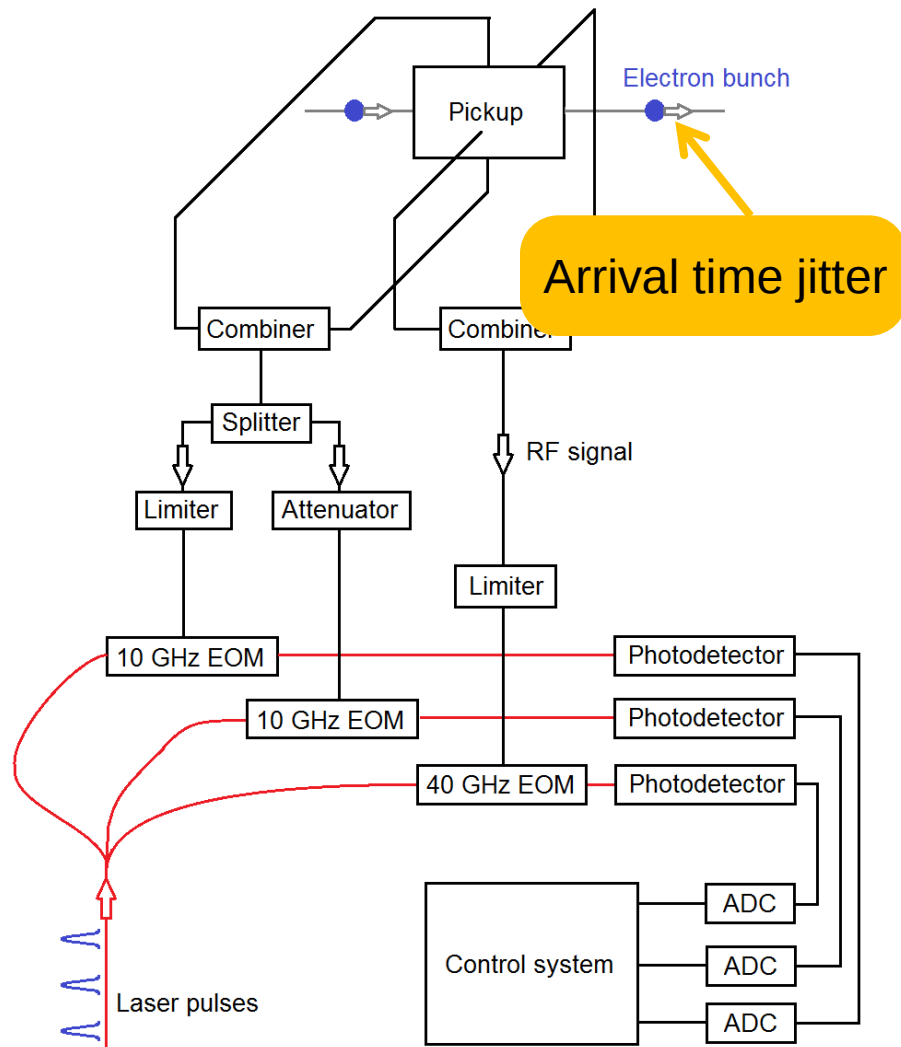
Influence of different jitter sources on the arrival time measurement

Parameter	Assumed RMS values
Bunch charge	1 %
Bias voltage	0.5 mV
RF voltage	0.5 mV
Laser amplitude	0.35 %
Laser timing	2.5 fs
ADC channel (16bit)	20



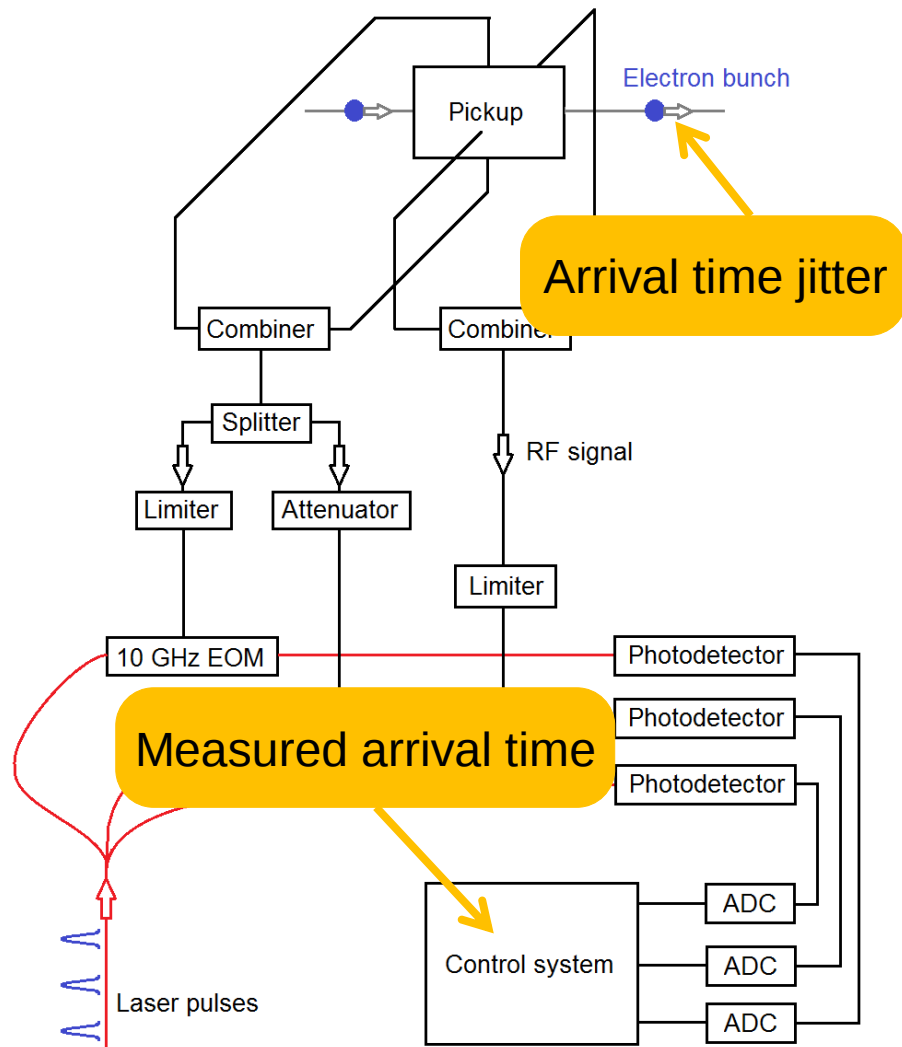
Influence of different jitter sources on the arrival time measurement

