



Elettra
Sincrotrone
Trieste

Generation of Intense XVUV Pulses with an Optical Klystron Enhanced SASE FEL

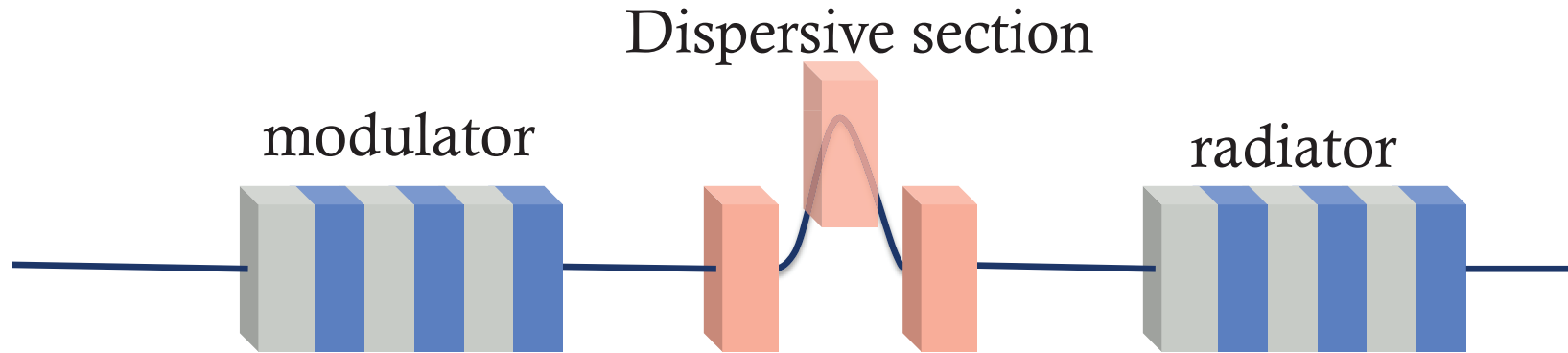
Giuseppe Penco, Enrico Allaria, Giovanni De Ninno,
Eugenio Ferrari, Luca Giannessi

Outline

- Introduction to the optical klystron concept
- Application to high gain FEL: 1-D theory
- Experimental demonstration on FEL-1 at FERMI
 - Study of the Opt. Kly performance vs beam slice energy spread
 - Optical Klystron FEL Gain Curve
- Experiment on FEL-2 at 12 nm
- Conclusion

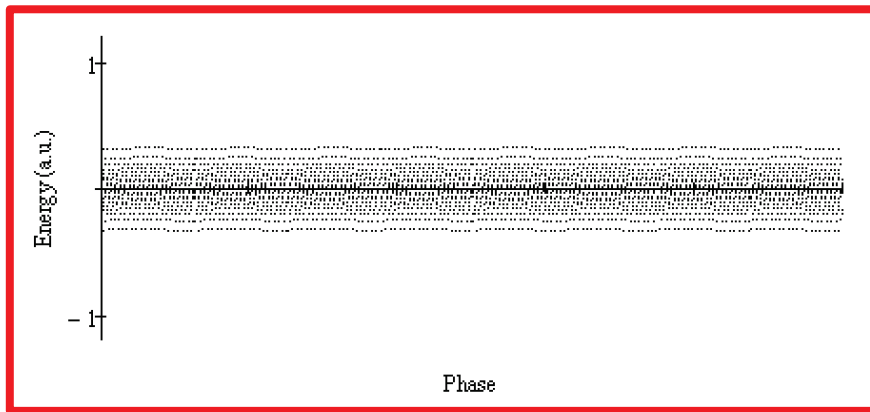
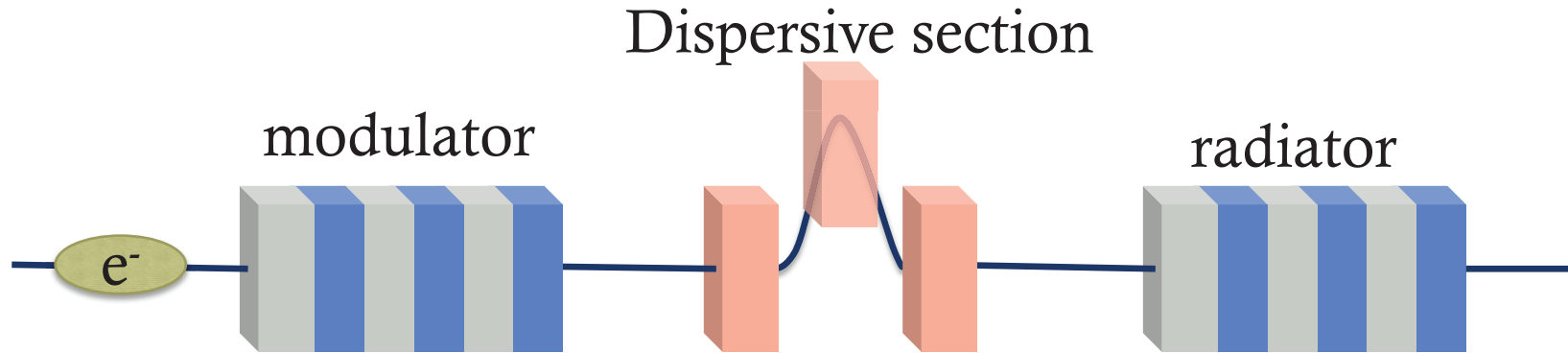


Optical klystron main concept



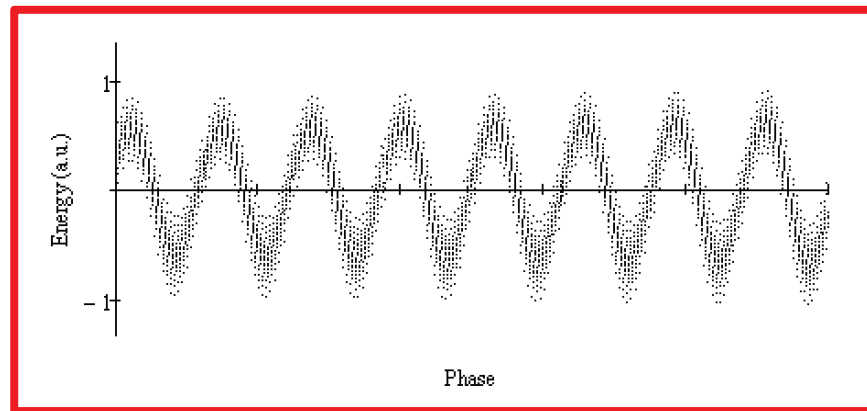
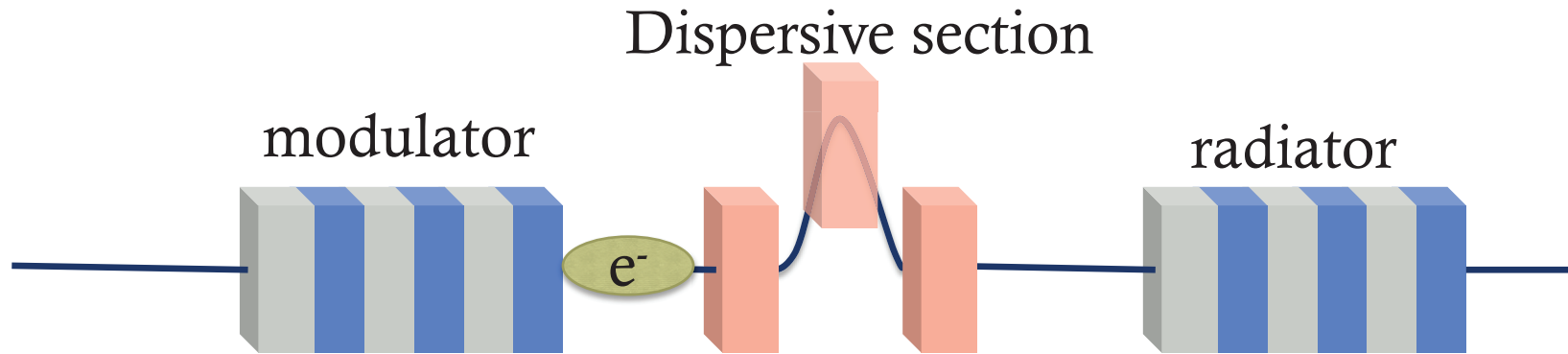


Optical klystron main concept



Fresh beam

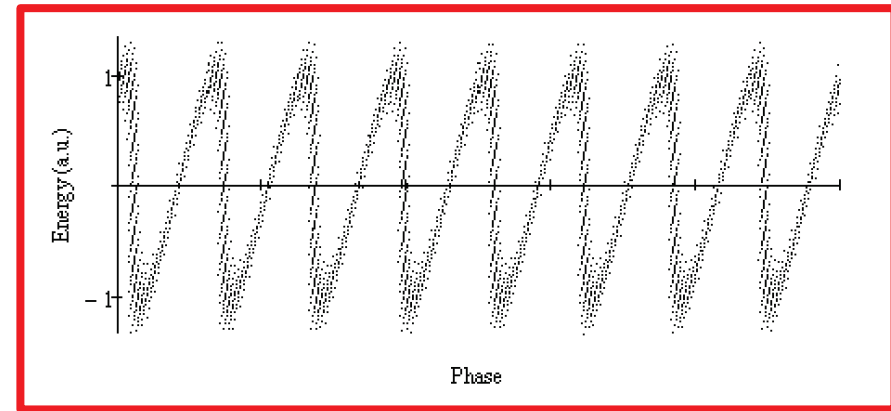
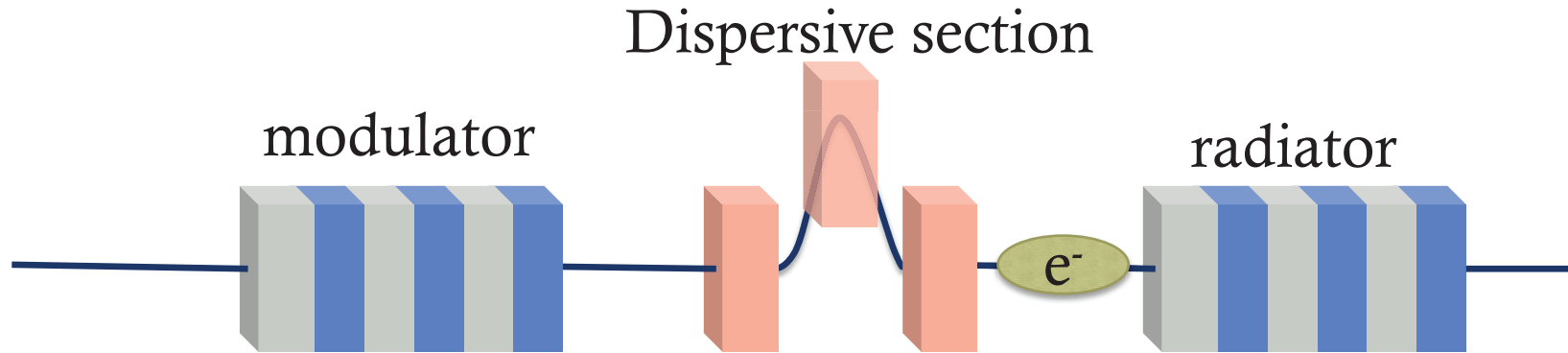
Optical klystron main concept



Modulated beam



Optical klystron main concept



Bunched beam

Optical Klystron progress: from low-gain to high-gain FEL

- First proposal of implementing an optical klystron (OK) to a Storage Ring FEL:
 - Vinokurov and Skrinsky, *Preprint of INP 77-59, Novosibirsk, (1977)*
 - Artamonov et al., (1st exp. on VEPP-3 SR): *NIM-A 177, 247-252 (1980)*
- Opt. klystron FELs on Storage Rings (Oscillator facility):
 - ACO storage ring (lasing at 635nm) : *Phys Rev. Lett. 51, 1652 (1983)*
 - SUPER-ACO storage ring (490nm): *Rev. Sci. Instrum. 60, 1429 (1989)*
 - OK-4/VEPP-3 storage ring (240nm): *NIM-A 282, 424-430 (1989)*
 - OK-4/Duke SR FEL lased at 193.7-209nm in **1999** (*NIM-A 475, 195 (2001)*)
 - ELETTRA SR FEL lased at 217.9nm in **2000** (*NIM-A 475, 20 (2001), PRL 100, 104801 (2008)*)
 - Distributed-OK SRFEL (Duke) improved the gain in **2006** (*Phys. Rev. Lett. 96, 224801*).
- A number of theoretical studies of OK in high-gain FEL amplifier, as (not exhaustive list):

| | |
|--|--|
| <ul style="list-style-type: none"> ▪ <i>Bonifacio et al. Phys. Rev. A 45, 4091 (1992);</i> ▪ <i>Dattoli et al., NIM-A 333, 589 (1993);</i> ▪ <i>Vinokurov et al. NIM-A 375, 264 (1996);</i> ▪ <i>S.J. Hahn and K.H. Pae, Journal of the Korean Phys. Soc. 31, 856 (1997)</i> | <ul style="list-style-type: none"> ▪ <i>Kim, NIM-A 407, 126 (1998);</i> ▪ <i>Neil and Freund, NIM-A 475, 381 (2001);</i> ▪ <i>Saldin et al., DESY 03-108 (2003)</i> ▪ <i>Ding et al, Phys. Rev. ST-AB 9, 070702 (2006)</i> ▪ |
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Short Review of 1-D theory for OK SASE

- K. J. Kim, NIM-A **407**, 126 (1998)
- Y. Ding et al., Phys Rev ST-AB **9**, 070702 (2006)

Enhancement factor to the rad. field E_ν

$$R(\nu) \equiv \frac{E_\nu^{\text{OK}}}{E_\nu^{\text{no OK}}} = \frac{1 - \int d\xi \frac{dV(\xi)/d\xi}{(\mu - \xi)^2} e^{-i\rho k_r \nu R_{56} \xi} e^{ik_r \nu R_{56}/2}}{1 + 2 \int d\xi \frac{V(\xi)}{(\mu - \xi)^3}}$$

$\nu = \omega / \omega_r$

$\rho =$ Pierce parameter

$\xi = \delta / \rho$

$\delta = (\gamma - \gamma_0) / \gamma_0$

$V(\xi)$ en distr. of e-beam

Where $\mu = (-1 + i\sqrt{3})/2$ is the complex growth rate of E_ν in each undulator (for a beam with a vanishing en. spread)



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Radiation in the 1st und.

μ bunching induced by
the chicane

$\nu = \omega / \omega_r$

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Radiation in the 1st und. μbunching induced by the chicane Electron phase slippage

- $\nu = \omega / \omega_r$
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Using the average SASE spectrum: $S(\nu) = \frac{1}{\sqrt{2\pi}\sigma_\nu} \exp\left[-\frac{(\nu - 1)^2}{2\sigma_\nu^2}\right]$





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$$S(\nu) = \frac{1}{\sqrt{2\pi}\sigma_\nu} \exp\left[-\frac{(\nu - 1)^2}{2\sigma_\nu^2}\right]$$

$$G = \int d\nu |R(\nu)|^2 S(\nu) \approx \frac{1}{9} \left[5 + D^2 e^{-D^2 \sigma_\xi^2} + 2\sqrt{3} D e^{-\frac{D^2 \sigma_\xi^2}{2}} + \left((4 + \sqrt{3} D) e^{-\frac{D^2 \sigma_\xi^2}{2}} \cos\left(\frac{D}{2\rho}\right) - D e^{-\frac{D^2 \sigma_\xi^2}{2}} \sin\left(\frac{D}{2\rho}\right) \right) e^{-\frac{D^2 \sigma_\nu^2}{8\rho^2}} \right]$$

$$\sigma_\xi = \sigma_\delta / \rho$$



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when
 $D = k_r R_{56} \rho \gg 1$

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$$\sigma_\xi = \sigma_\delta / \rho$$

The ratio σ_δ/ρ is a key parameter

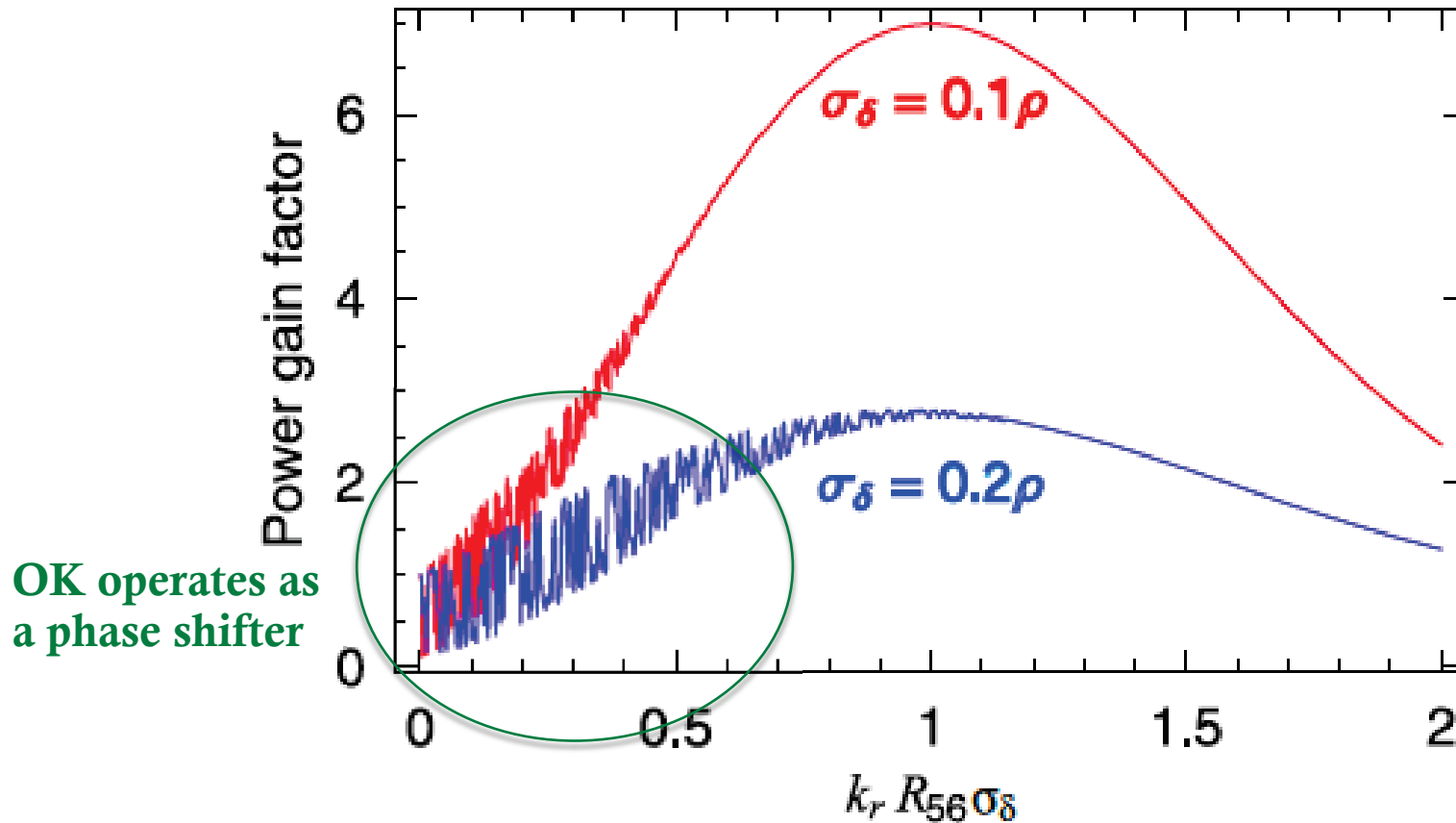
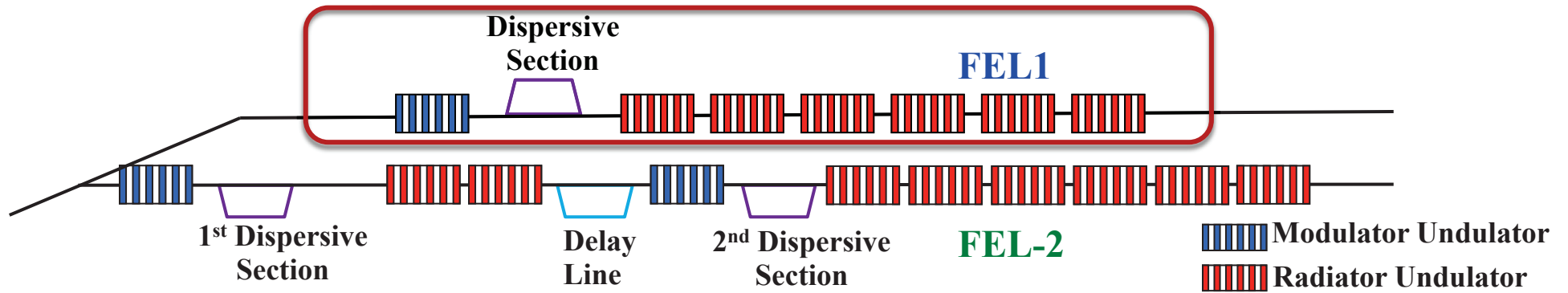


FIG. 1. (Color) 1D power gain factor G with relative energy spread $\sigma_\delta = 0.1\rho$ (red line) and $\sigma_\delta = 0.2\rho$ (blue line).