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Influence of different jitter sources on the arrival time measurement

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Influence of different jitter sources on the arrival time measurement

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ADC channel (16bit)	20

Monte Carlo Simulation

*Normally distributed

Monte Carlo Simulation

1. Random set of the Parameter*

*Normally distributed

Monte Carlo Simulation

1. Random set of the Parameter*
2. Also a random value for the arrival time of the bunch*

*Normally distributed

Monte Carlo Simulation

1. Random set of the Parameter*
2. Also a random value for the arrival time of the bunch*
3. Calculation of the measured arrival time

*Normally distributed

Monte Carlo Simulation

1. Random set of the Parameter*
2. Also a random value for the arrival time of the bunch*
3. Calculation of the measured arrival time
4. Compare

*Normally distributed

Monte Carlo Simulation

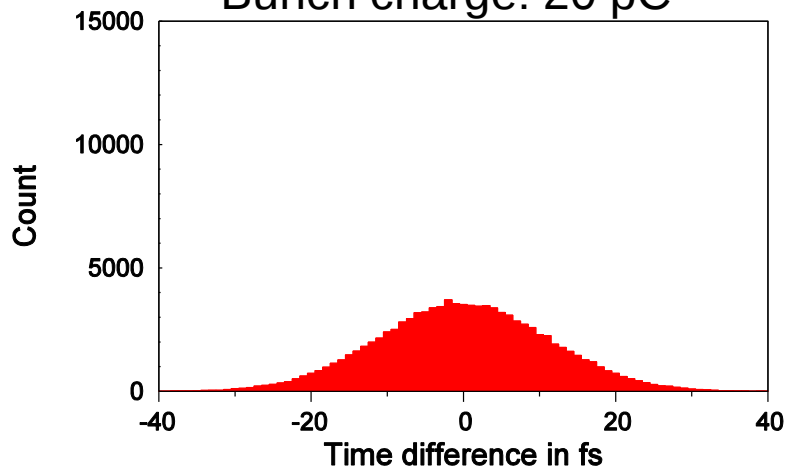
1. Random set of the Parameter*
2. Also a random value for the arrival time of the bunch*
3. Calculation of the measured arrival time
4. Compare
5. Repeat this 100.000 times

*Normally distributed

Monte Carlo Simulation

1. Random set of the Parameter*
2. Also a random value for the arrival time of the bunch*
3. Calculation of the measured arrival time
4. Compare
5. Repeat this 100.000 times

Bunch charge: 20 pC



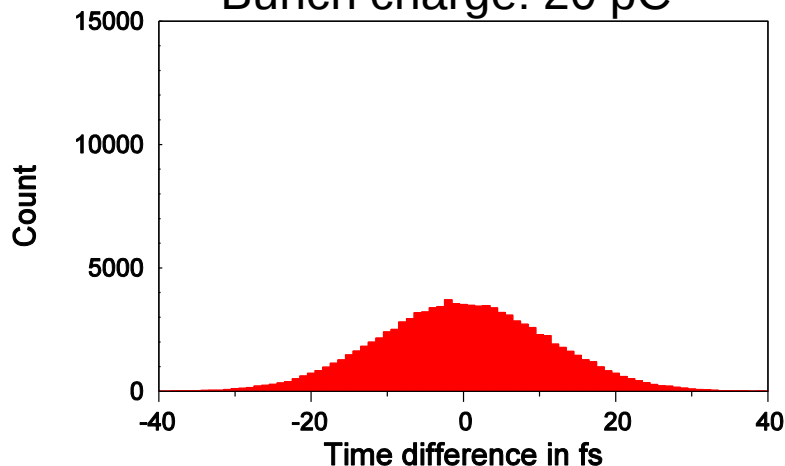
Simulated measurement accuracy = 11fs RMS

*Normaly distributed

Monte Carlo Simulation

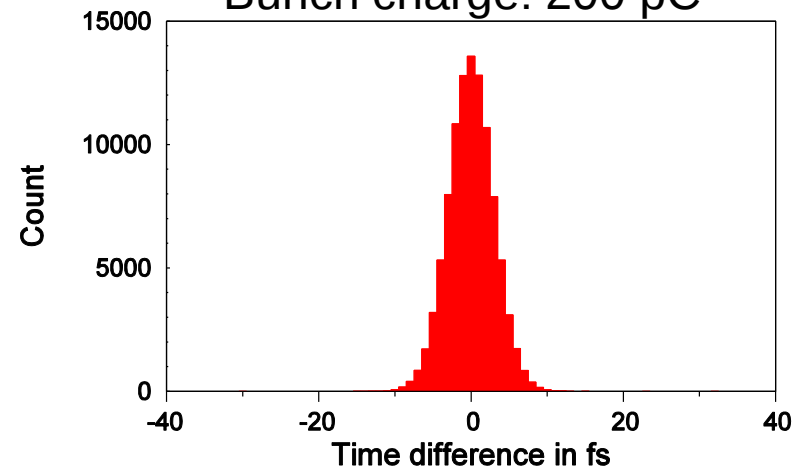
1. Random set of the Parameter*
2. Also a random value for the arrival time of the bunch*
3. Calculation of the measured arrival time
4. Compare
5. Repeat this 100.000 times