Y. Ding et al., Phys Rev ST-AB **9**, 070702 (2006)

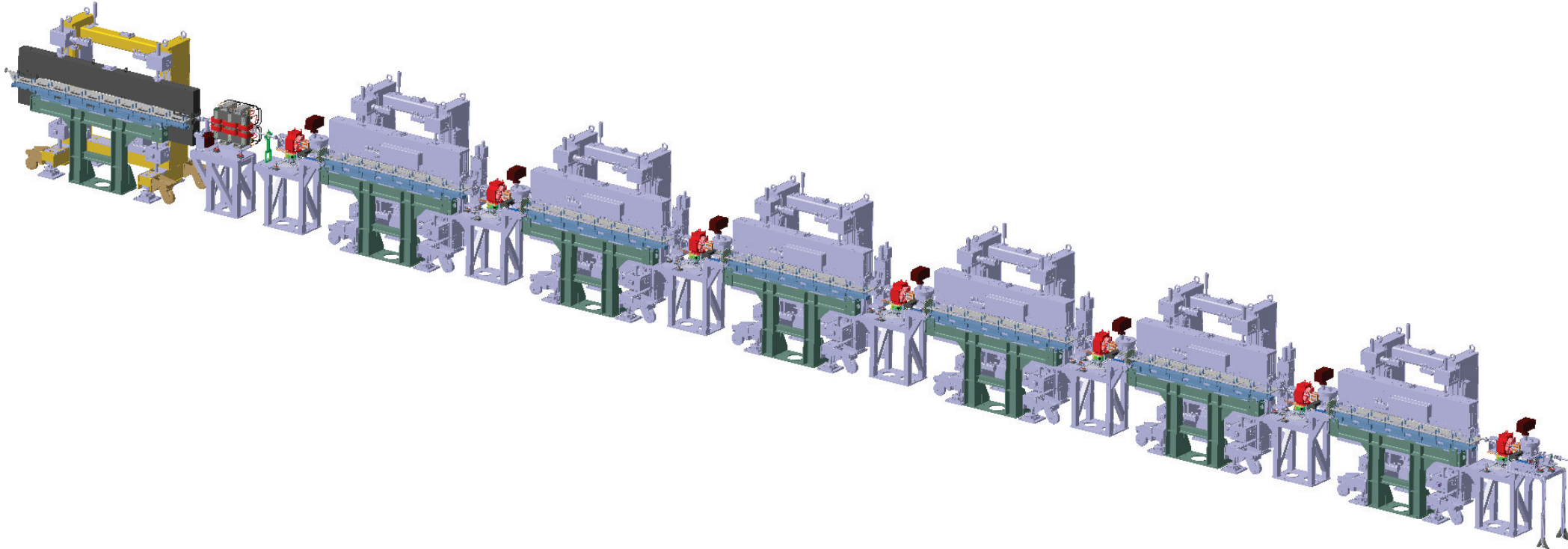
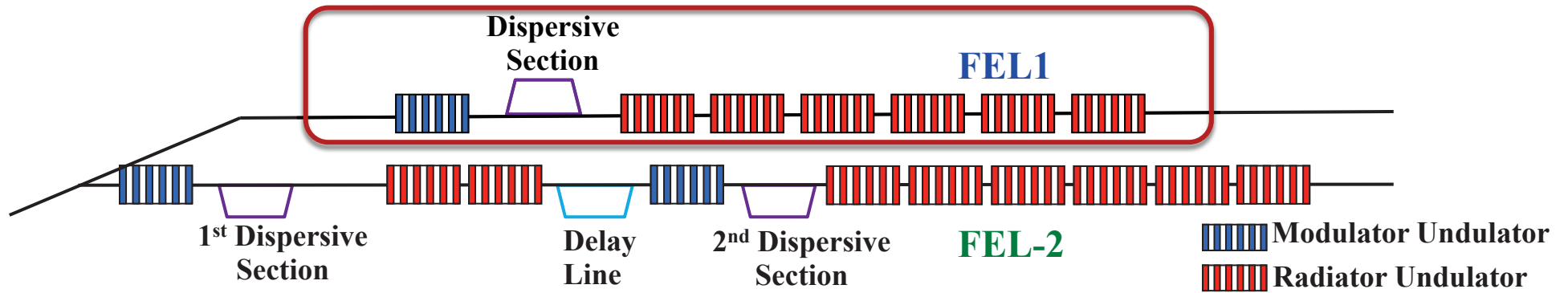


Experiment at FERMI (FEL-1 line)



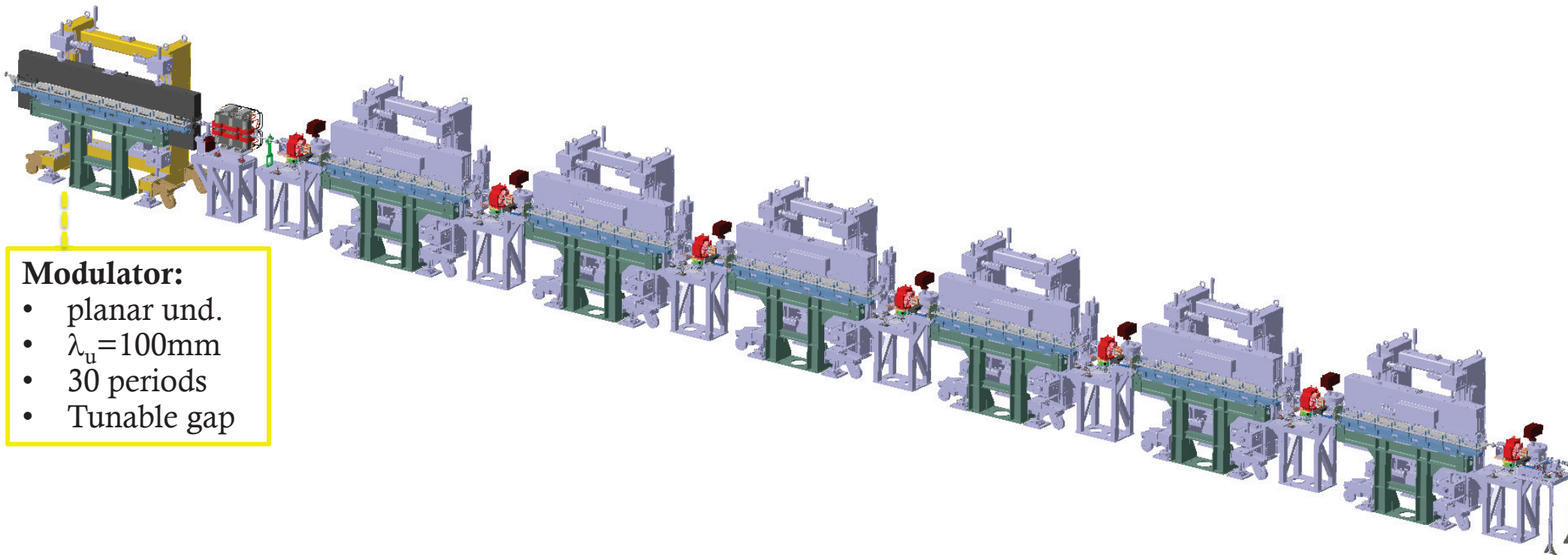
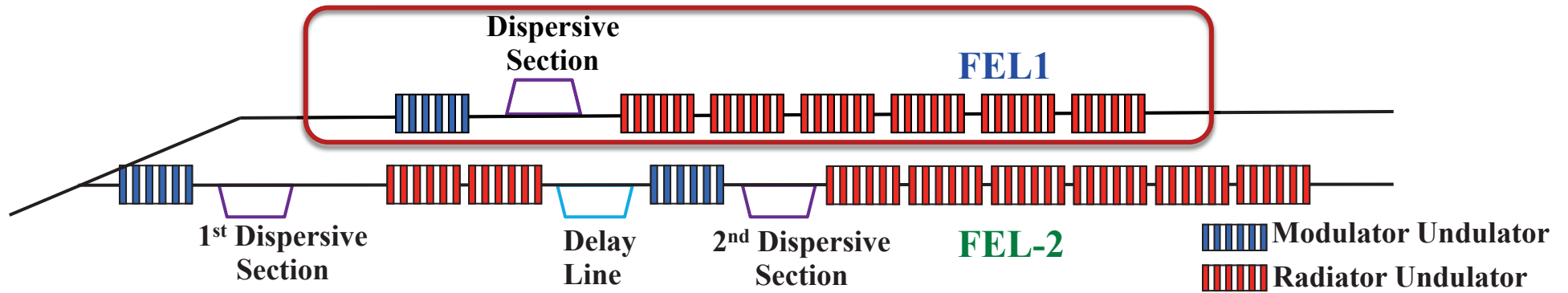


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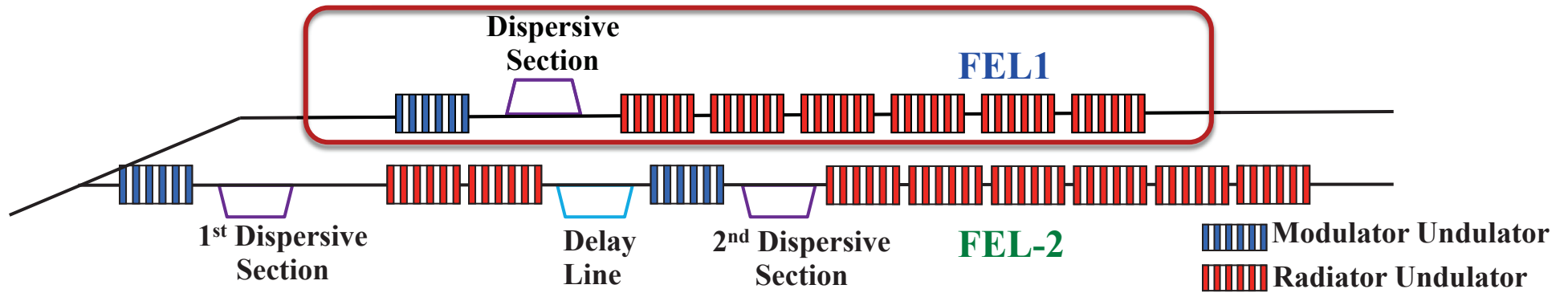
Modulator:

- planar und.
- $\lambda_u = 100\text{mm}$
- 30 periods
- Tunable gap

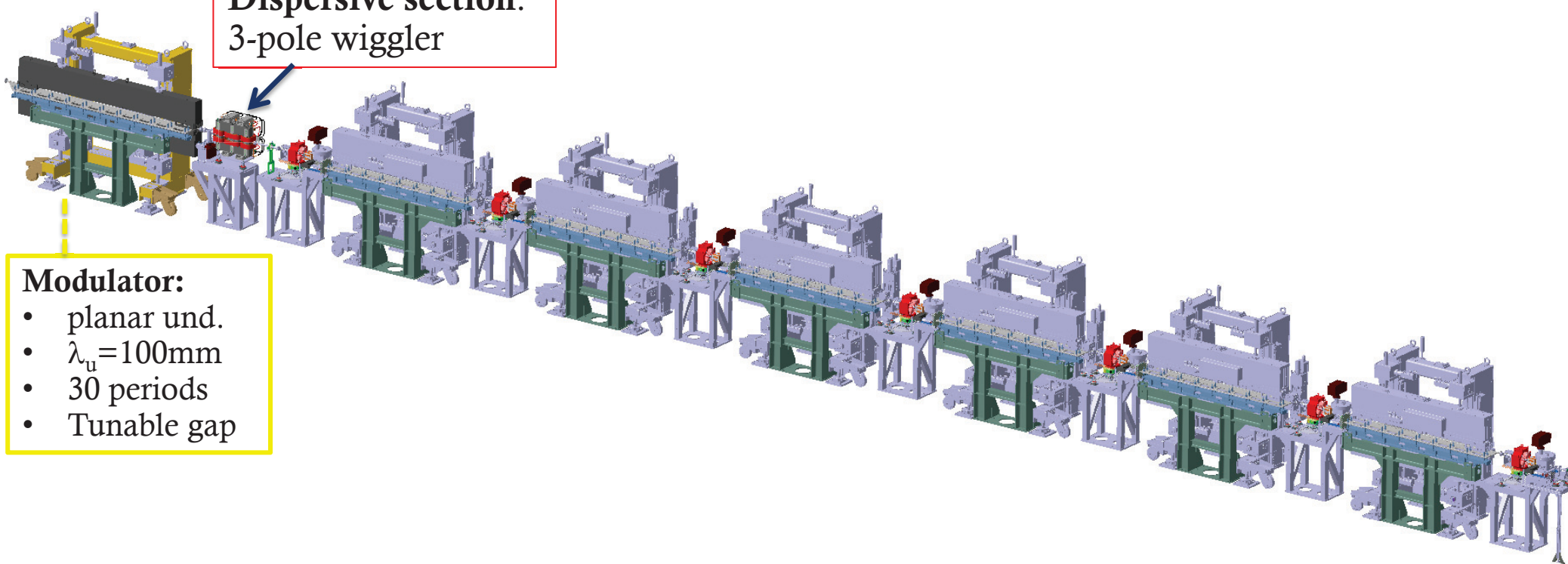




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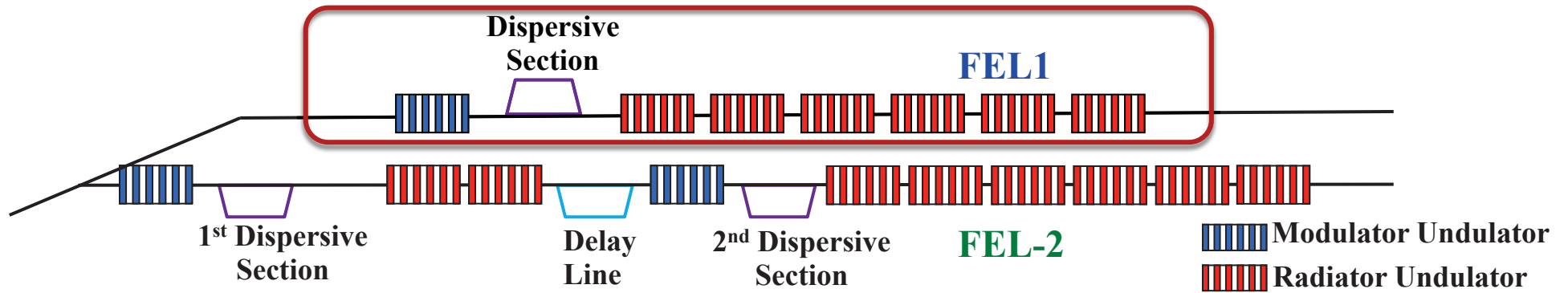
Dispersive section:
3-pole wiggler



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Experiment at FERMI (FEL-1 line)



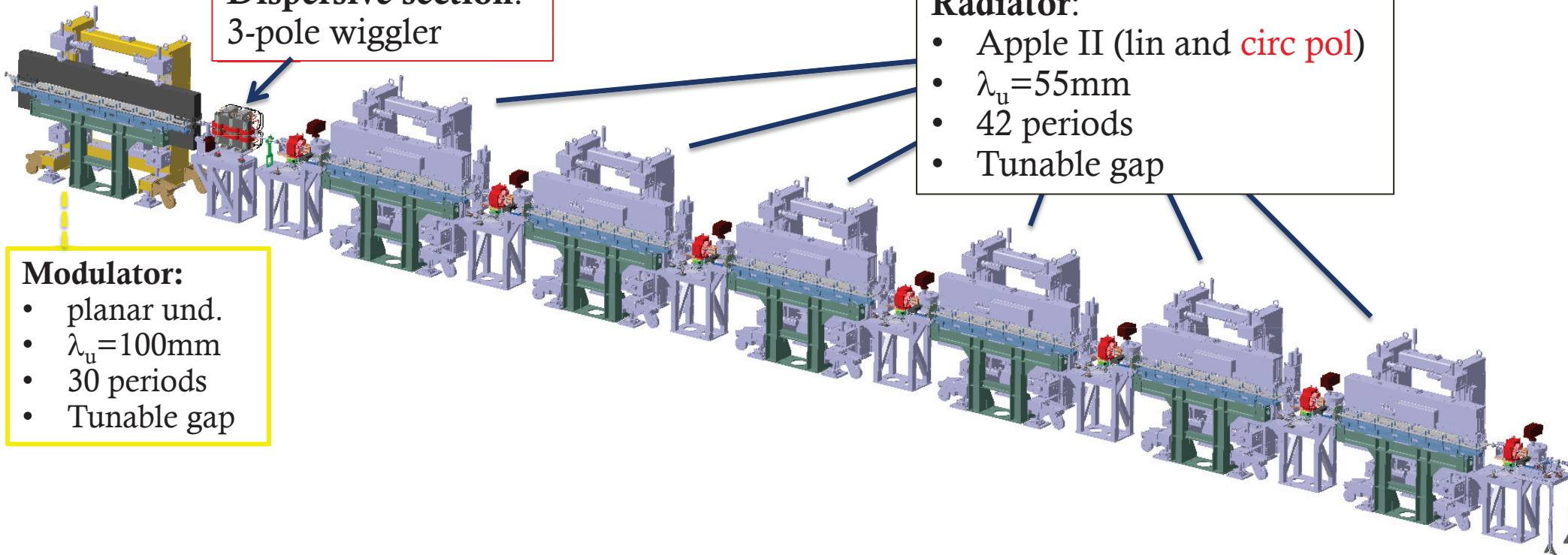
Dispersive section:
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Radiator:

- Apple II (lin and circ pol)
- $\lambda_u = 55\text{mm}$
- 42 periods
- Tunable gap

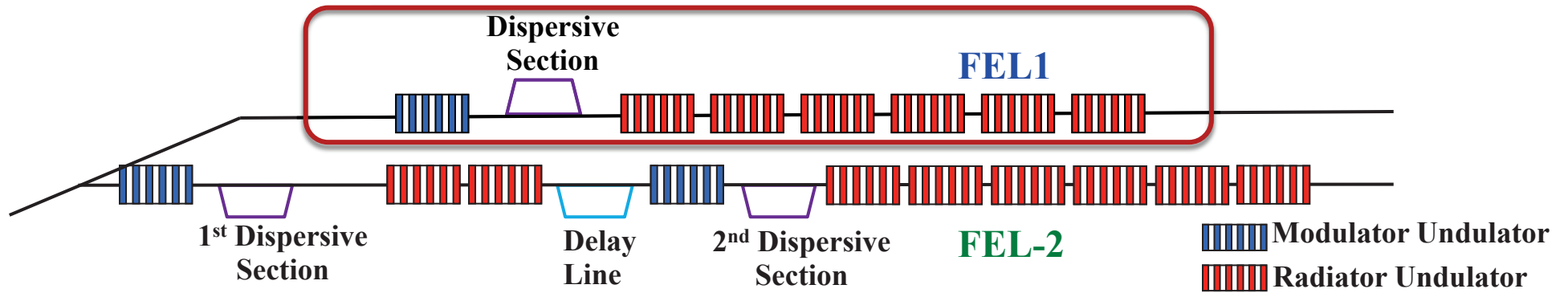
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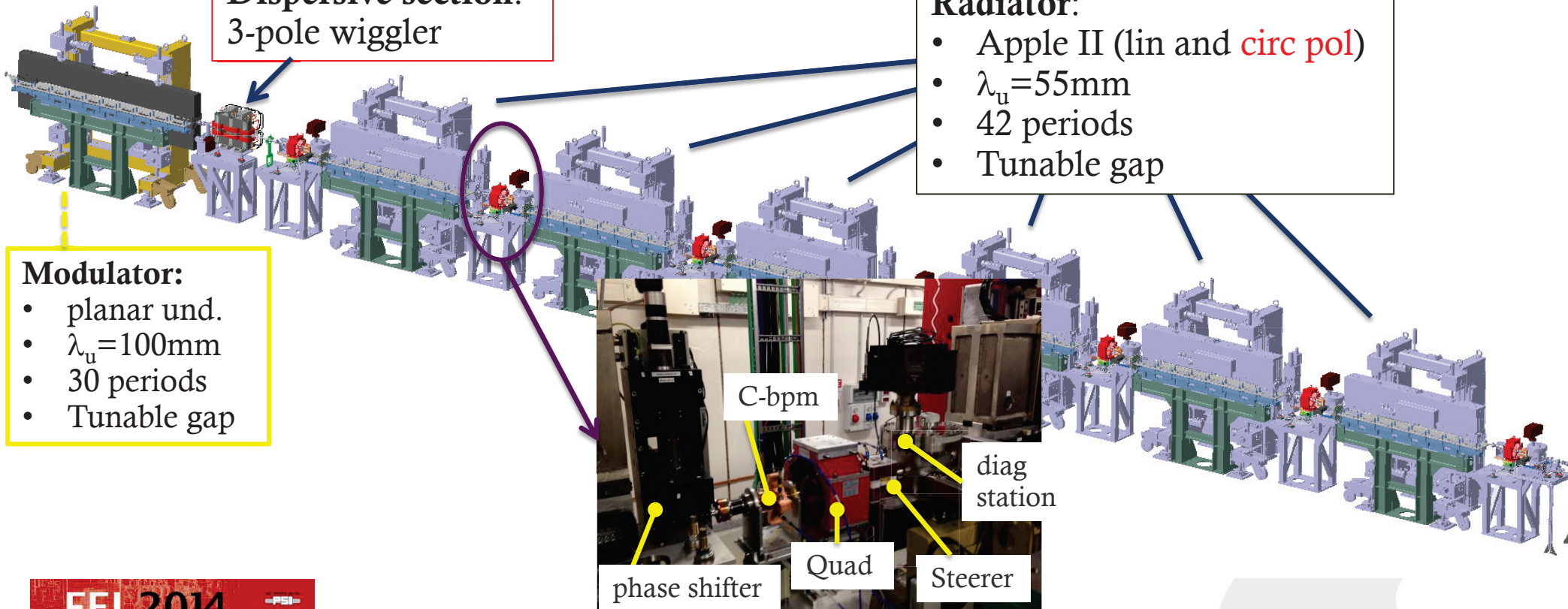
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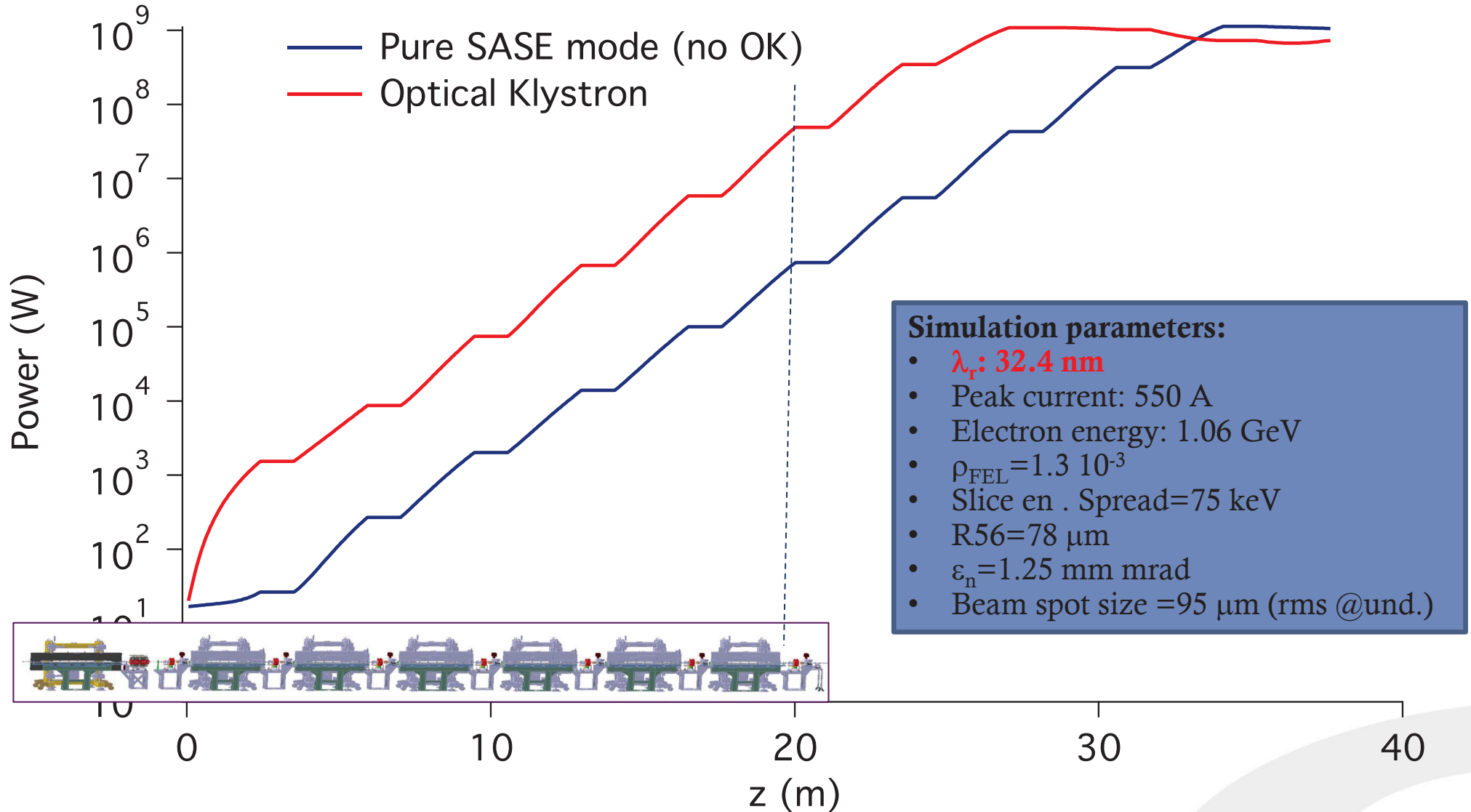
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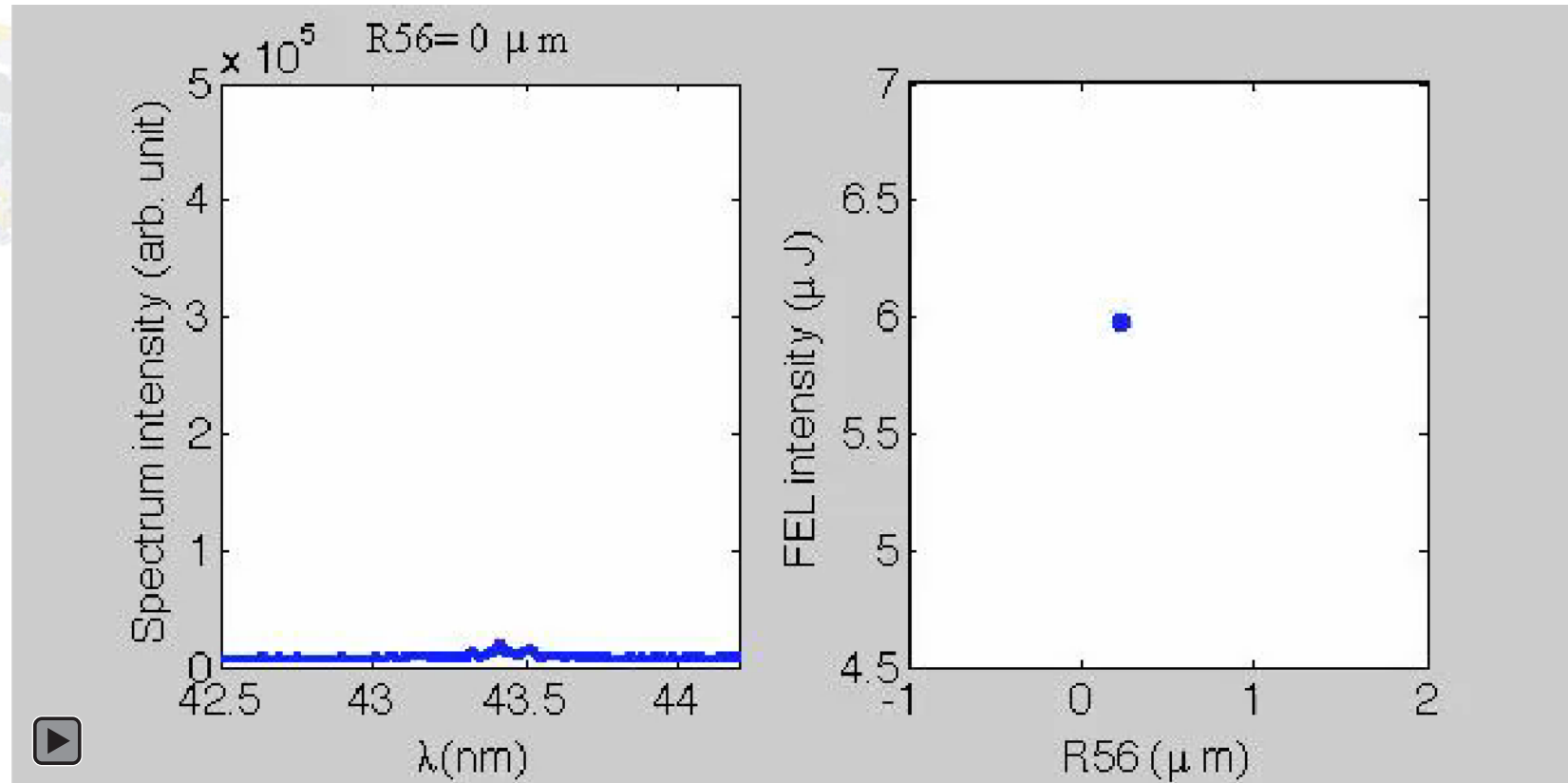
Simulation results (GENESIS)





SASE intensity and spectrum vs Dispersive Section R₅₆

E-beam: Q=500 pC, I_p=500 A, E=1.058 GeV

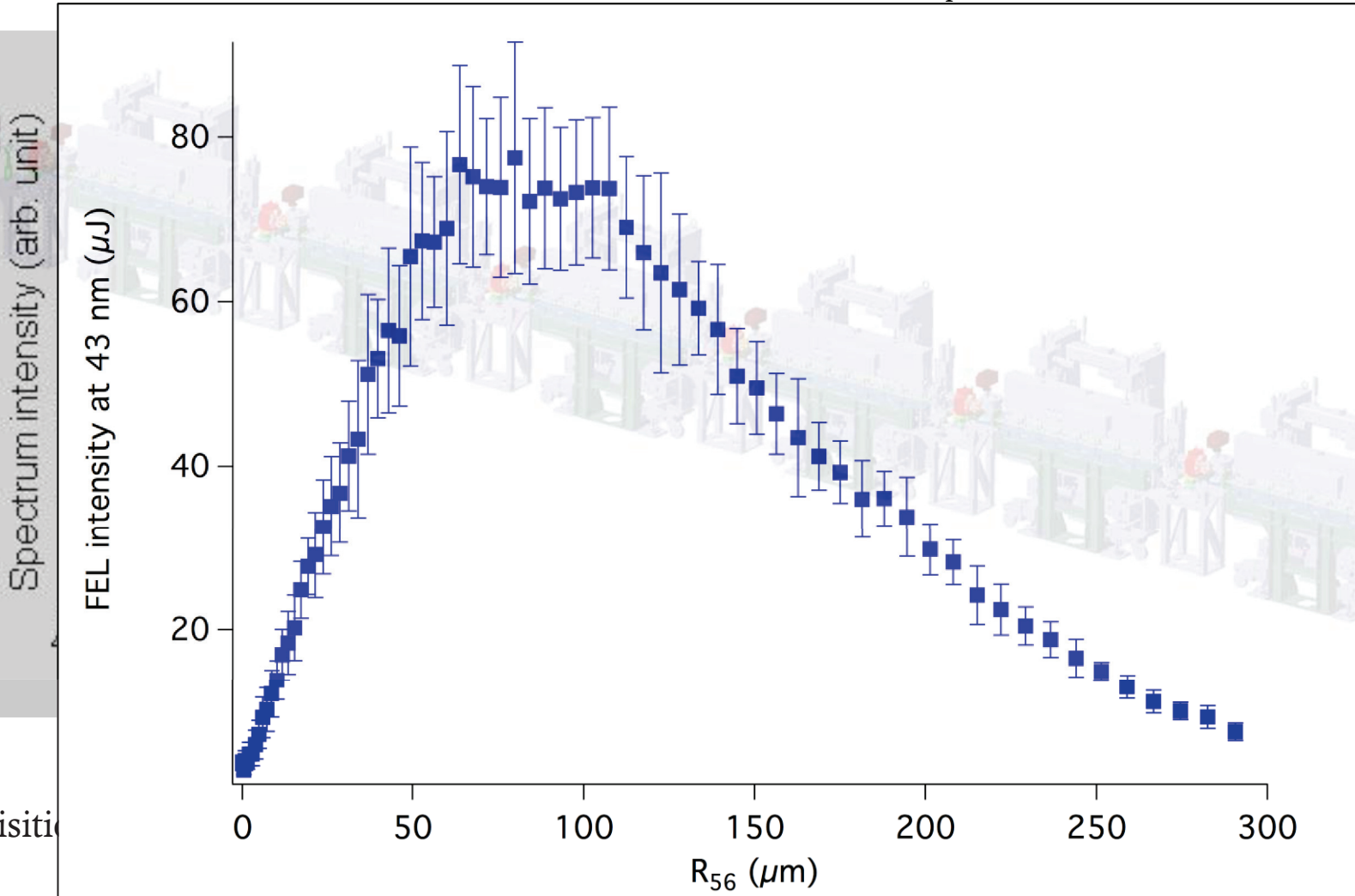


Shot-to-shot acquisition at 10Hz



SASE intensity and spectrum vs Dispersive Section R_{56}

E-beam: $Q=500$ pC, $I_p=500$ A, $E=1.058$ GeV

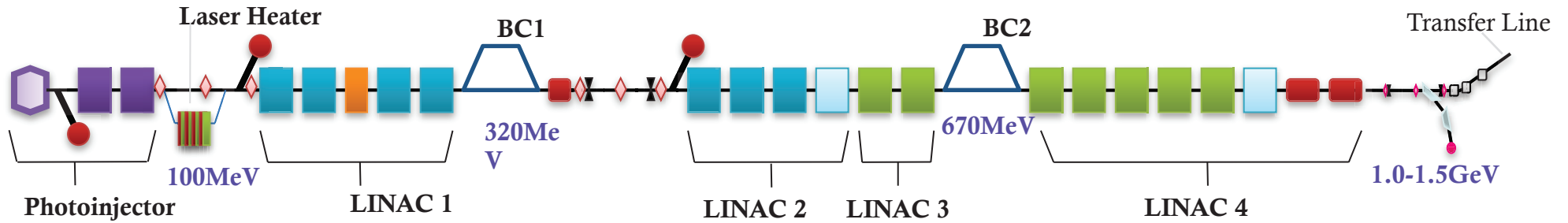


Shot-to-shot acquisition



Opt. Kly. performance versus σ_E (1/3)

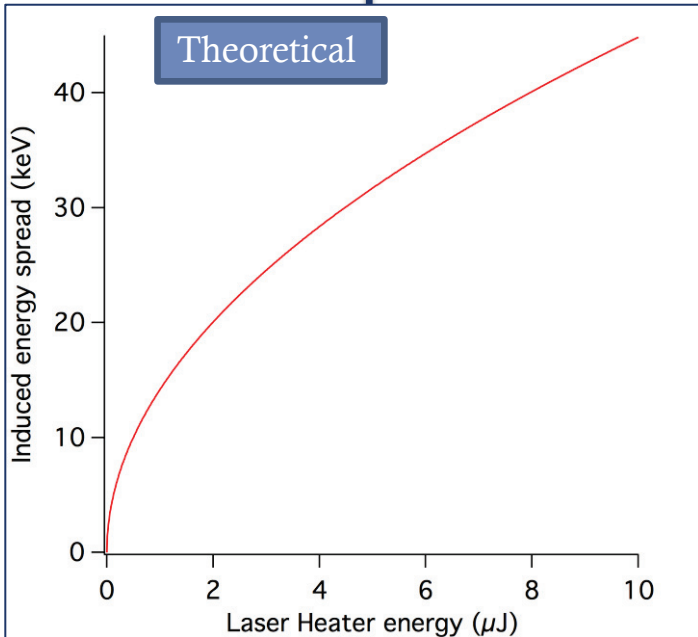
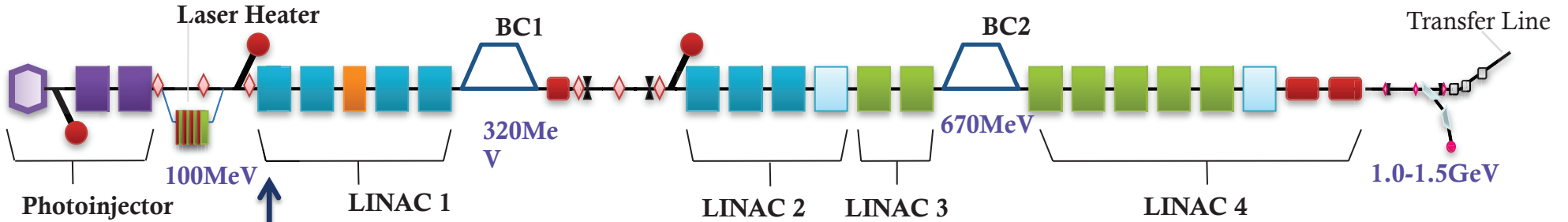
We can control the beam slice en. spread by using the laser heater





Opt. Kly. performance versus σ_E (1/3)