Bunch charge: 20 pC



Simulated measurement accuracy = 11fs RMS

Bunch charge: 200 pC

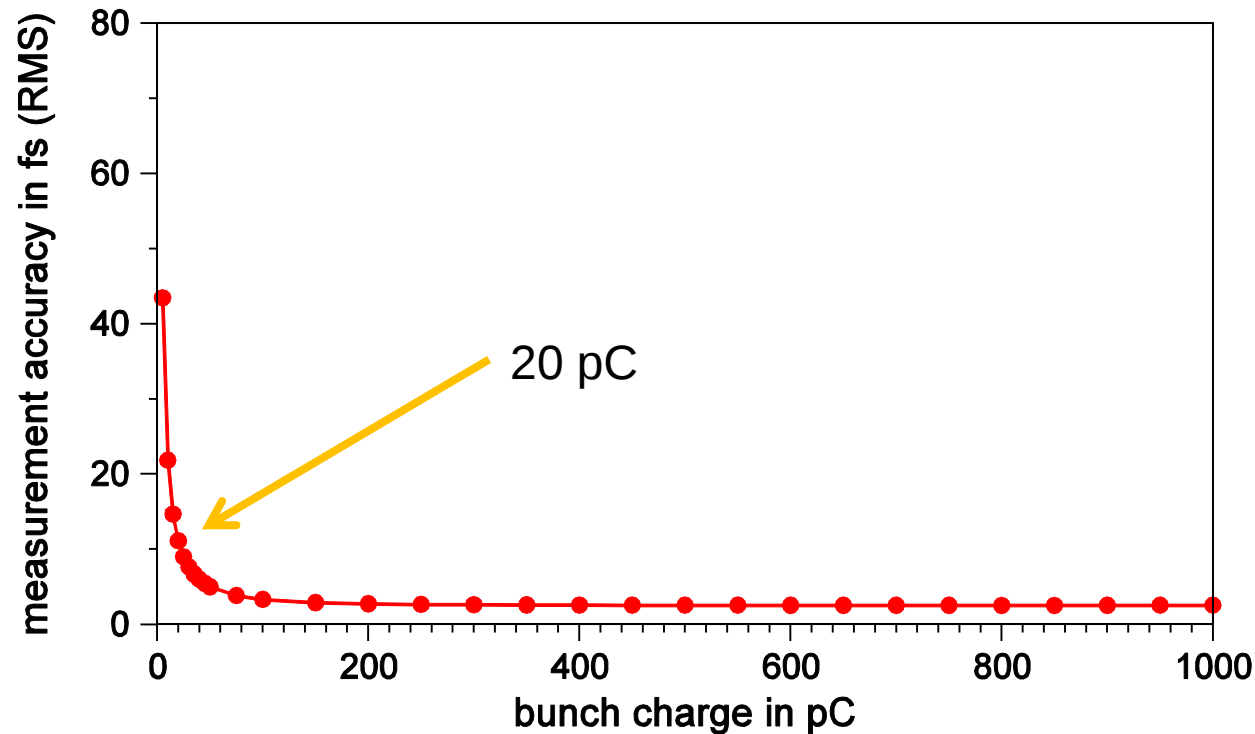


Simulated measurement accuracy = 3 fs RMS

*Normally distributed

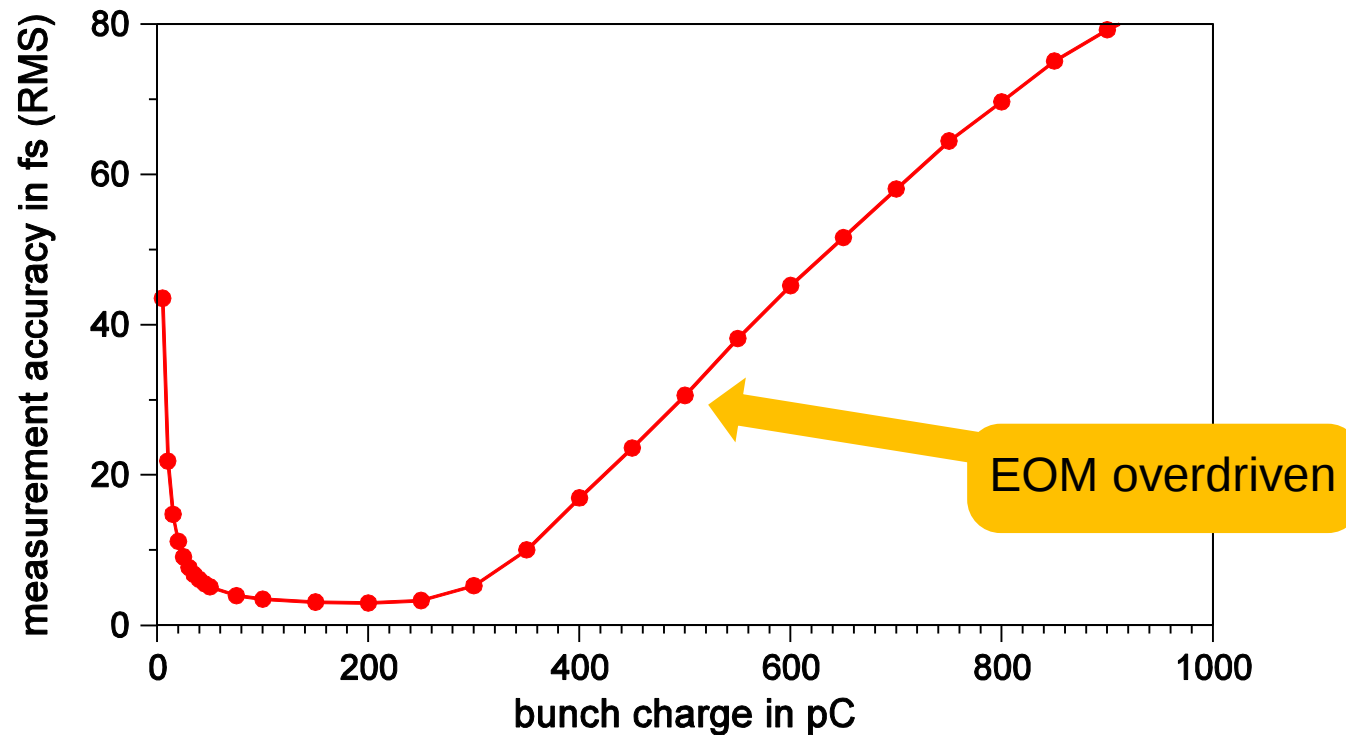
Simulated timing resolution with different bunch charges