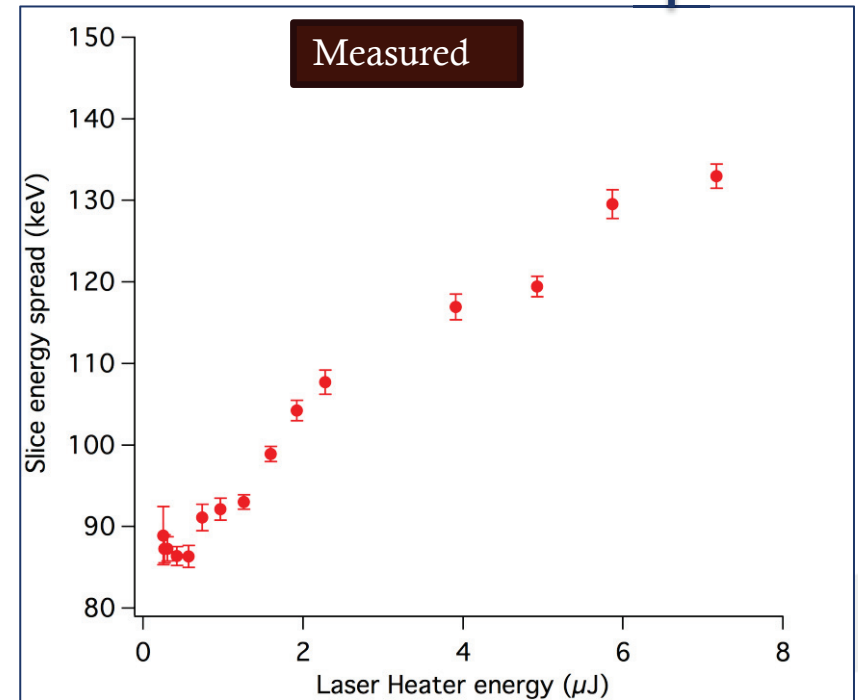
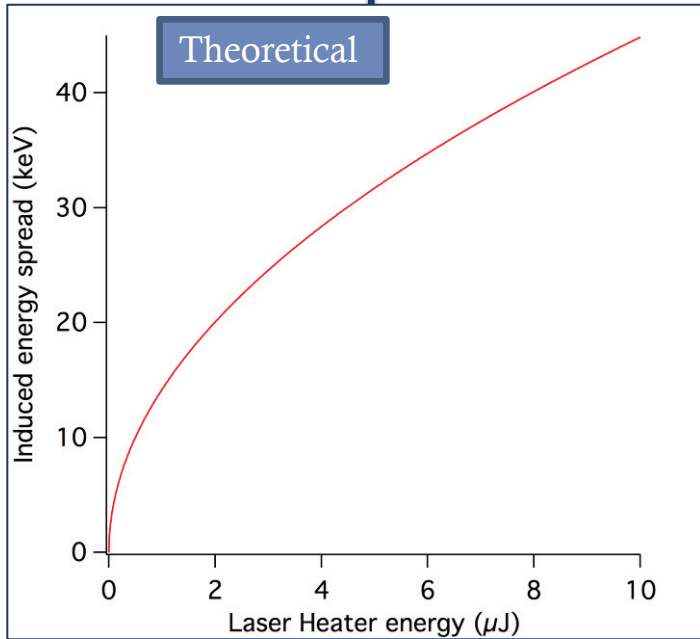
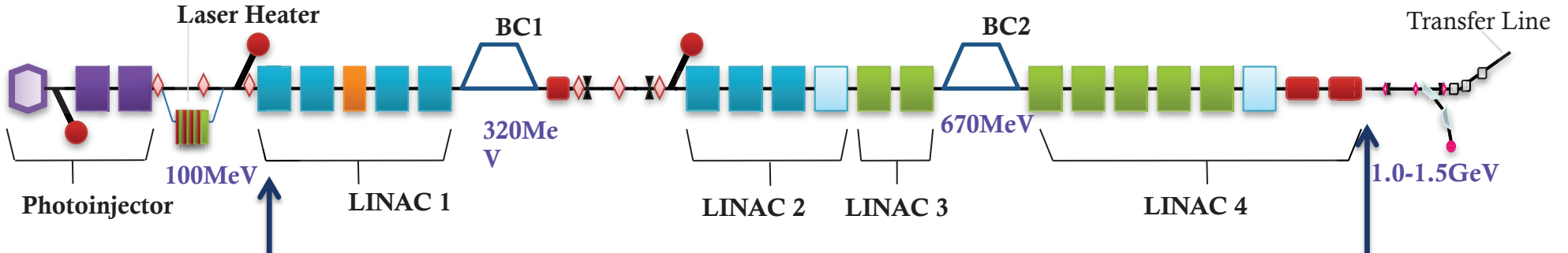
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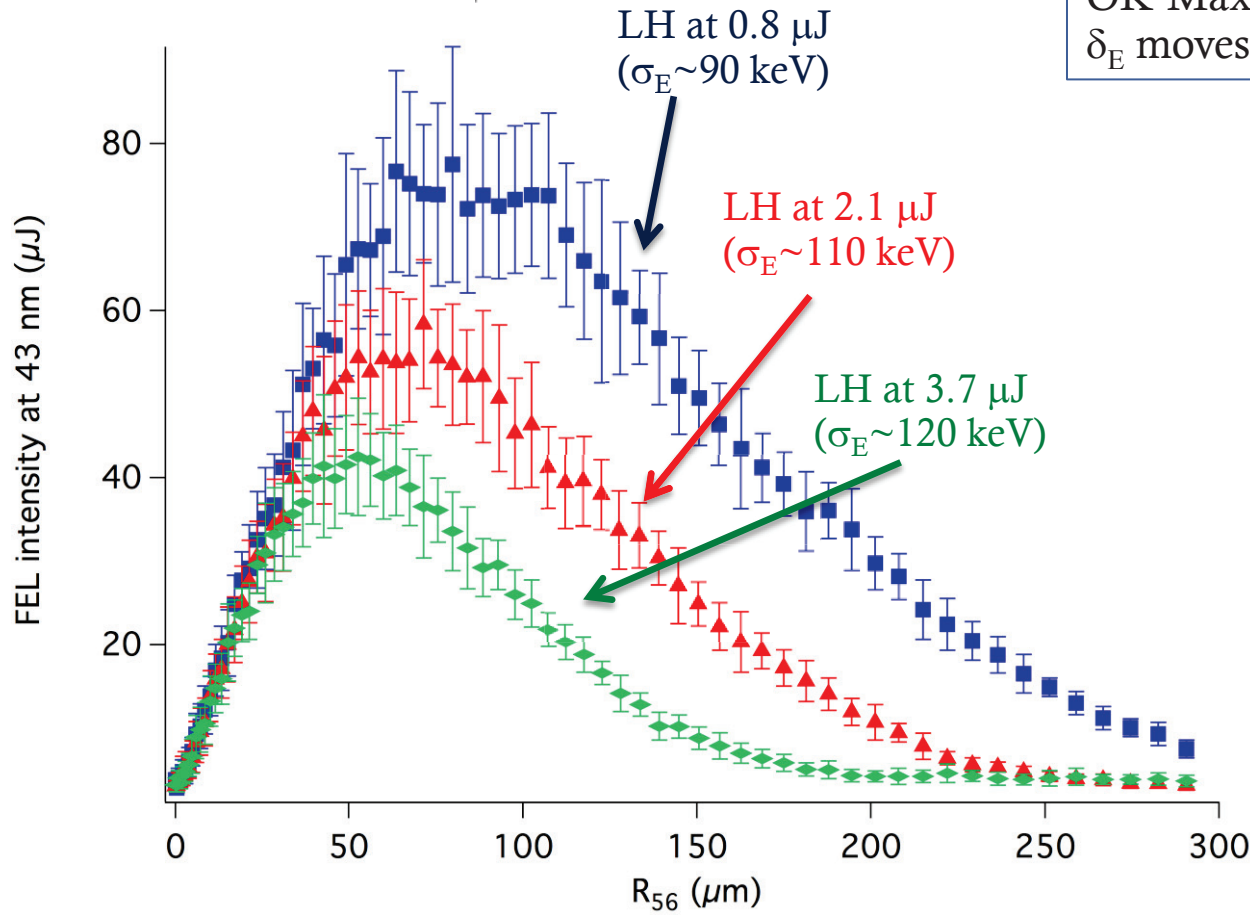
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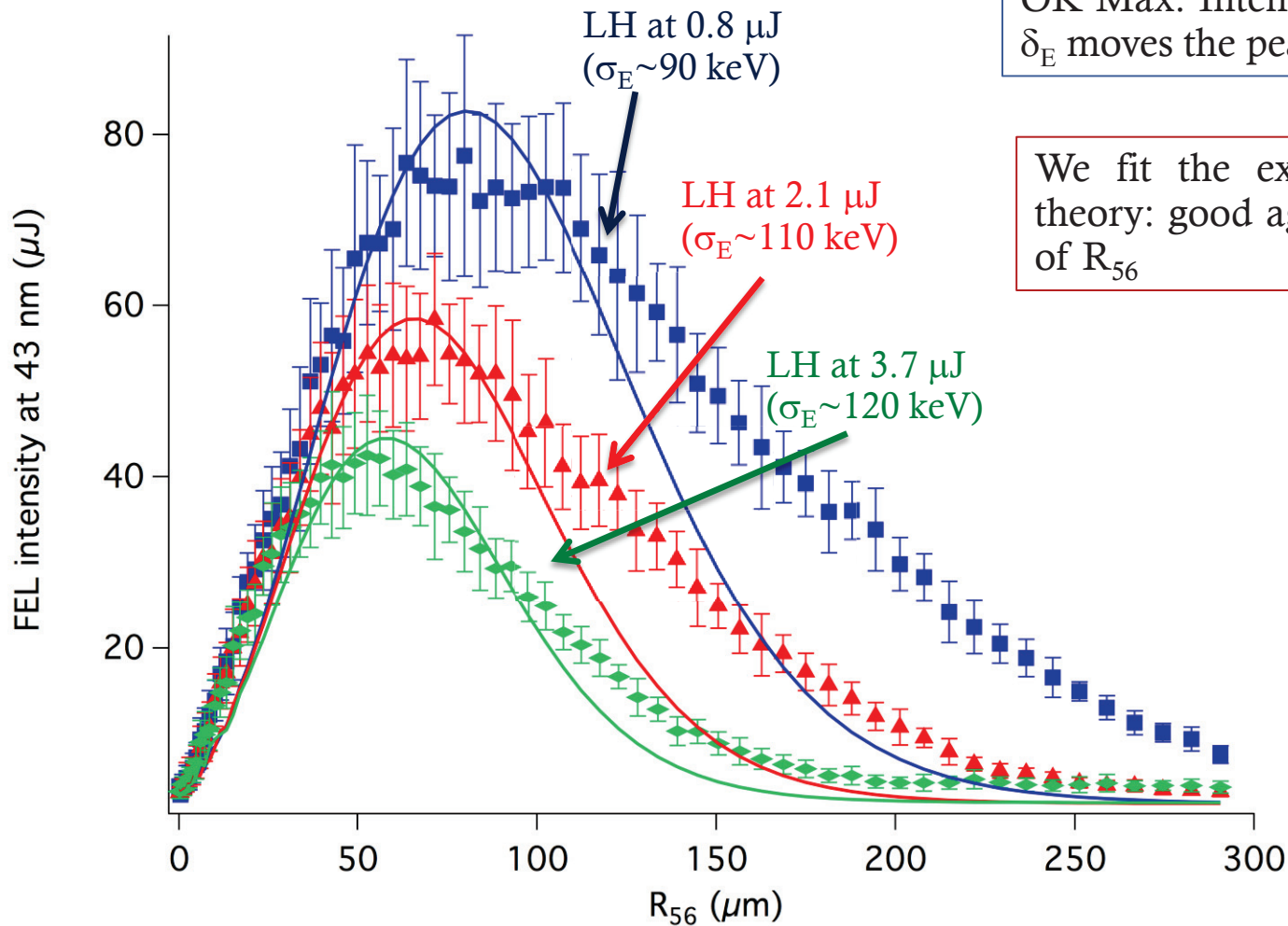
Opt. Kly. performance versus σ_E (2/3)

OK Max. Intensity for $R_{56} k_I \delta_E \sim 1$, so increasing δ_E moves the peak towards smaller R_{56} .





Opt. Kly. performance versus σ_E (2/3)

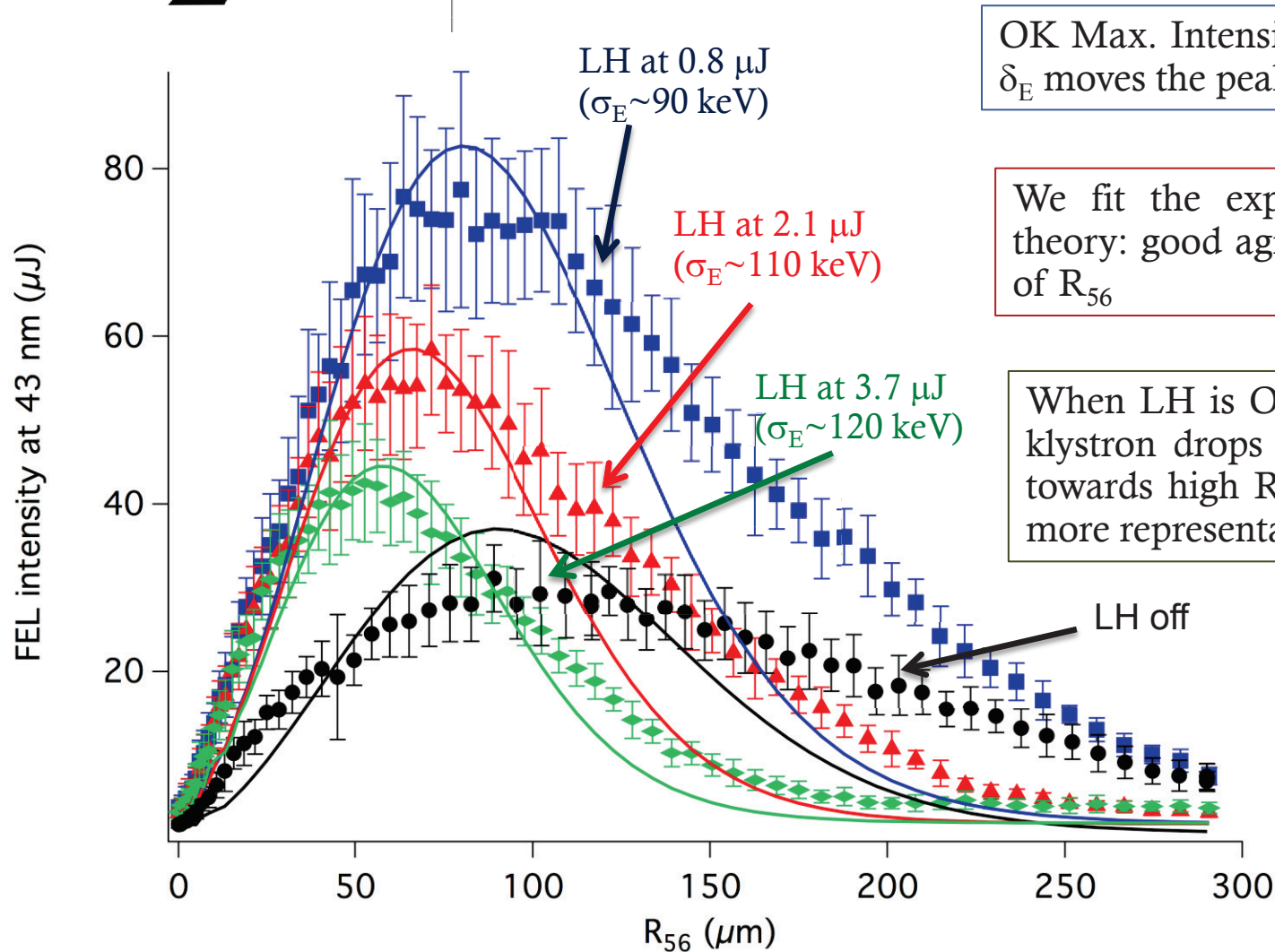


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We fit the experimental data with the 1-D theory: good agreement but not for high values of R_{56}



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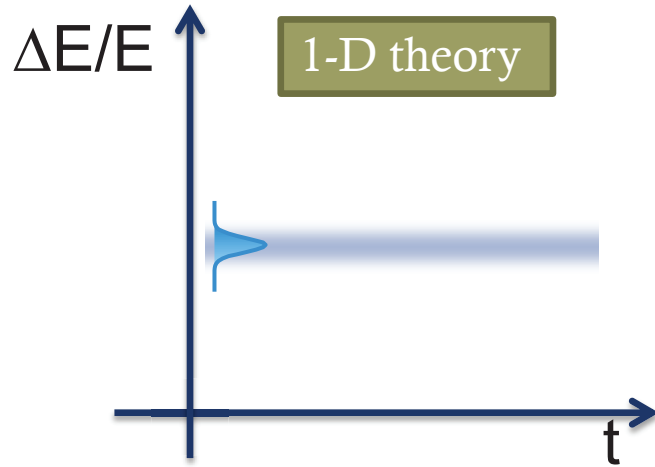
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When LH is OFF, the efficiency of the optical klystron drops but in the meantime it extends towards high R_{56} values (the 1-D theory is no more representative)

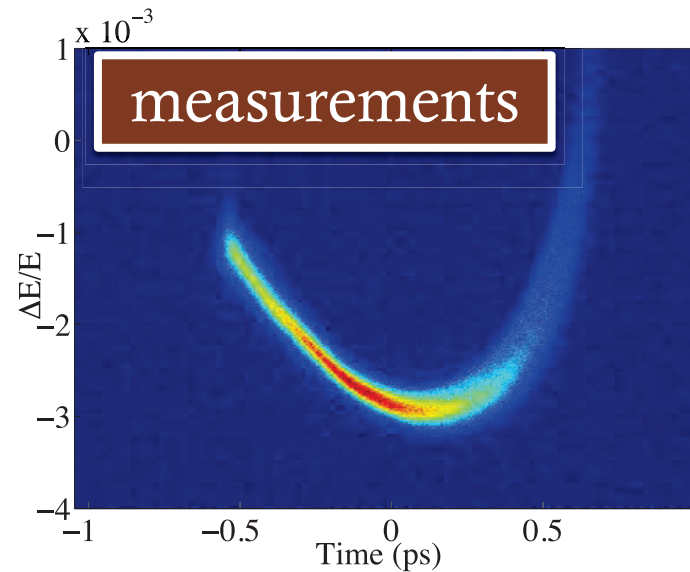
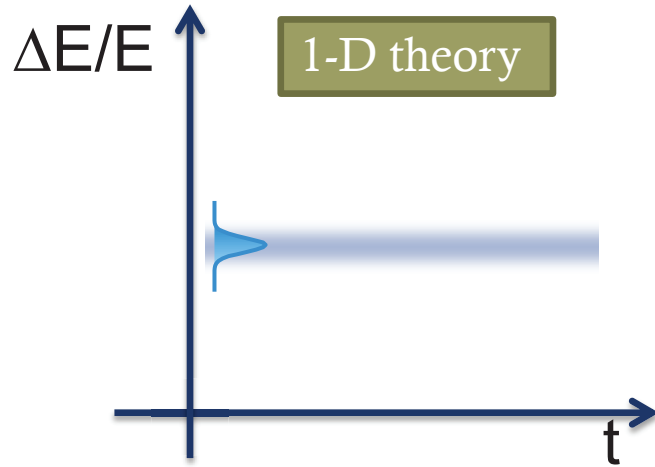


e-beam longitudinal phase space





e-beam longitudinal phase space

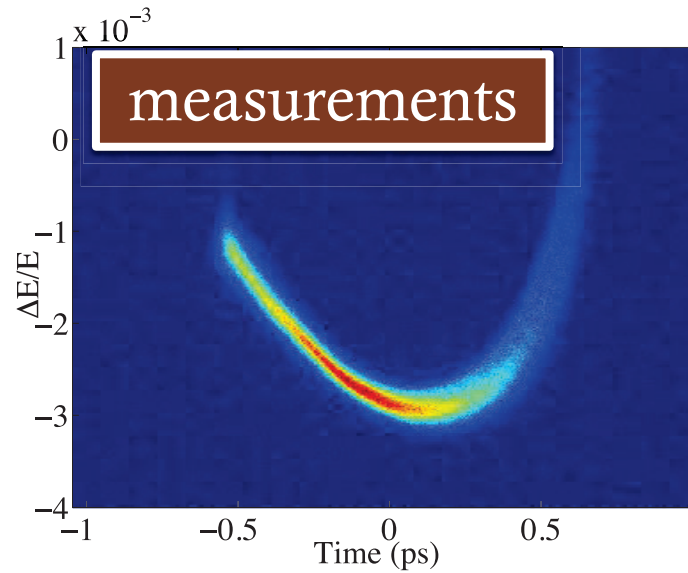
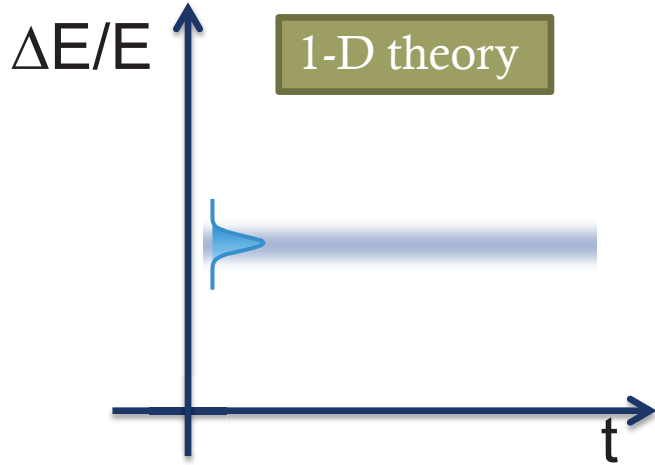


σ_E is not uniform along the bunch.

Collective effects (e.g. residual microbunching instability) can extend the efficiency of the optical klystron to R56 values larger than expected.

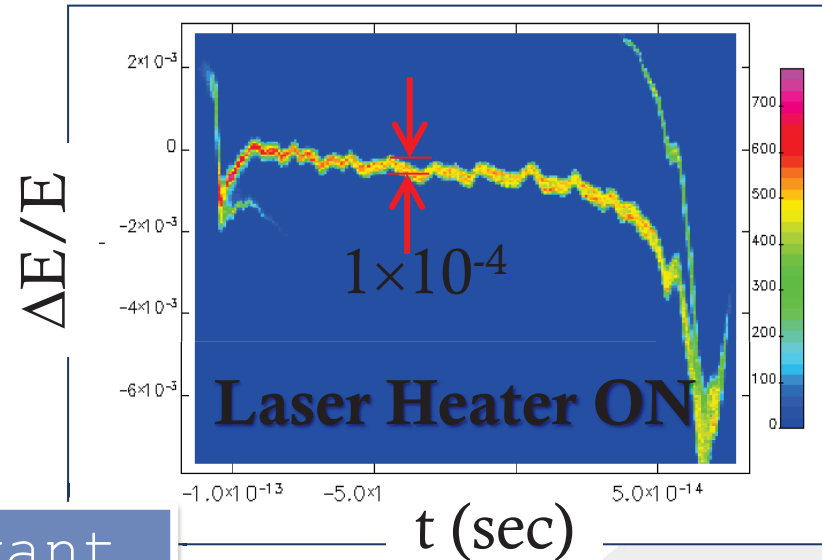
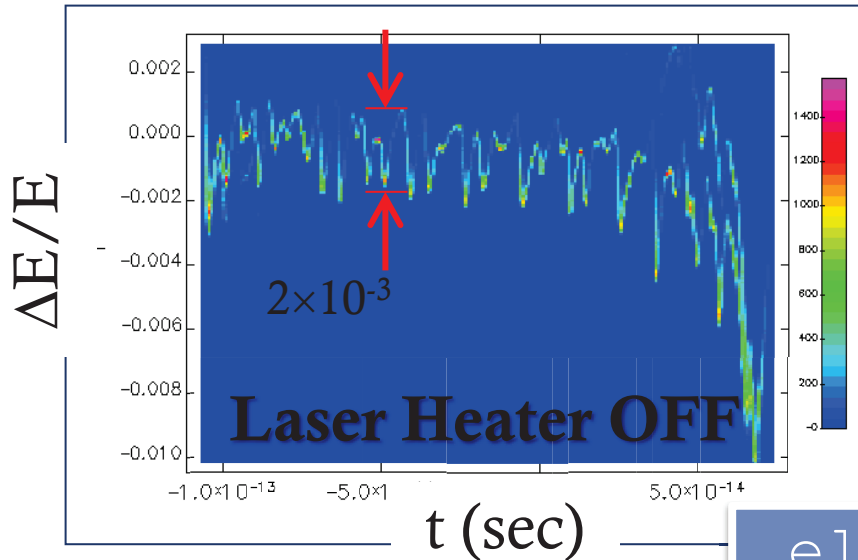


e-beam longitudinal phase space



σ_E is not uniform along the bunch.

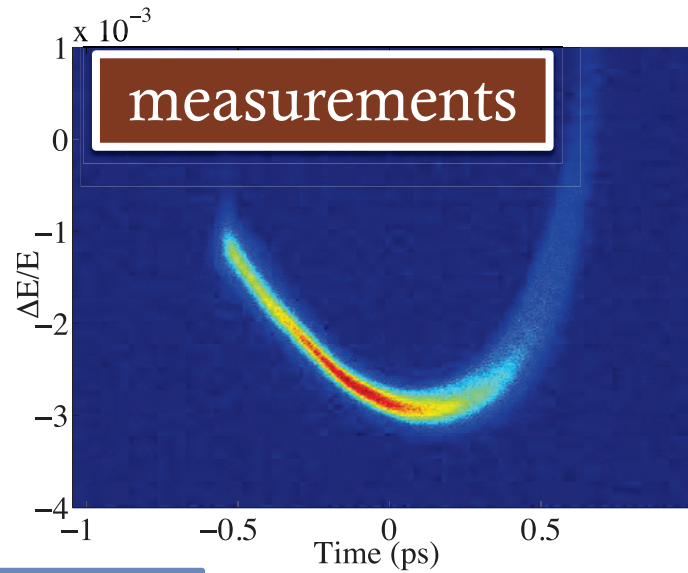
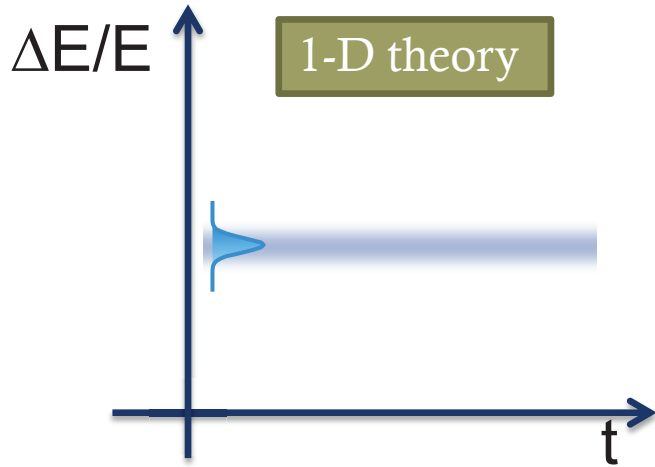
Collective effects (e.g. residual microbunching instability) can extend the efficiency of the optical klystron to R56 values larger than expected.



elegant

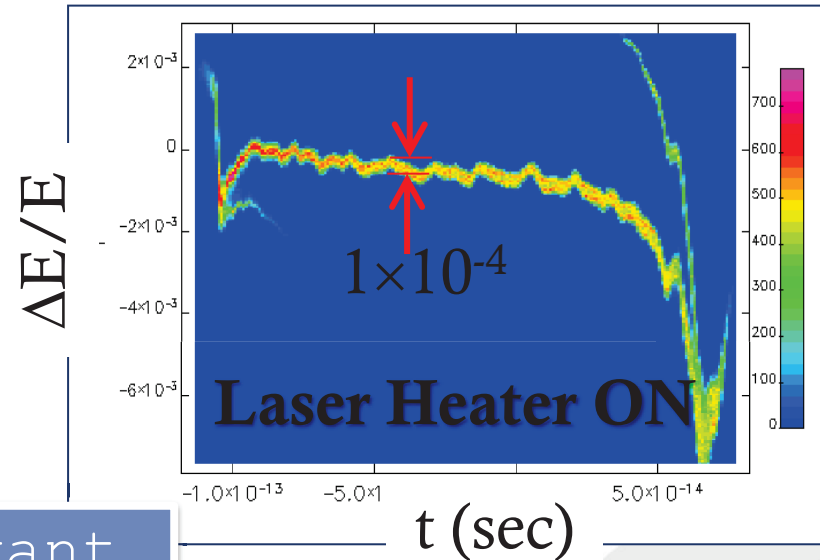
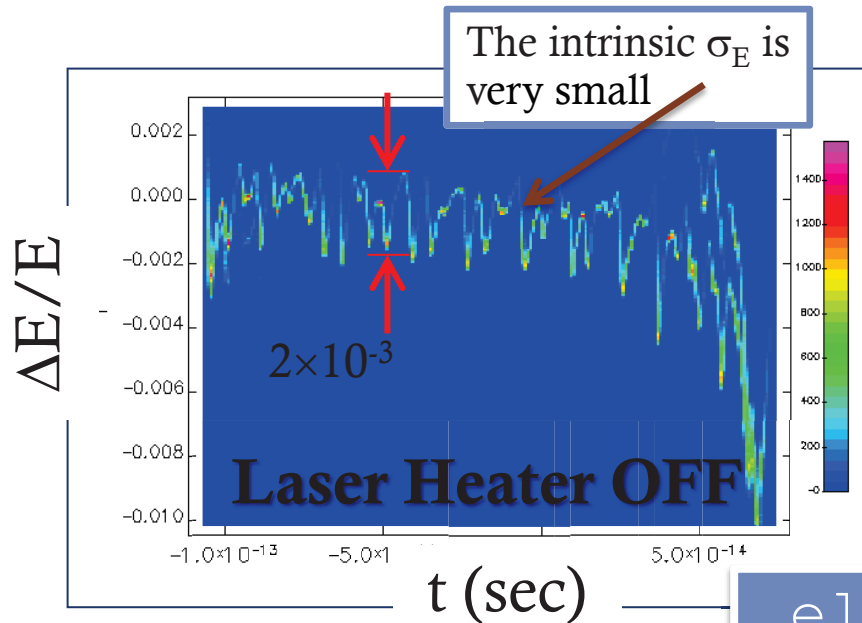


e-beam longitudinal phase space



σ_E is not uniform along the bunch.

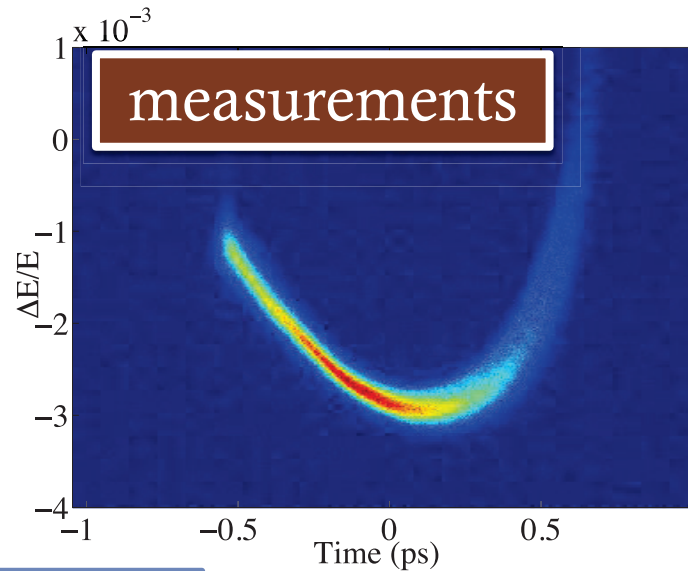
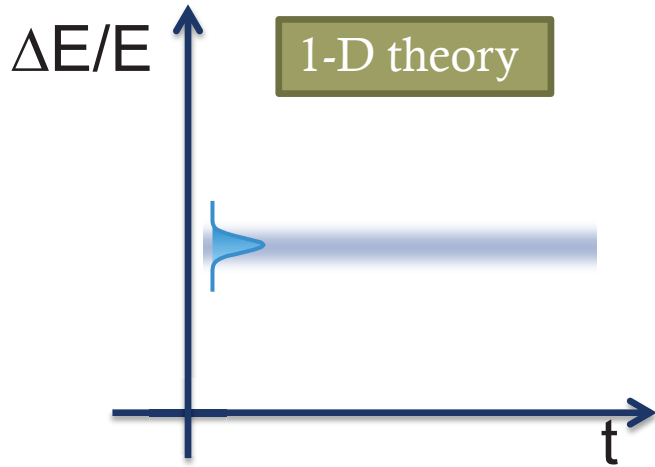
Collective effects (e.g. residual microbunching instability) can extend the efficiency of the optical klystron to R56 values larger than expected.



elegant



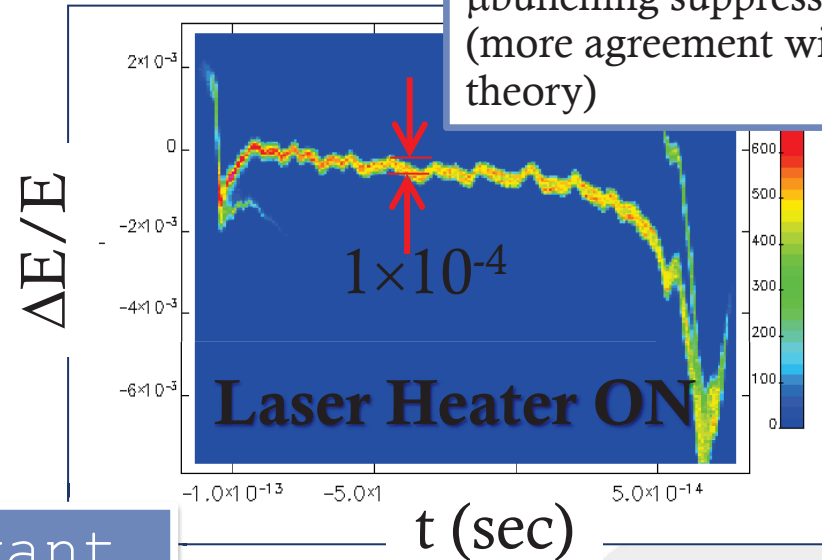
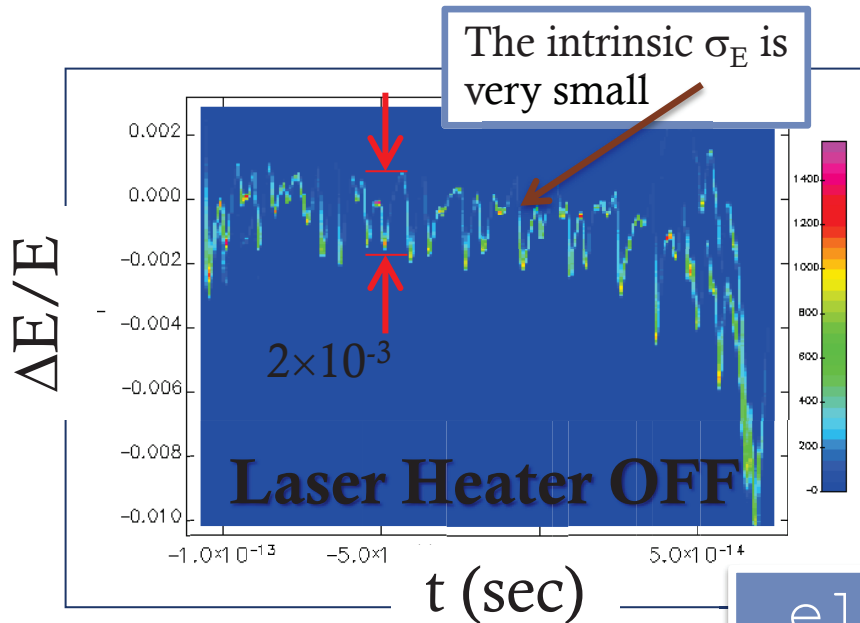
e-beam longitudinal phase space



σ_E is not uniform along the bunch.

Collective effects (e.g. residual microbunching instability) can extend the efficiency of the optical klystron to R56 values larger than expected.

The intrinsic σ_E was increased by LH and μ bunching suppressed (more agreement with 1D theory)

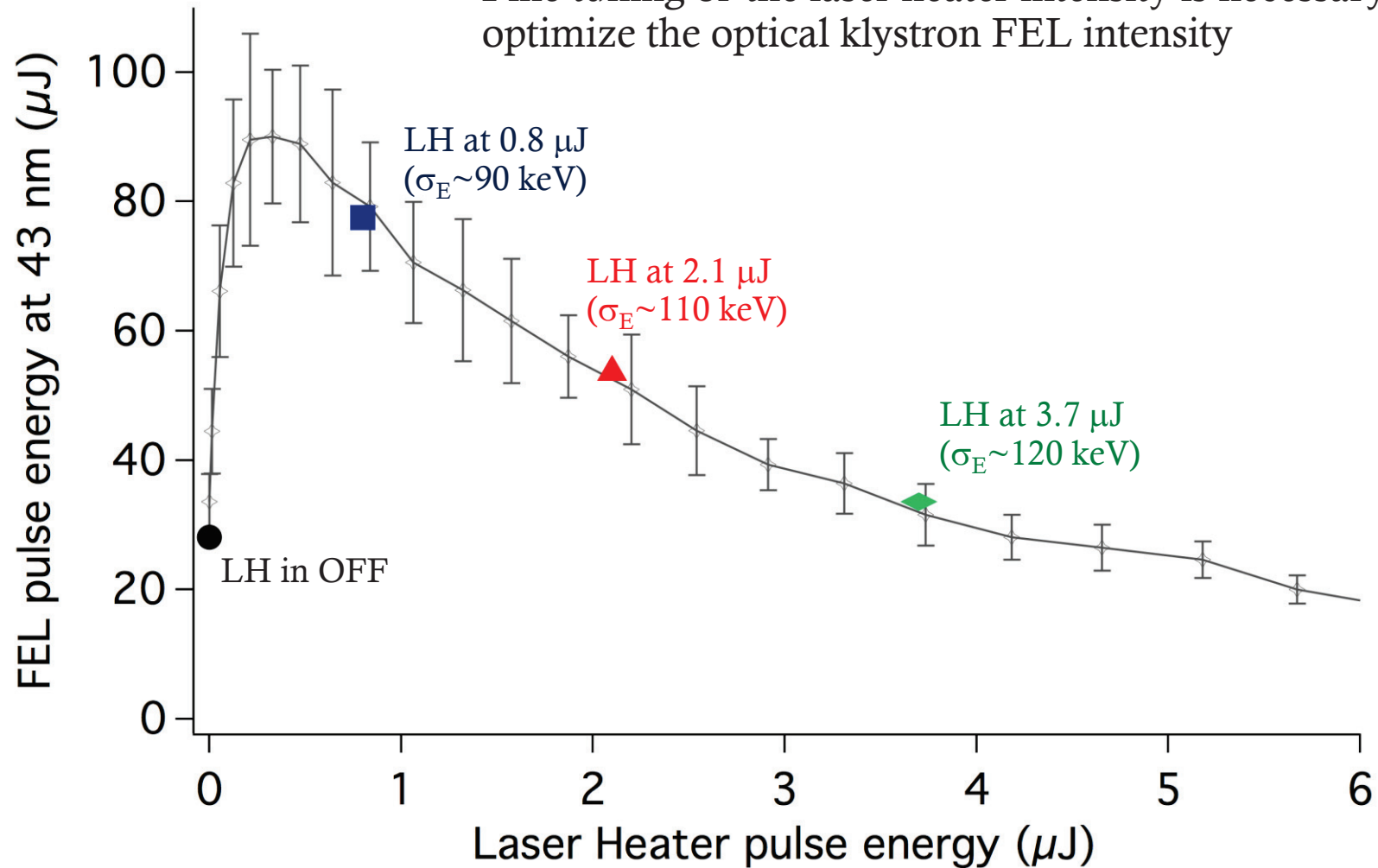


elegant



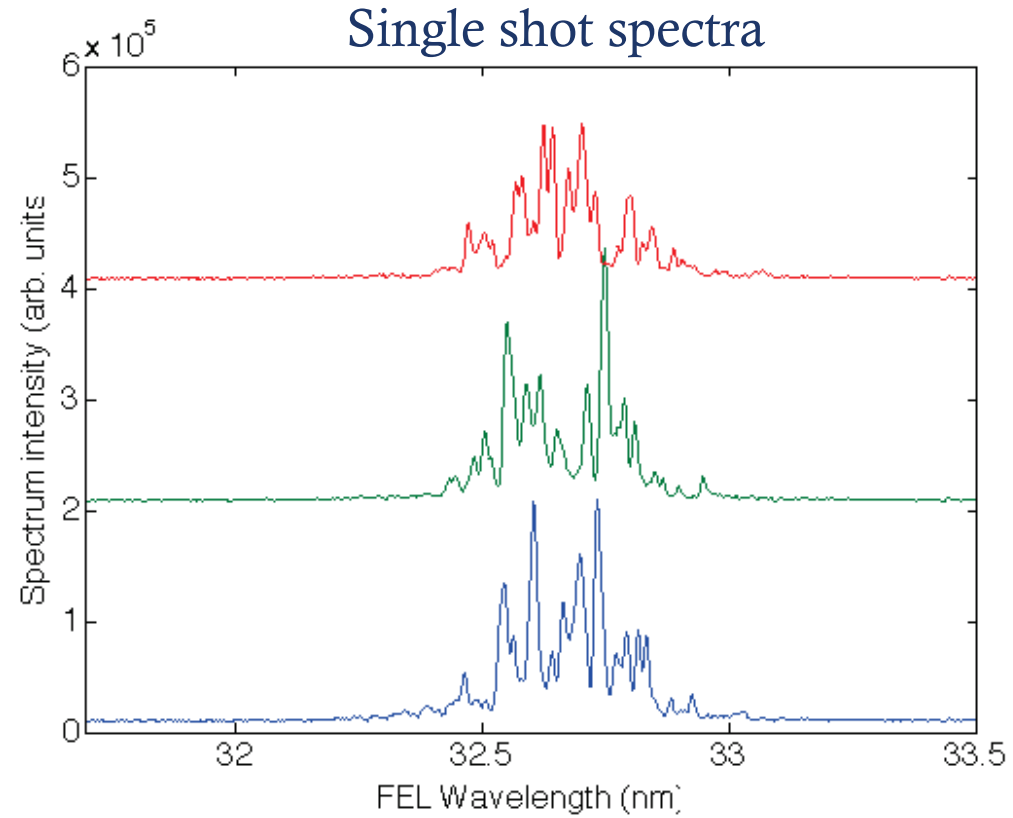
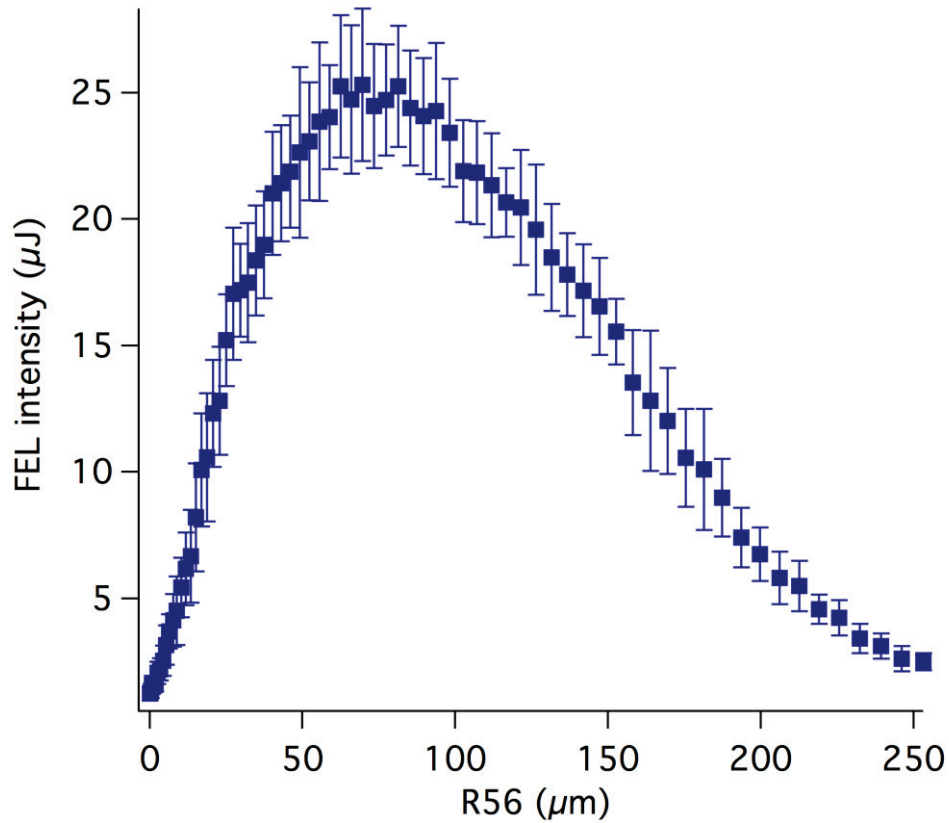
Opt. Kly. performance versus σ_E (3/3)

- Fine tuning of the laser heater intensity is necessary to optimize the optical klystron FEL intensity





Optical Klystron FEL at 32 nm

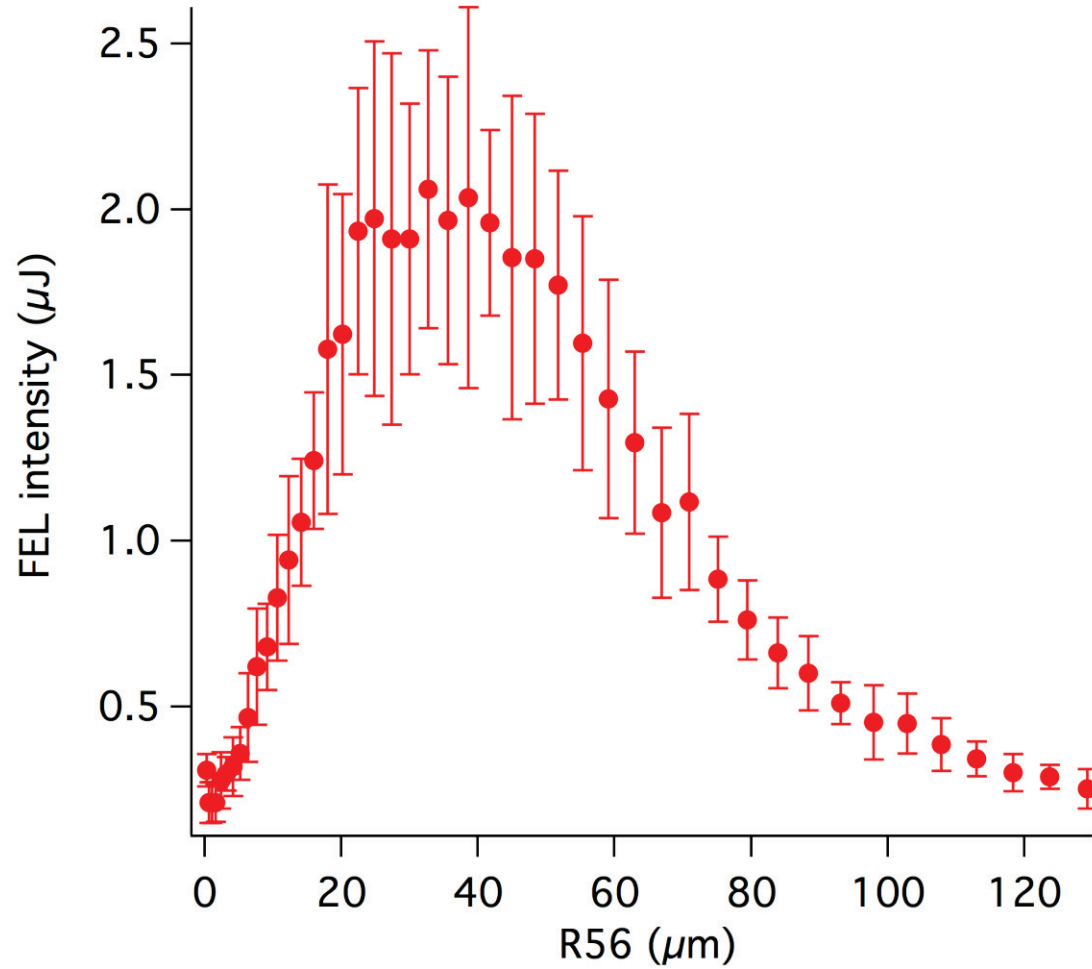


Intensity stability $\sim 10\%$ (rms)