Random value for the arrival time of the bunch: 25 fs RMS

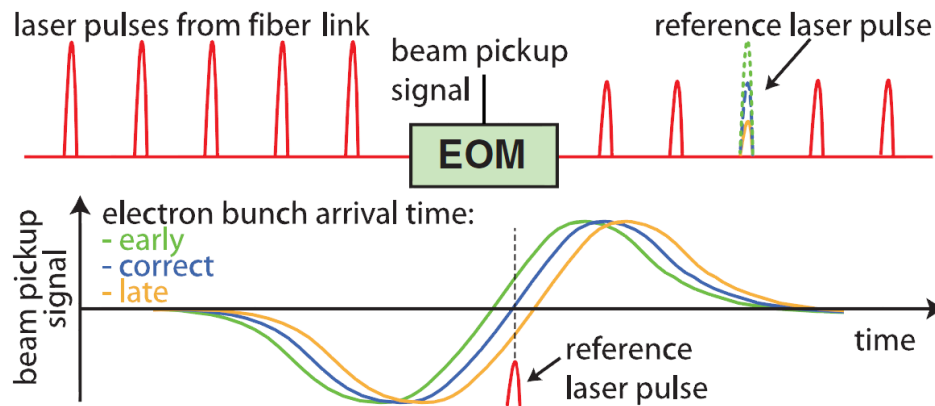


Simulated timing resolution with different bunch charges

Random value for the arrival time of the bunch: 100 fs RMS

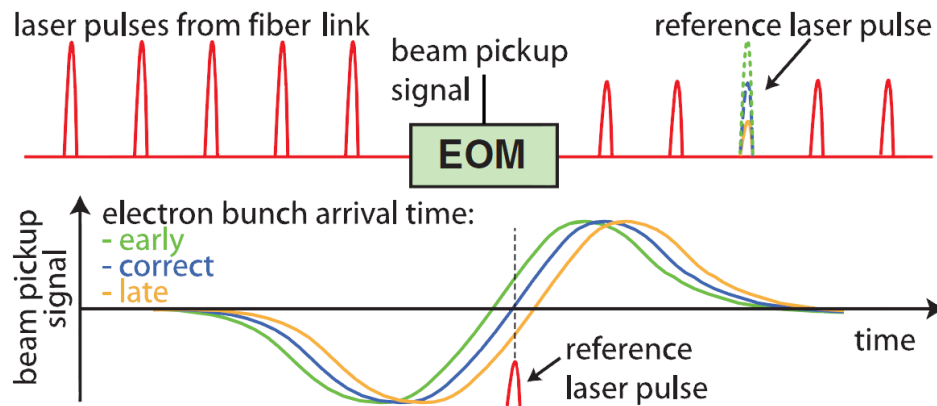


Back to principle of measurement



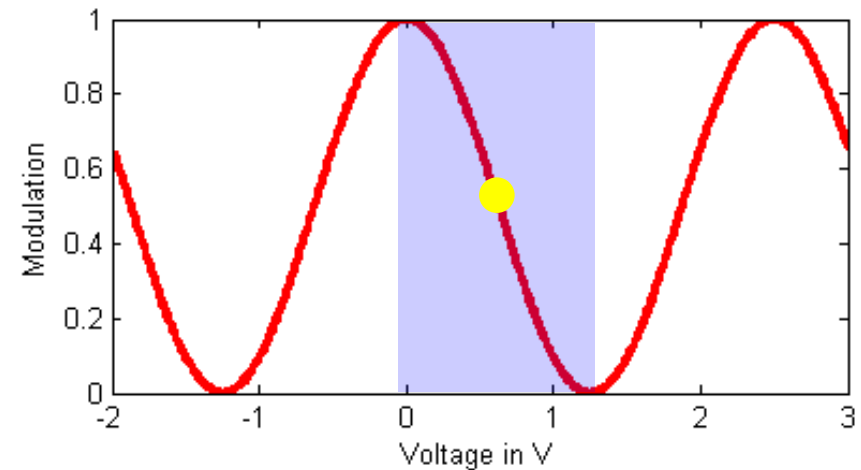
Courtesy by F. Löh

Back to principle of measurement



Courtesy by F. Löhle

Modulation of the laser pulse



$$M = \frac{I_{out}}{I_{in}} = \frac{1}{2} + \frac{1}{2} \cos \left(\delta_0 + \frac{\pi}{U_\pi} U(t_m) \right)$$

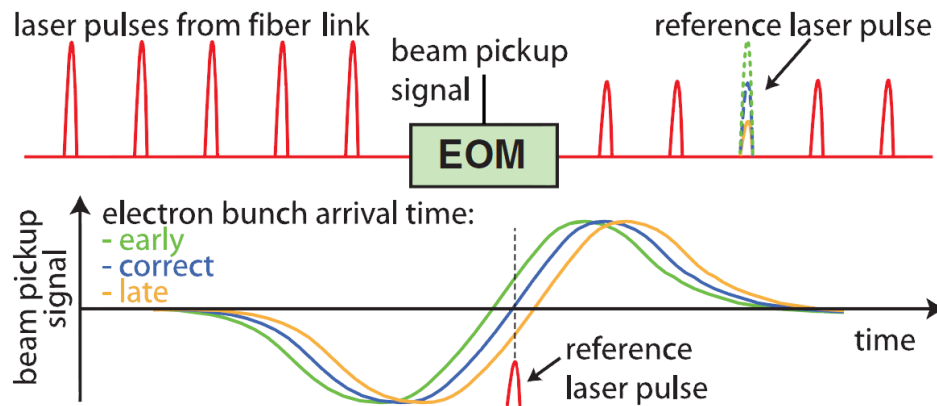
M = Modulation

I = Laser amplitude

δ_0 = intrinsic operation point

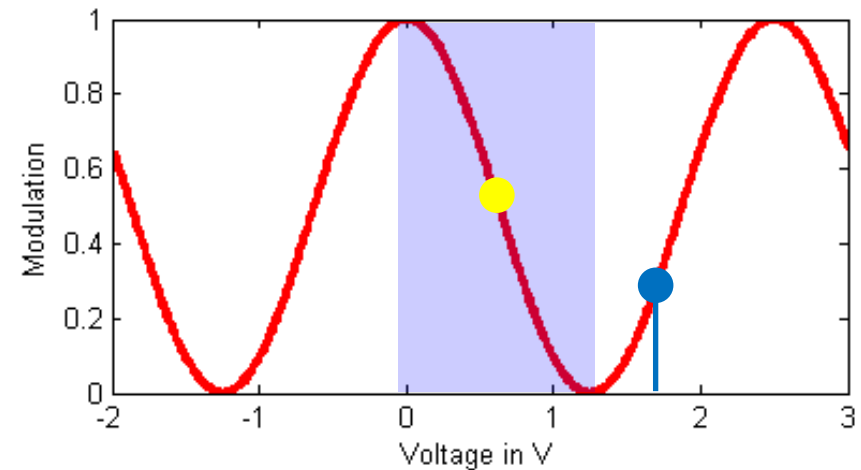
U_π = Voltage to change M from 0 to 1

Back to principle of measurement



Courtesy by F. Löh

Modulation of the laser pulse



$$M = \frac{I_{out}}{I_{in}} = \frac{1}{2} + \frac{1}{2} \cos \left(\delta_0 + \frac{\pi}{U_\pi} U(t_m) \right)$$