$$\sigma_{\lambda}/\lambda \sim 0.3\% \sim 2\rho$$



Optical Klystron FEL at 20 nm

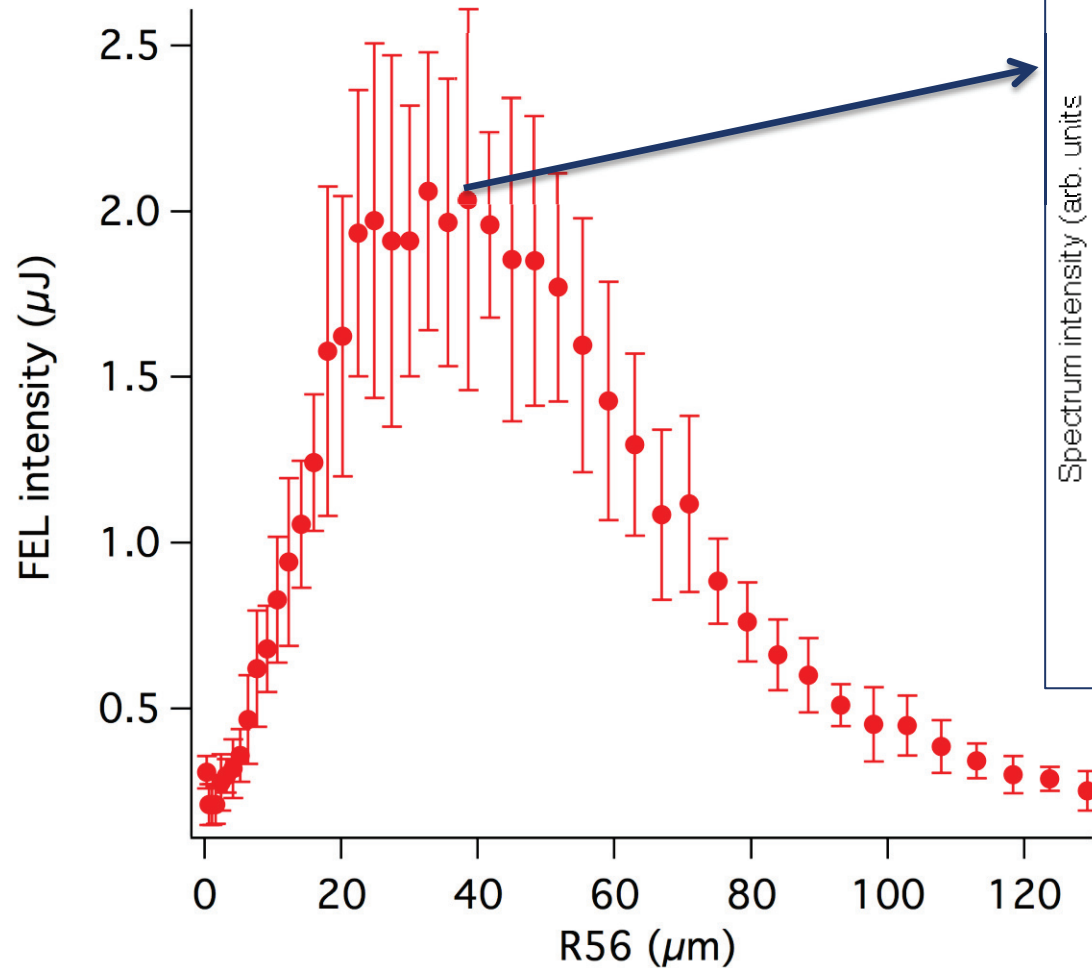


Intensity stability $\sim 20\%$ (rms)

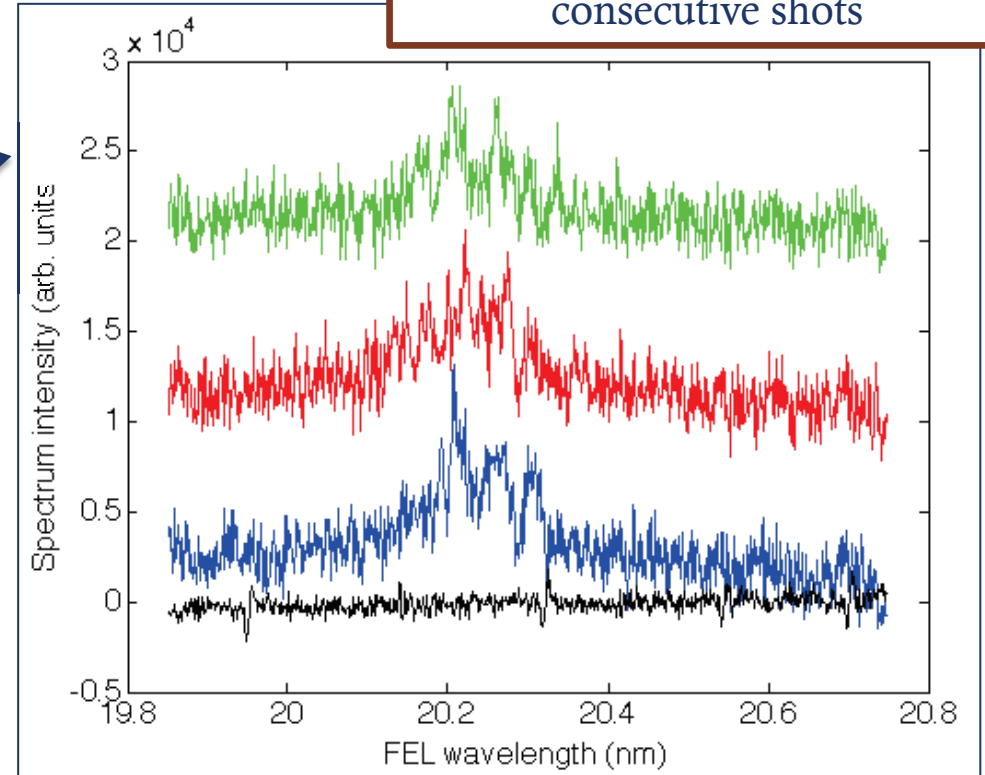




Optical Klystron FEL at 20 nm



Averaged spectrum over 5 consecutive shots

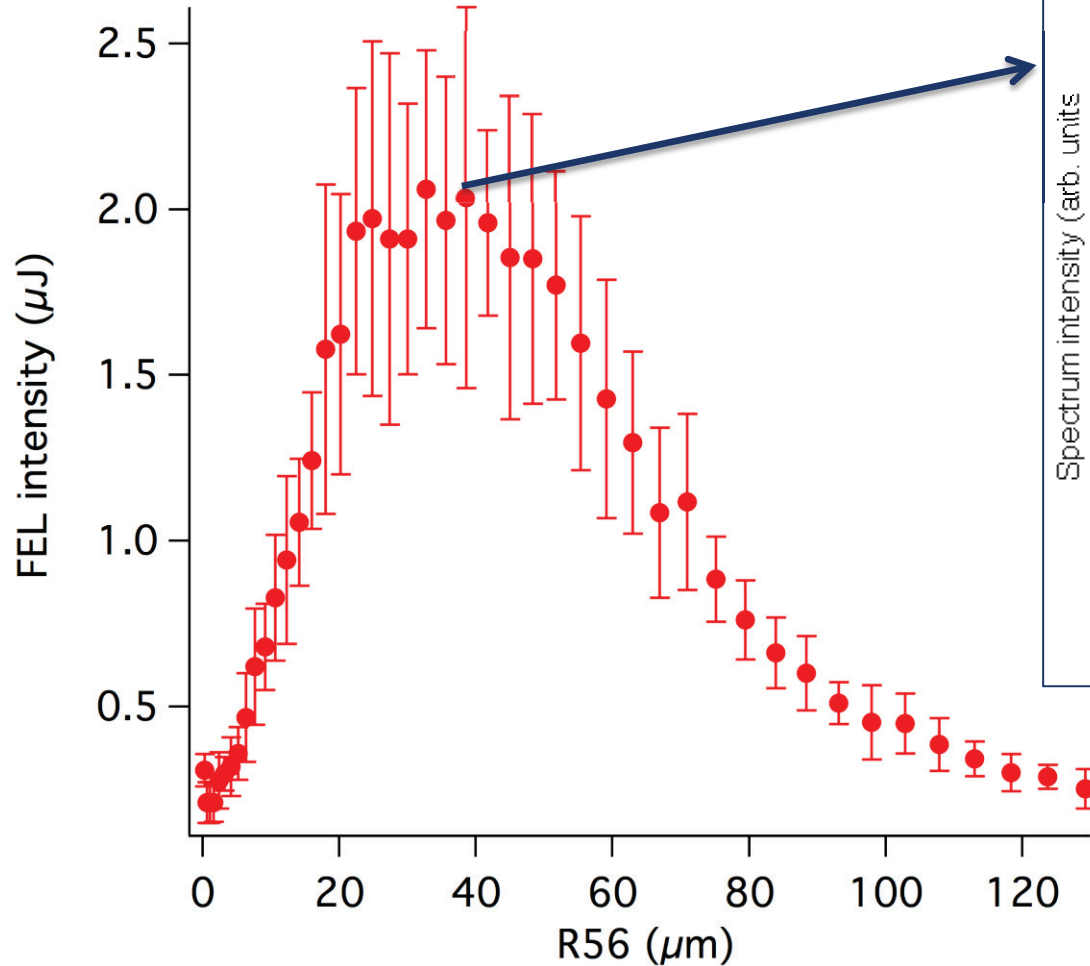


Intensity stability $\sim 20\%$ (rms)



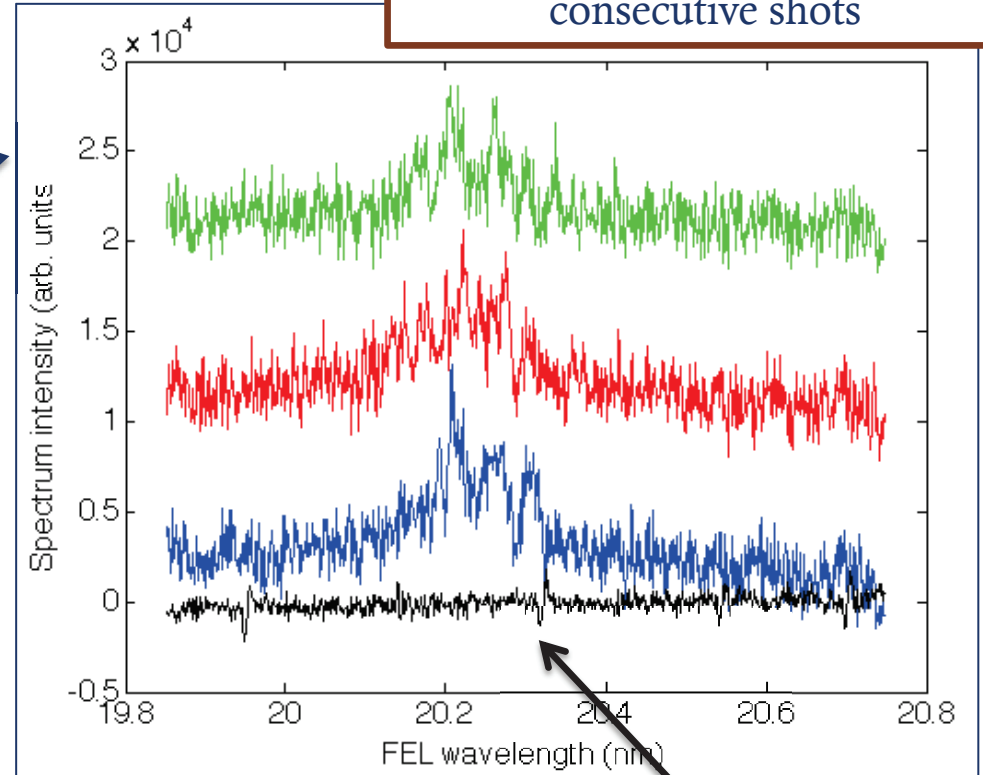


Optical Klystron FEL at 20 nm



Intensity stability $\sim 20\%$ (rms)

Averaged spectrum over 5 consecutive shots



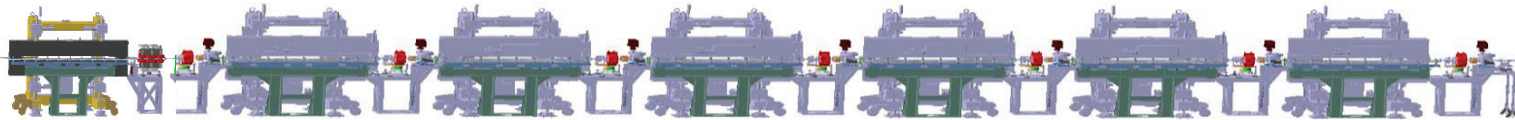
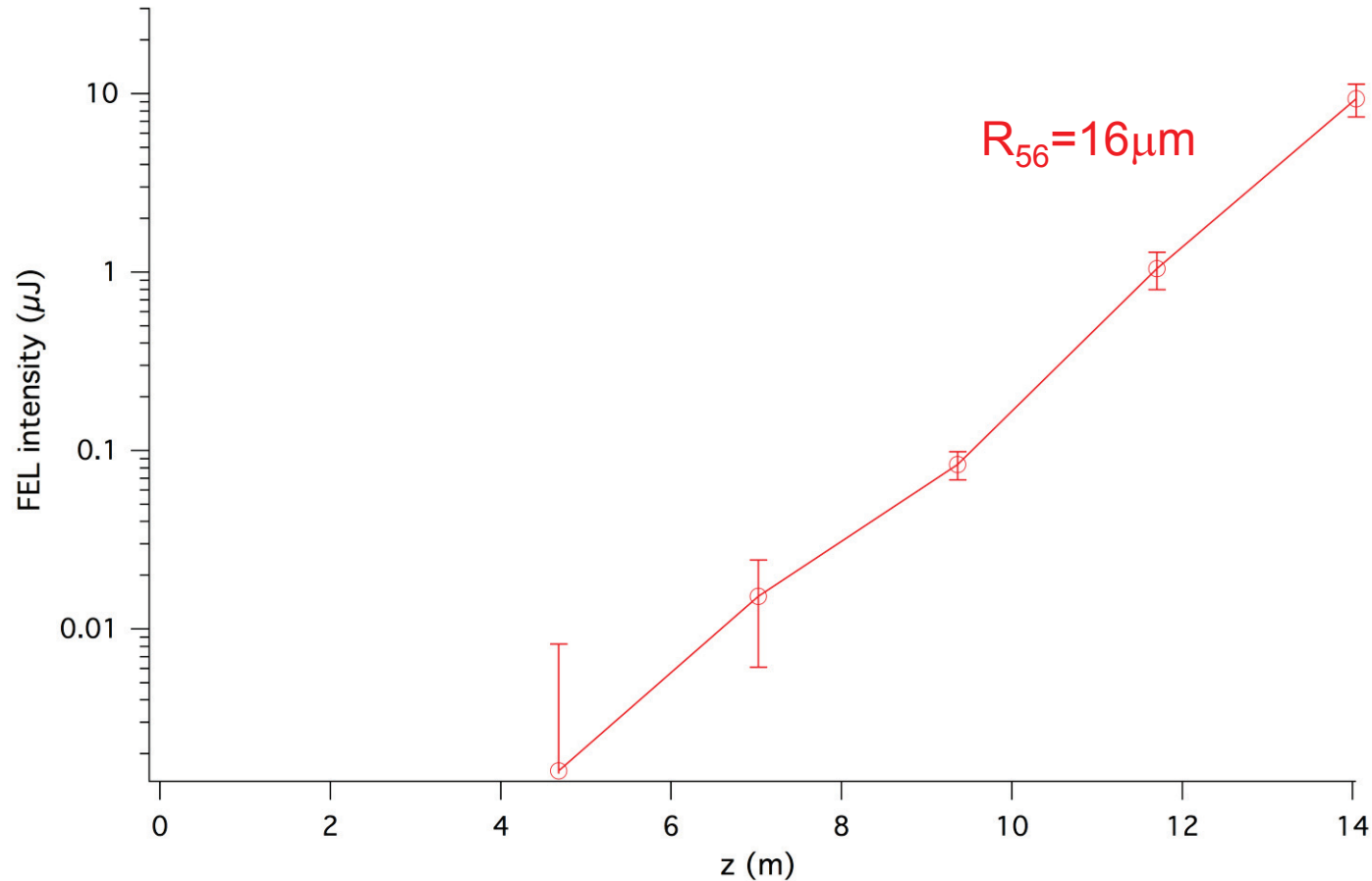
No Opt. Kly.
(i.e. $R_{56}=0 \mu\text{m}$)

$$\sigma_{\lambda}/\lambda \sim 0.3\% \sim 3\rho$$



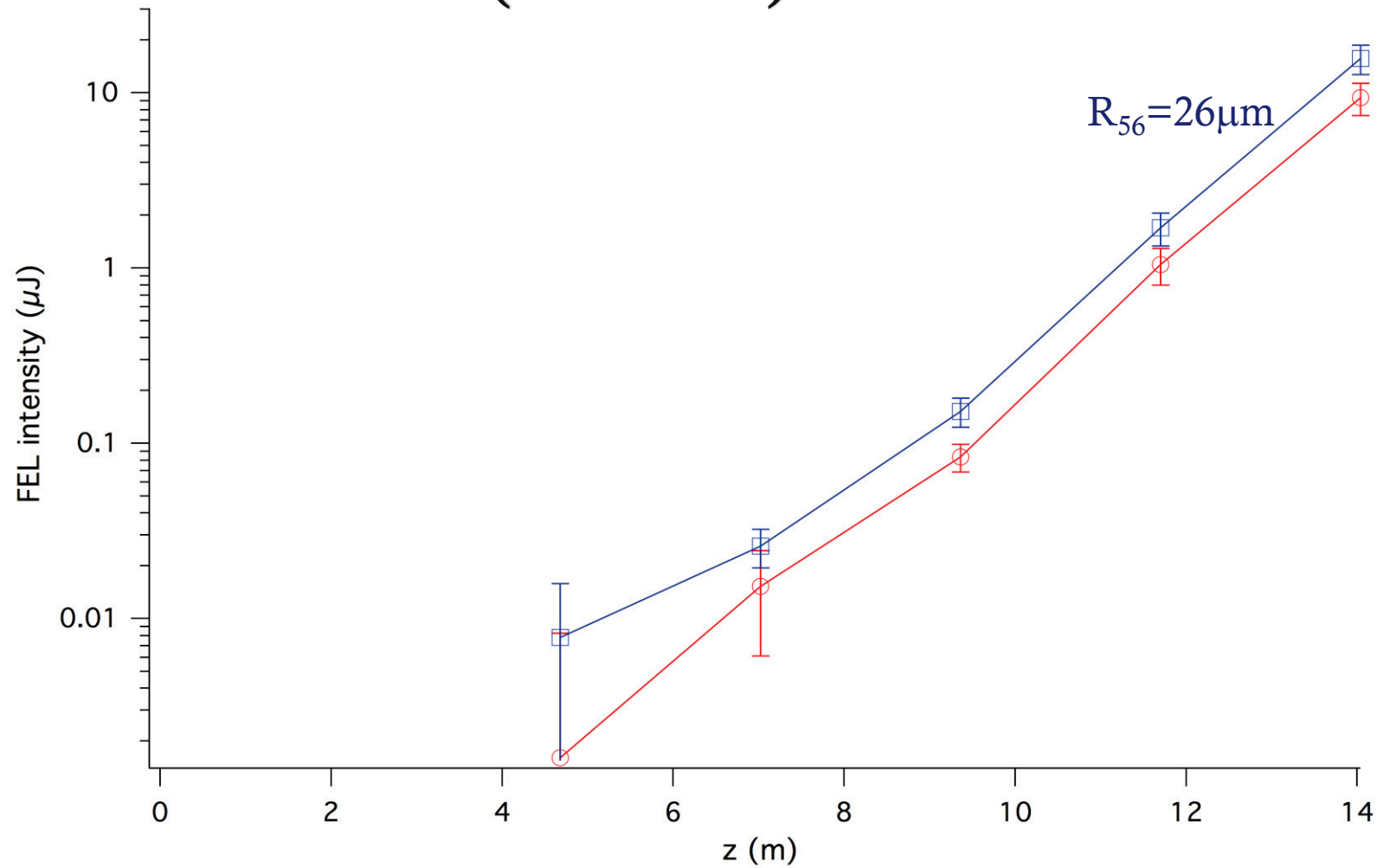


Gain Curve: OK vs Seeded HGHG (at 32nm)