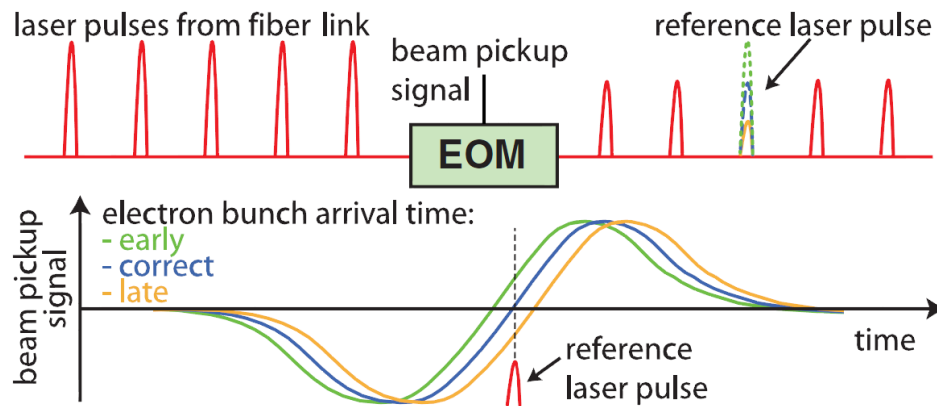
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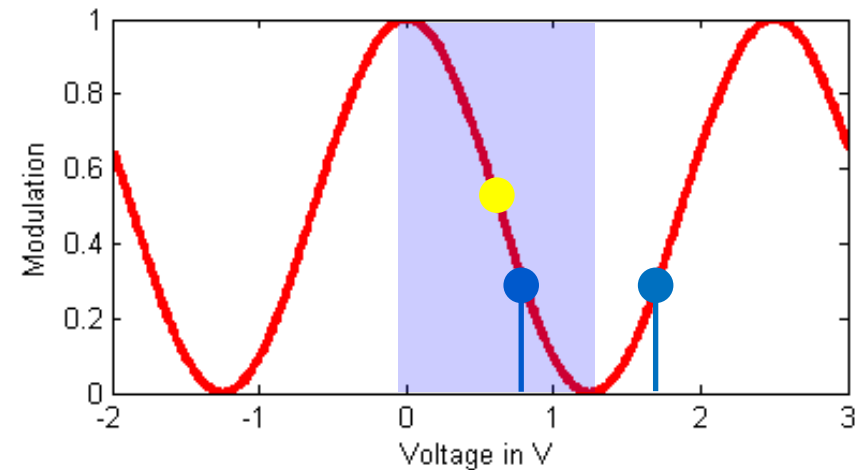
U_π = Voltage to change M from 0 to 1

Back to principle of measurement



Courtesy by F. Löhle

Modulation of the laser pulse



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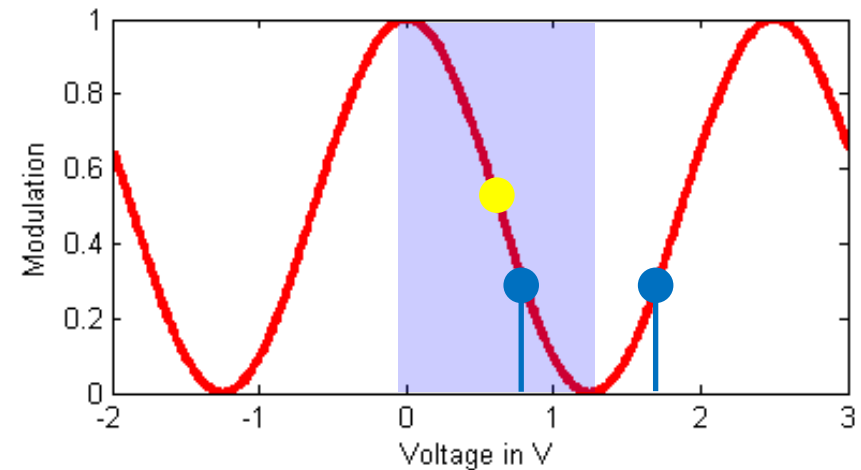
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Modulation of the laser pulse



$$M = \frac{I_{out}}{I_{in}} = \frac{1}{2} + \frac{1}{2} \cos \left(\delta_0 + \frac{\pi}{U_\pi} U(t_m) \right)$$