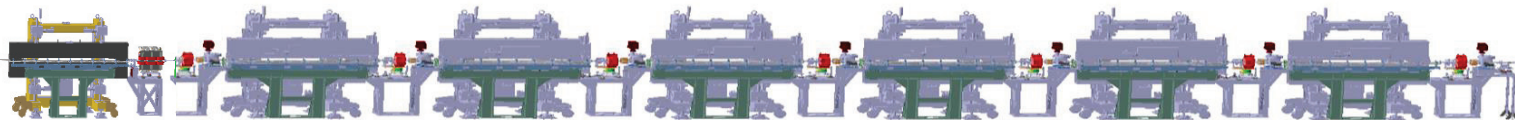
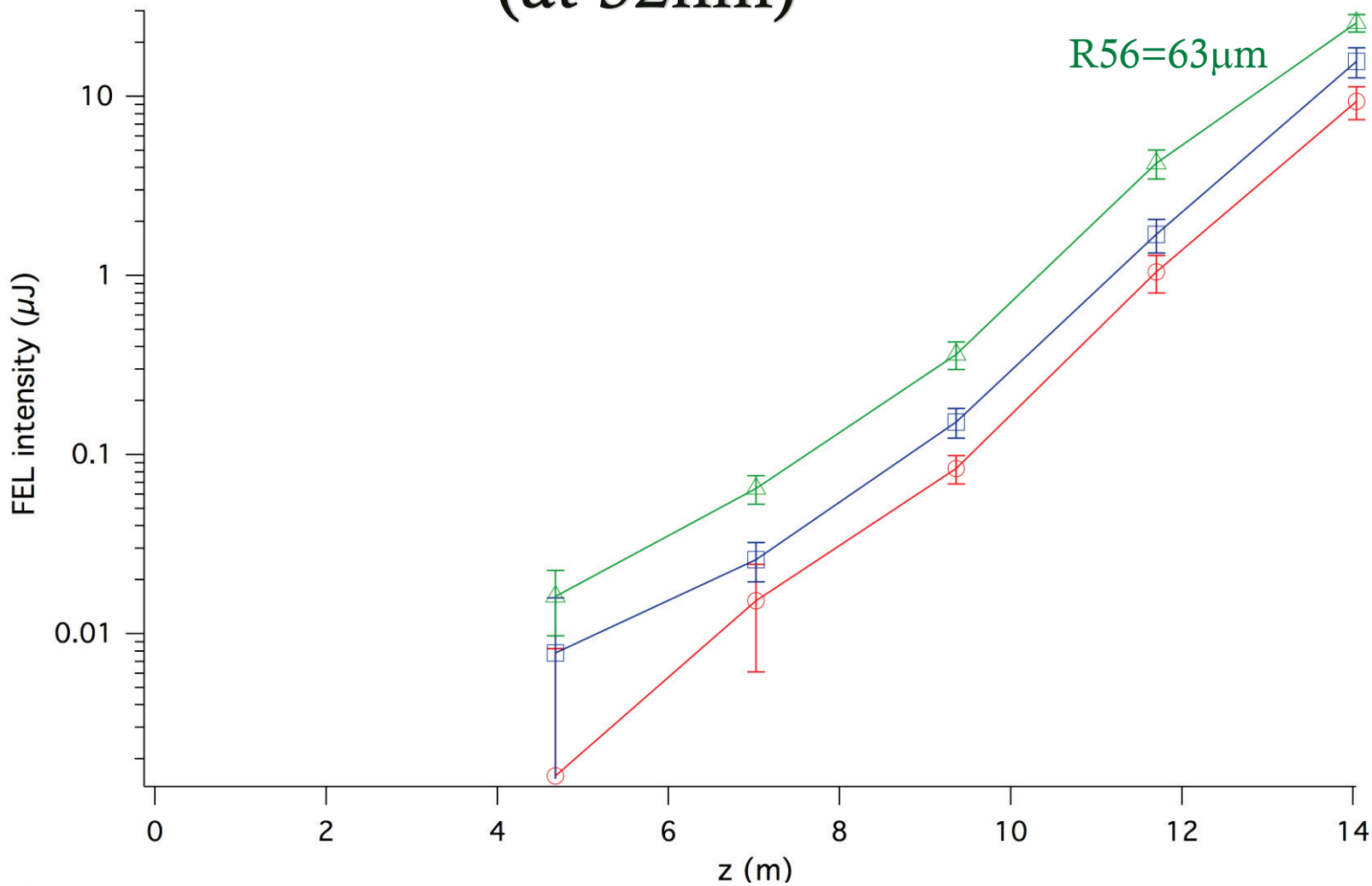


Gain Curve: OK vs Seeded HGHG (at 32nm)

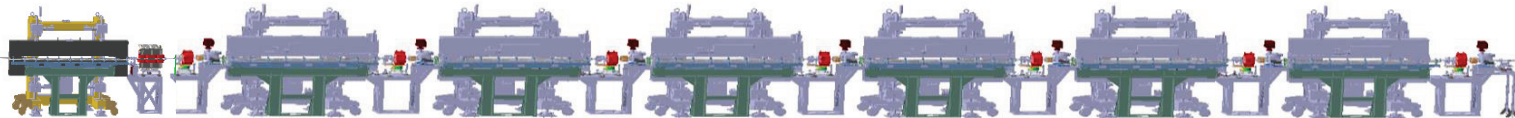
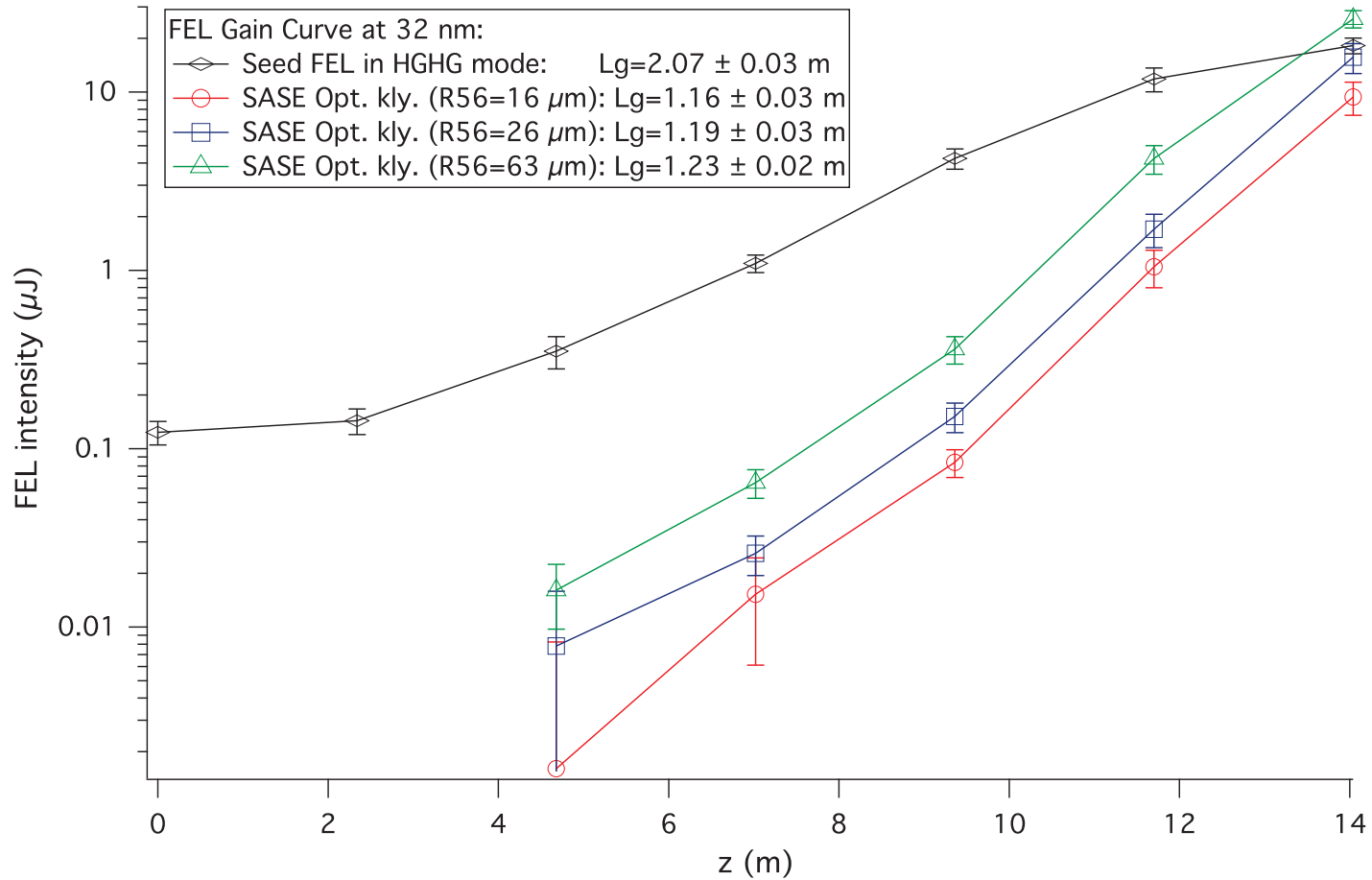




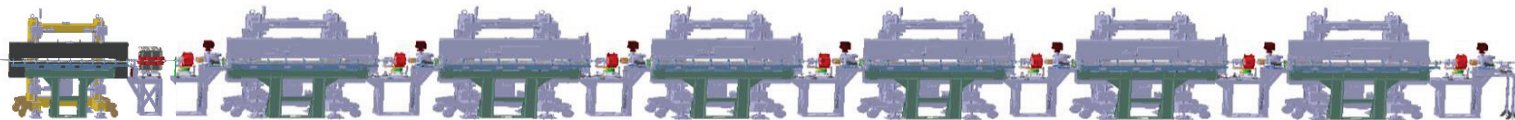
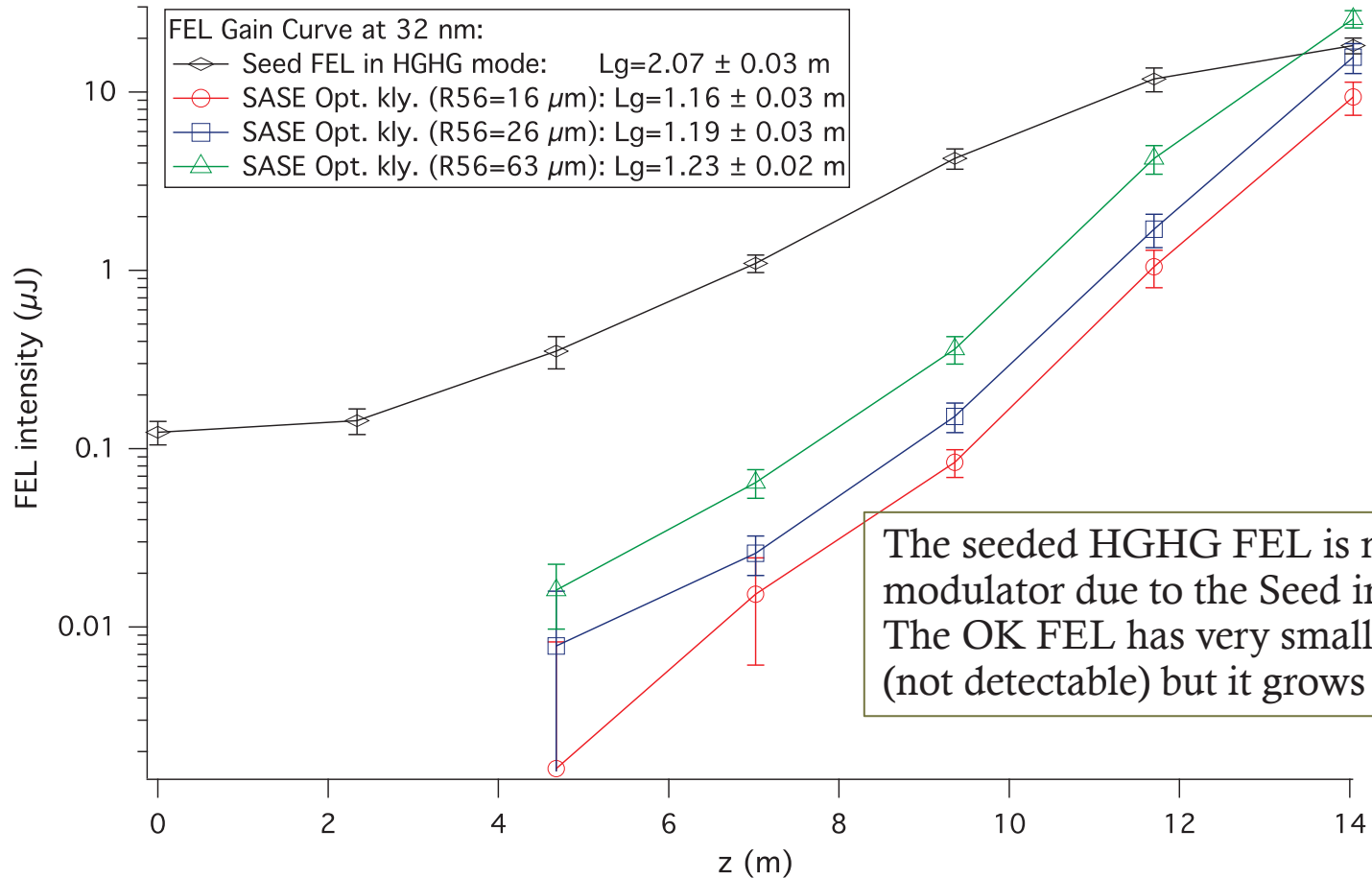
Gain Curve: OK vs Seeded HGHG (at 32nm)



Gain Curve: OK vs Seeded HGHG (at 32nm)

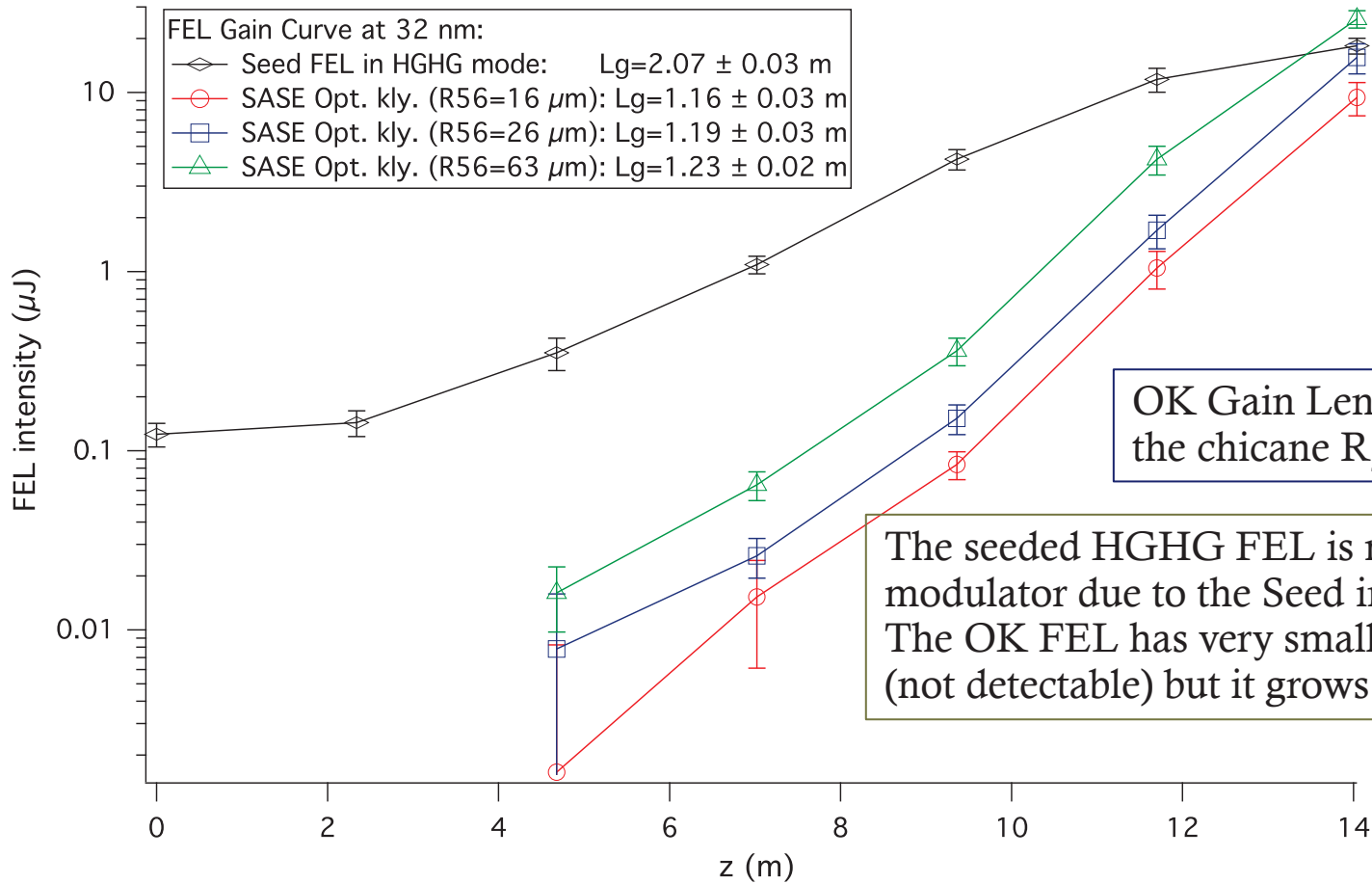


Gain Curve: OK vs Seeded HGHG (at 32nm)



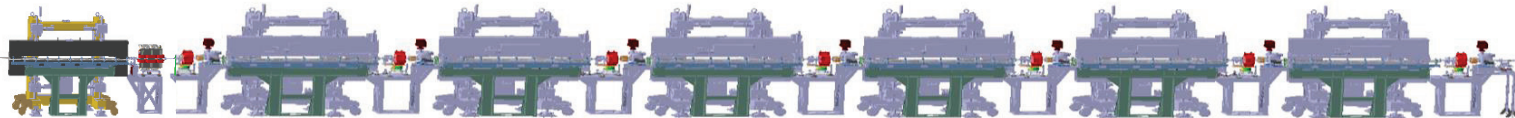


Gain Curve: OK vs Seeded HGHG (at 32nm)



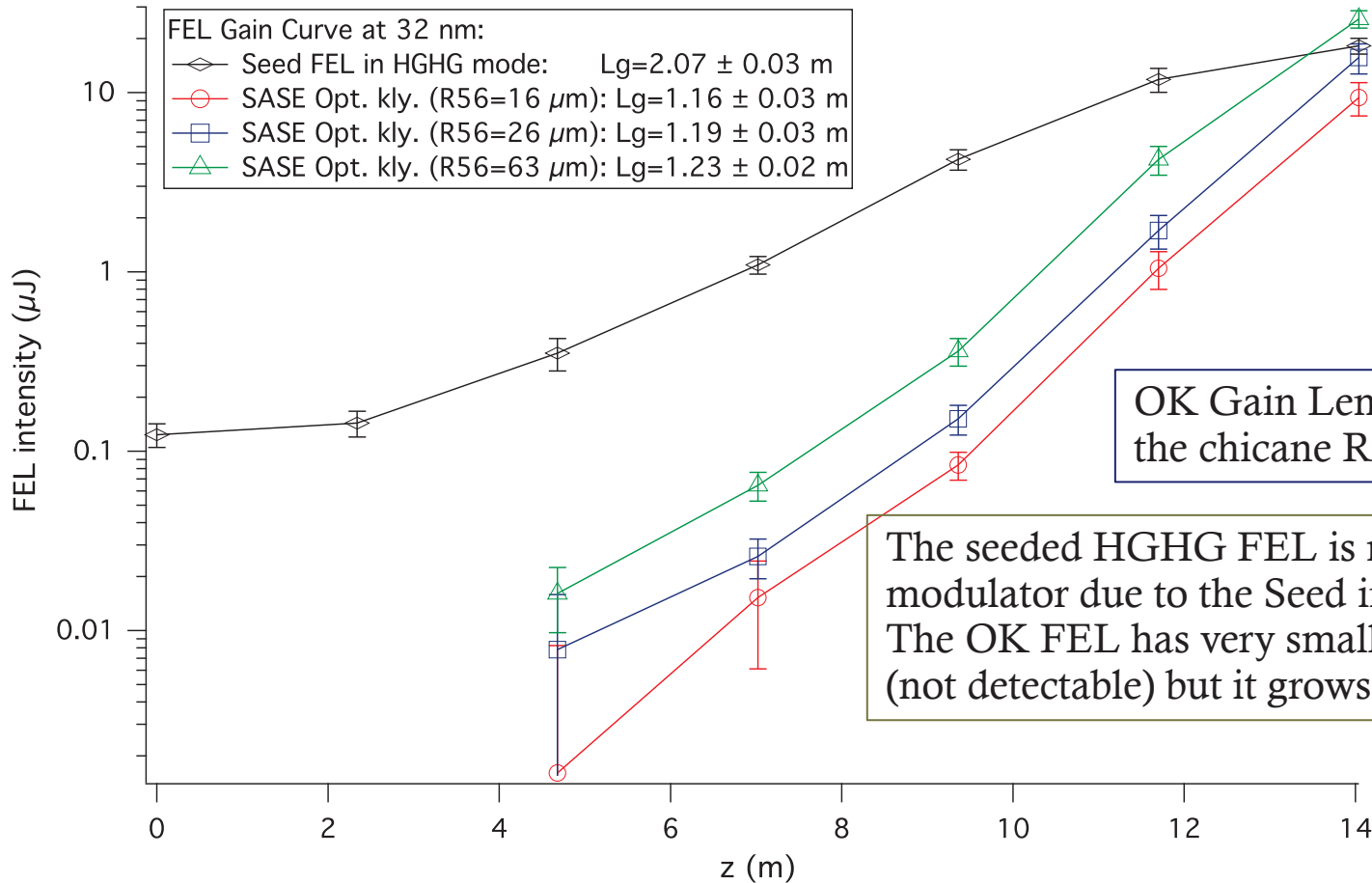
OK Gain Length is independent from the chicane R_{56} as theoretically expected.

The seeded HGHG FEL is more intense just after the modulator due to the Seed induced bunching, ($L_g \sim 2.1$ m). The OK FEL has very small intensity before the 2nd radiator (not detectable) but it grows more rapidly ($L_g \sim 1.2$ m).