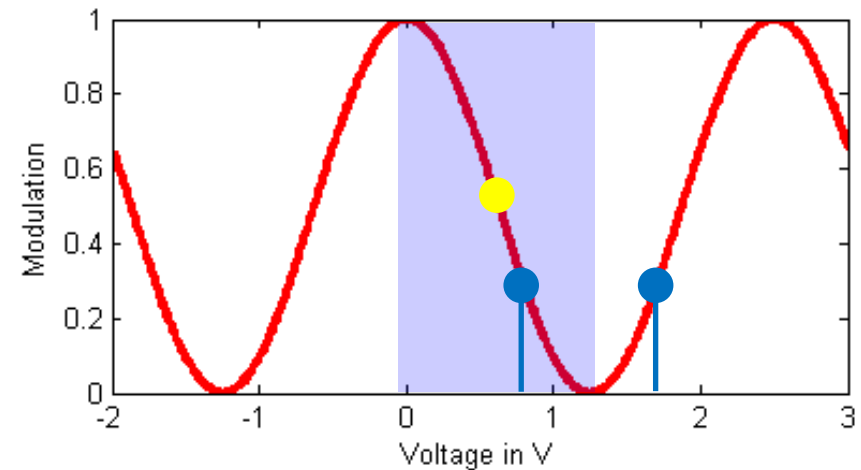
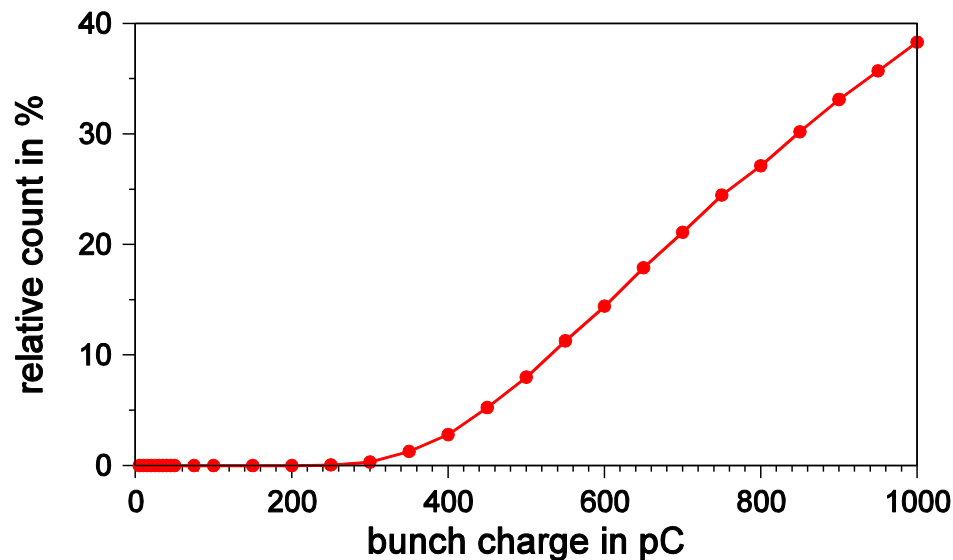
M = Modulation

I = Laser amplitude

δ_0 = intrinsic operation point

U_π = Voltage to change M from 0 to 1

Modulation of the laser pulse



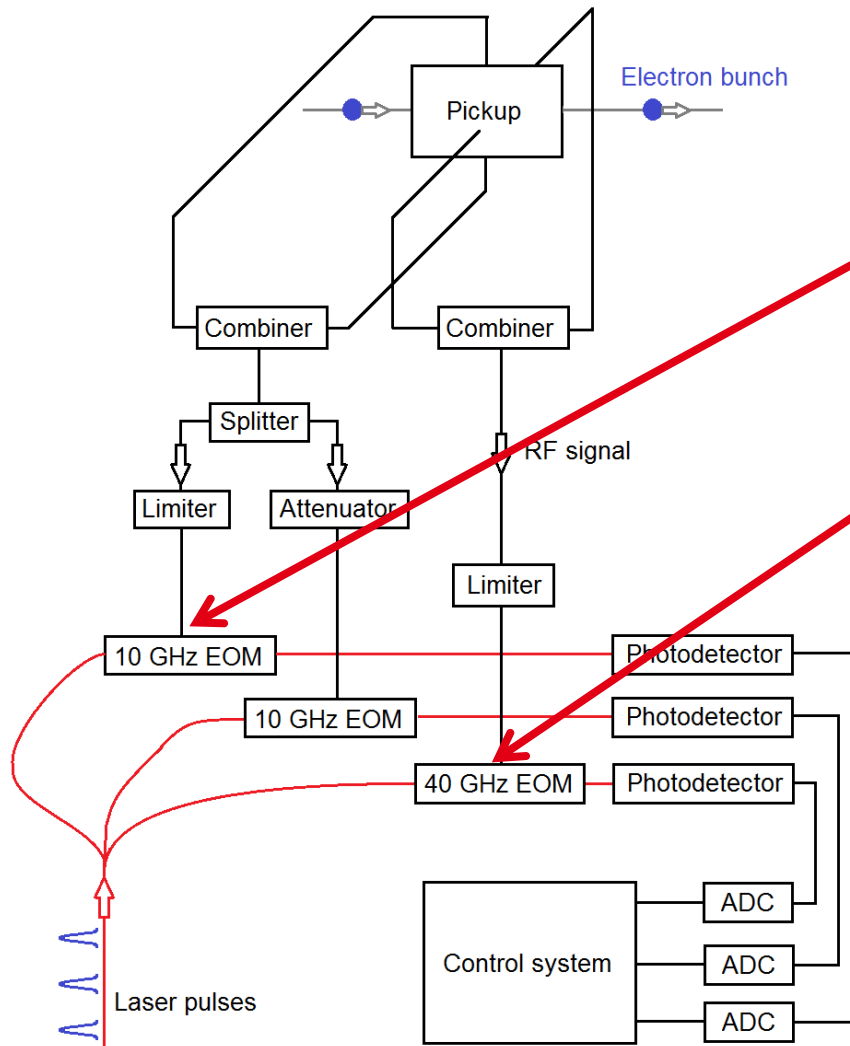
$$M = \frac{I_{out}}{I_{in}} = \frac{1}{2} + \frac{1}{2} \cos \left(\delta_0 + \frac{\pi}{U_\pi} U(t_m) \right)$$

M = Modulation

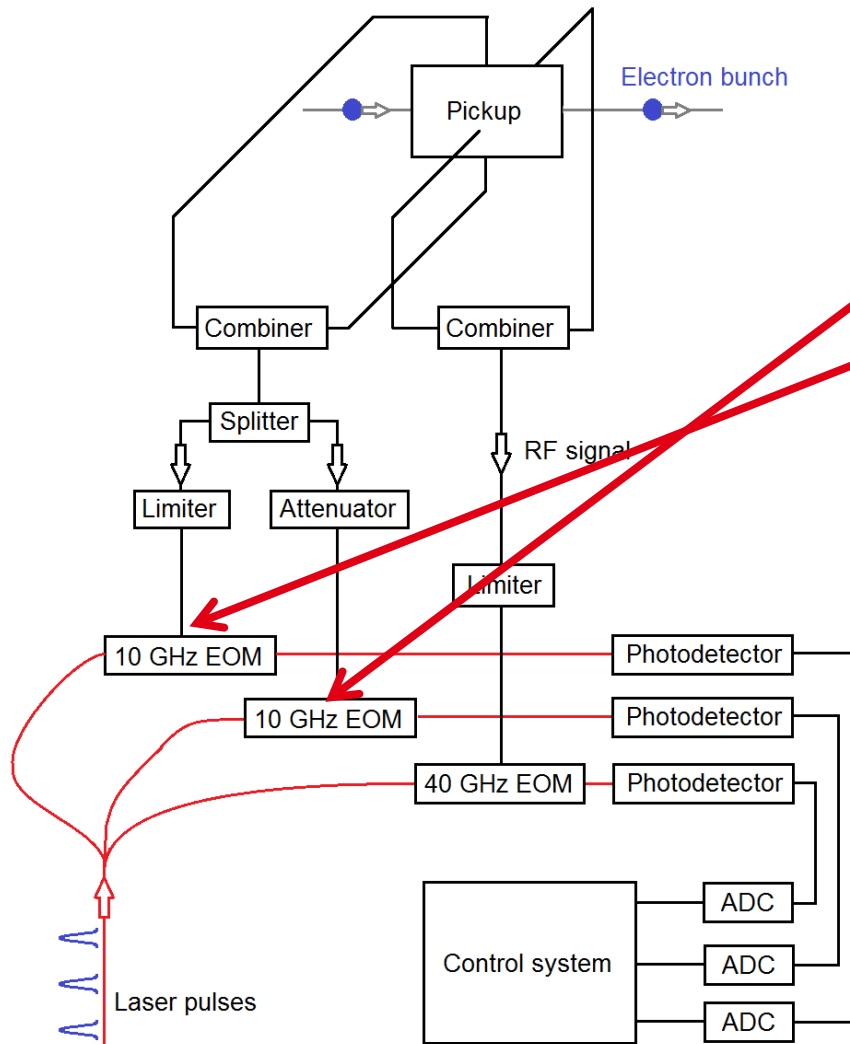
I = Laser amplitude

δ_0 = intrinsic operation point

U_π = Voltage to change M from 0 to 1



Low bunch charge
coarse channel fine channel



High bunch charge
coarse channel fine channel

Work done

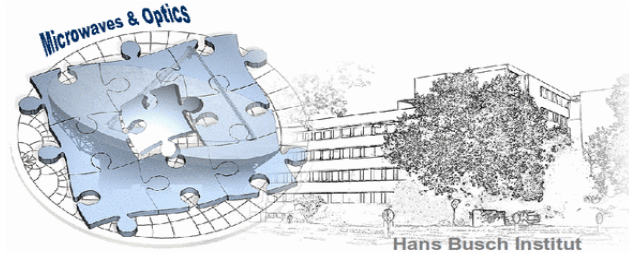
- Design a new pickup
- Manufacturing this new pickup
- Design new front end system
- Installation of the pickup in FLASH

Future work

- Manufacturing the new front end system
- Measurements with beam
- Integration in the control system
- Upgrade the other 4 BAM-systems



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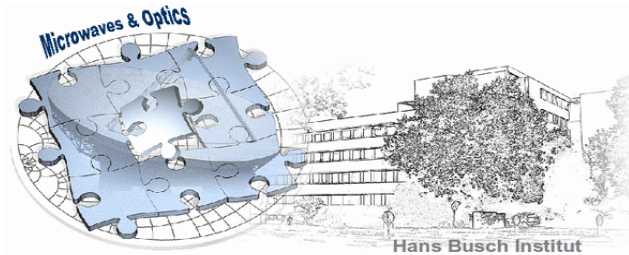
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