Gain Curve: OK vs Seeded HGHG (at 32nm)



OK uses the whole bunch (~300fs) while HGHG only ~100fs, so at saturation the OK FEL intensity would be higher

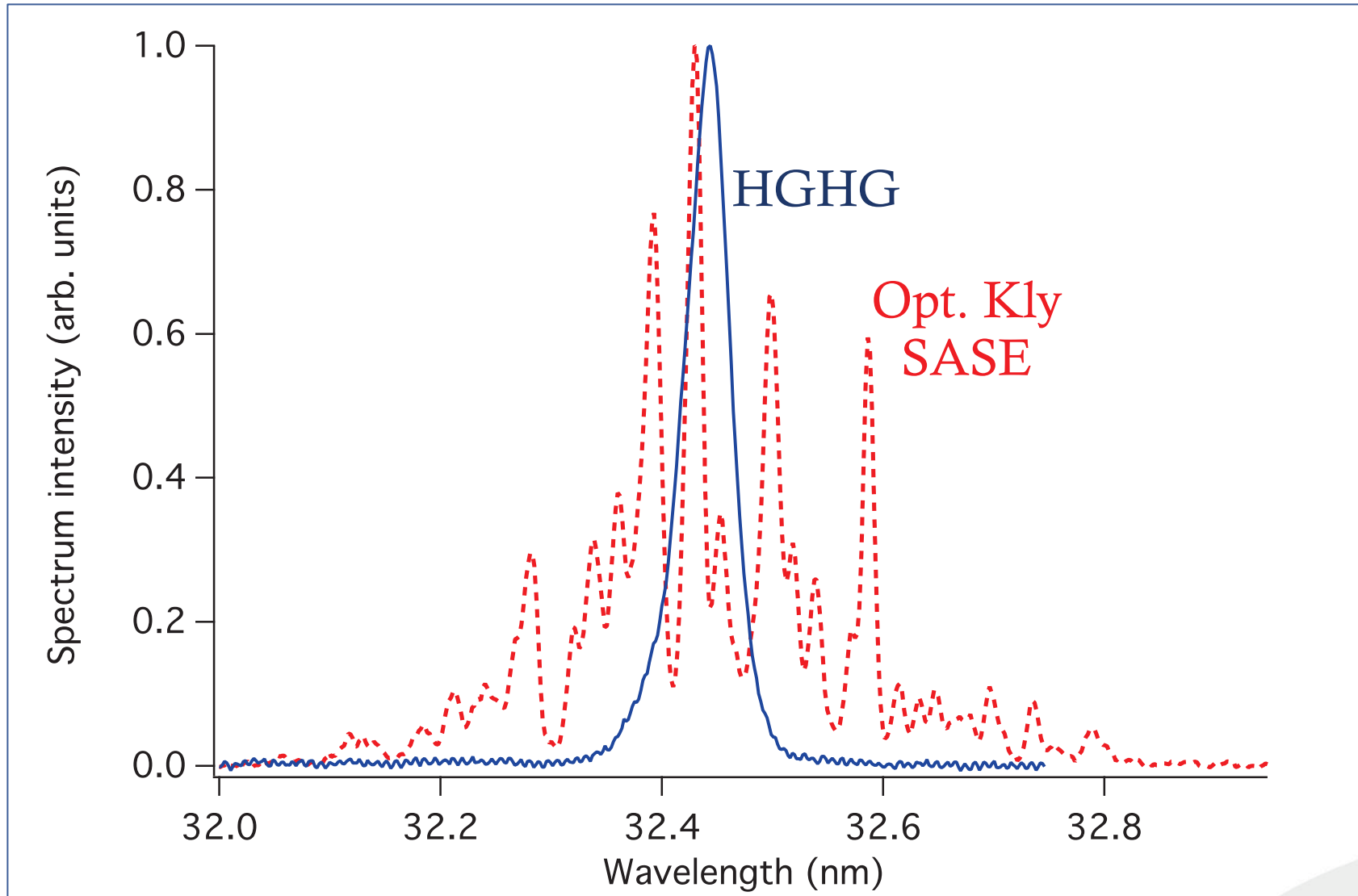
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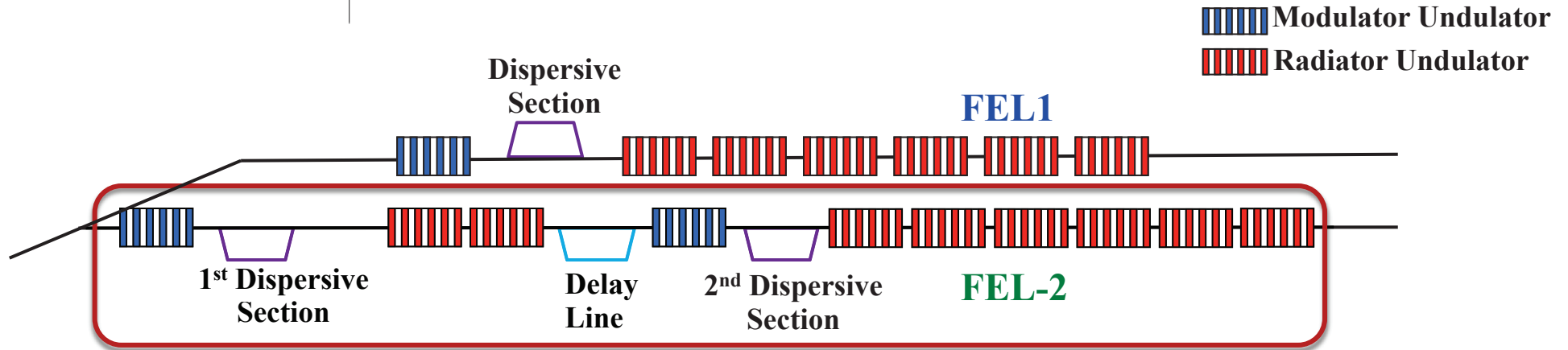


Spectrum: Opt. Kly. versus HGHG



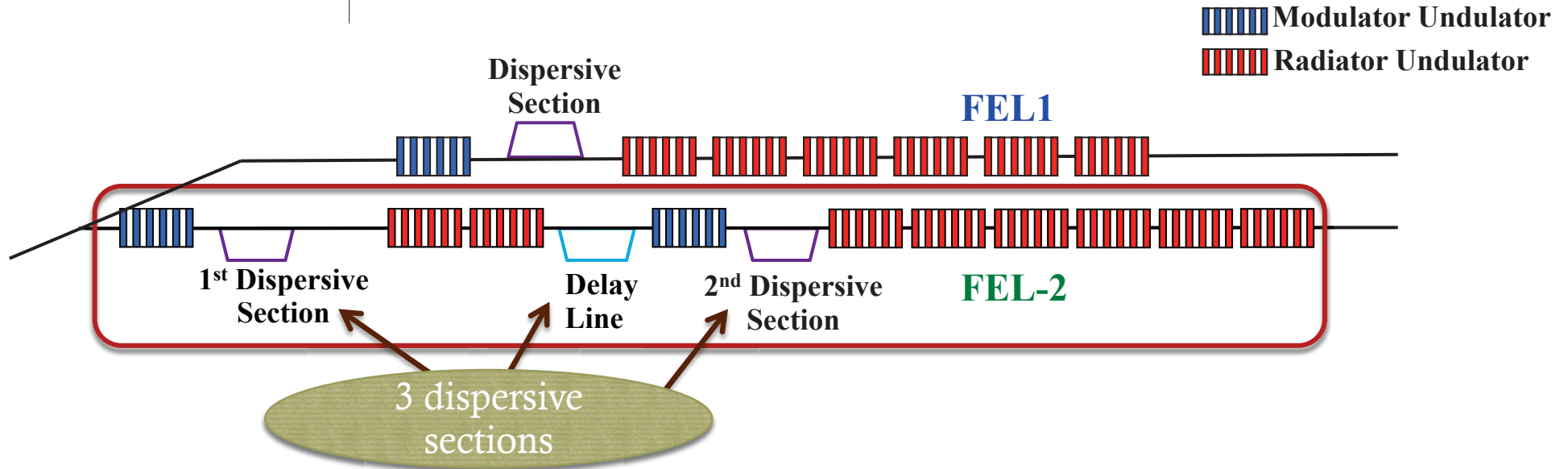


Opt. Kly. Experiment on FEL-2: 12nm



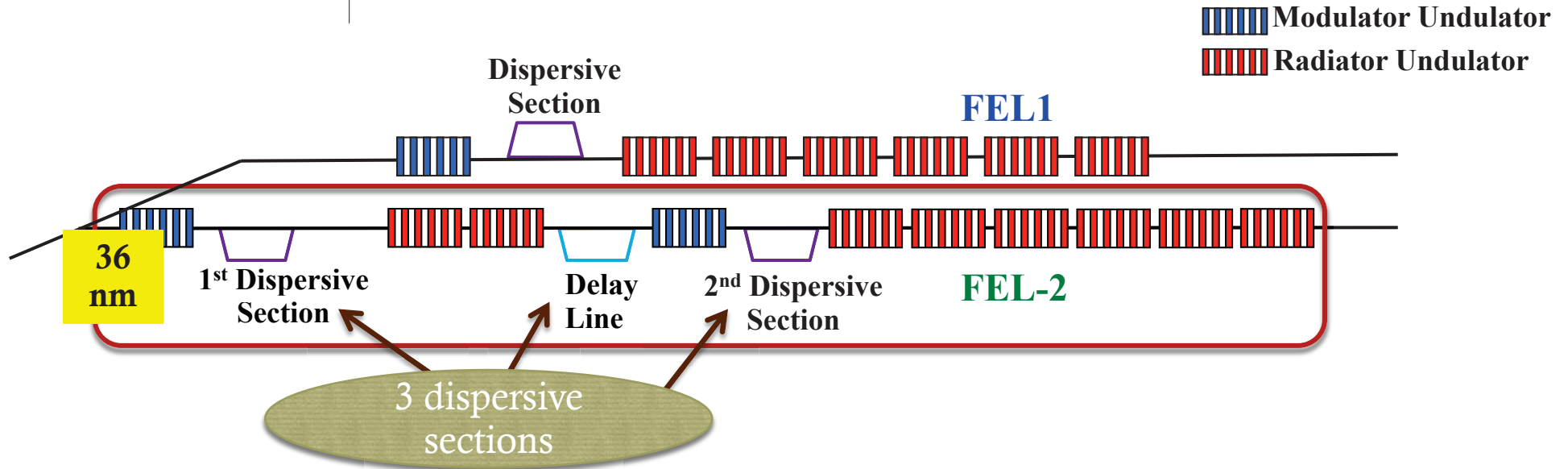


Opt. Kly. Experiment on FEL-2: 12nm



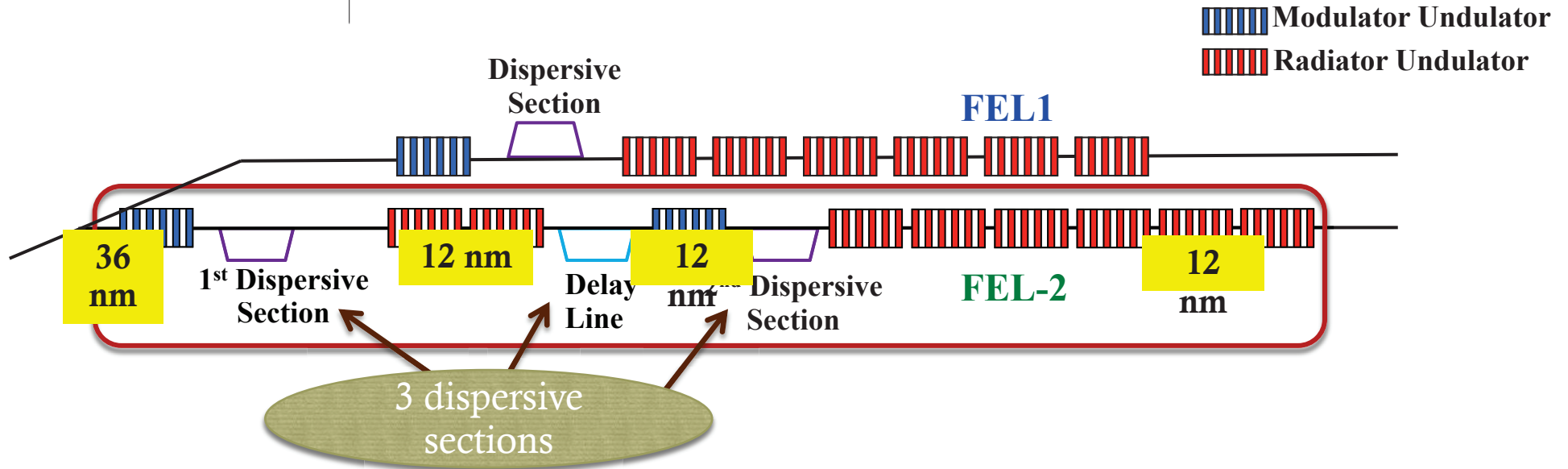


Opt. Kly. Experiment on FEL-2: 12nm



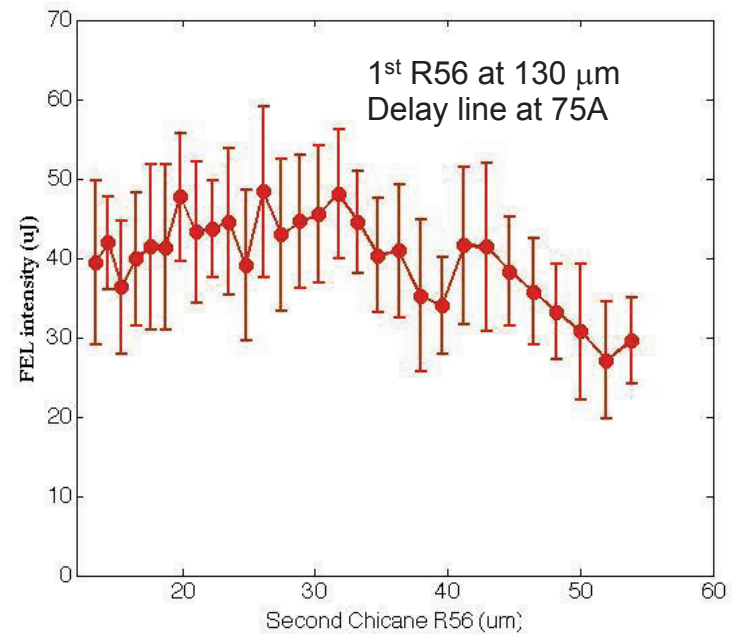
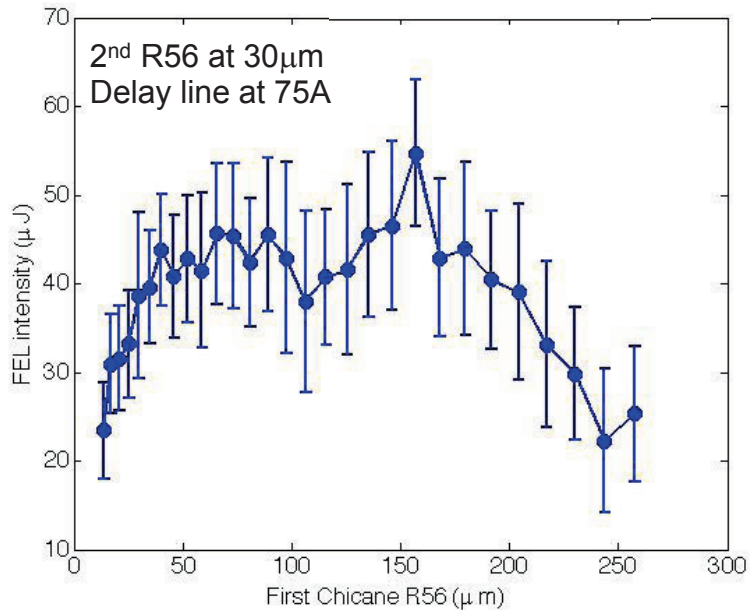
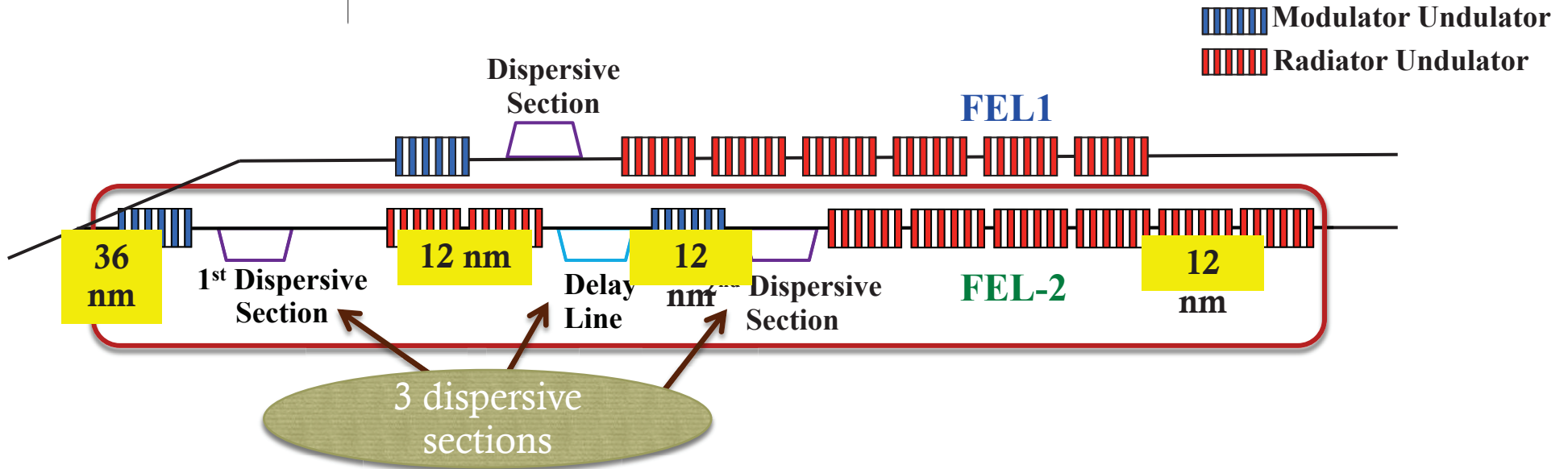


Opt. Kly. Experiment on FEL-2: 12nm





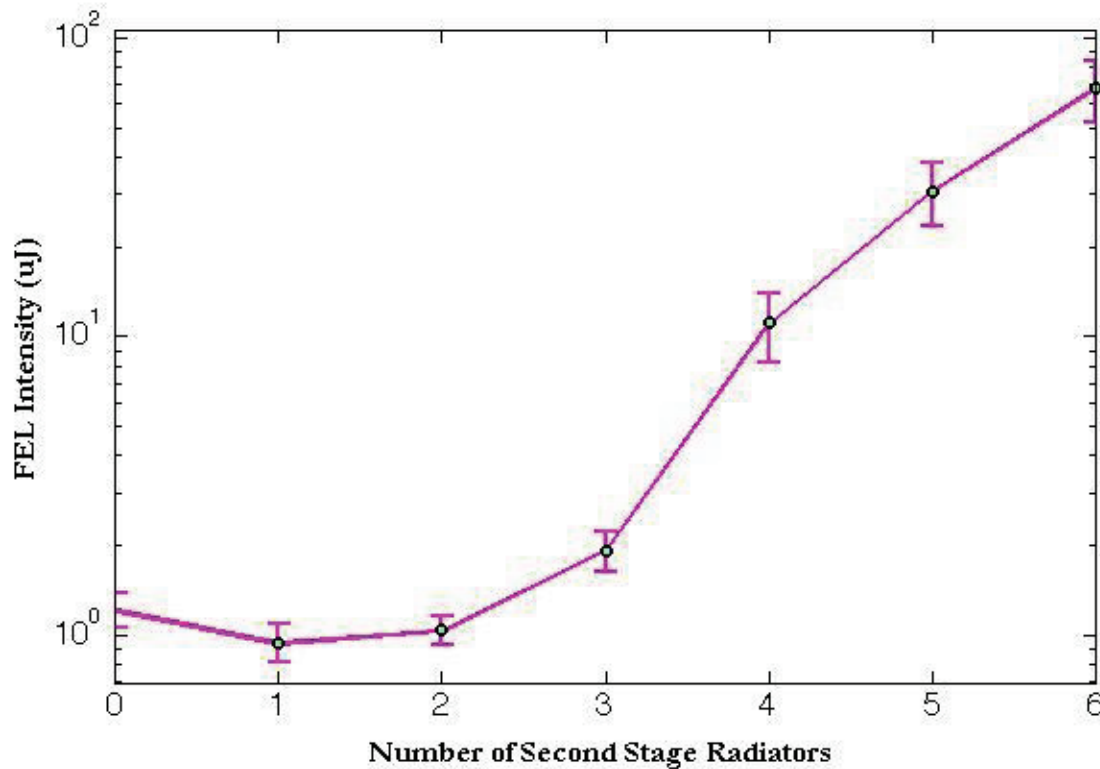
Opt. Kly. Experiment on FEL-2: 12nm





Opt. Kly. Experiment on FEL-2: 12nm

A further improvement of the OK FEL intensity has been obtained by fine tuning the laser heater undulator gap (i.e. beam energy fine tuning at the injector): “big shot” of $\sim 100 \mu\text{J}$



FEL Gain curve measured by closing progressively the second stage radiators. Gain length $\sim 1.37\text{m}$

Conclusion

- ❑ The optical klystron enhancement to SASE FEL has been experimentally demonstrated at FERMI: down to 20 nm on FEL-1 and at 12 nm on FEL-2.
- ❑ Our experiments confirm that the Optical Klystron FEL performance are strongly determined by the beam uncorrelated energy spread.
- ❑ 1-D theory can reproduce the experimental observation when microbunching is fully suppressed and the intrinsic energy spread is similar to the “FEL-slice” energy spread.
- ❑ Measurements of the OK-FEL gain curve confirm that the gain length is independent on the dispersive section as expected in the simulations.
- ❑ FERMI has been able to operate in SASE mode taking advantage of the optical klystron, providing several tens of μJ in XVUV range..



Elettra
Sincrotrone
Trieste

Thank You





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